



# Dynamic Female Labor Supply

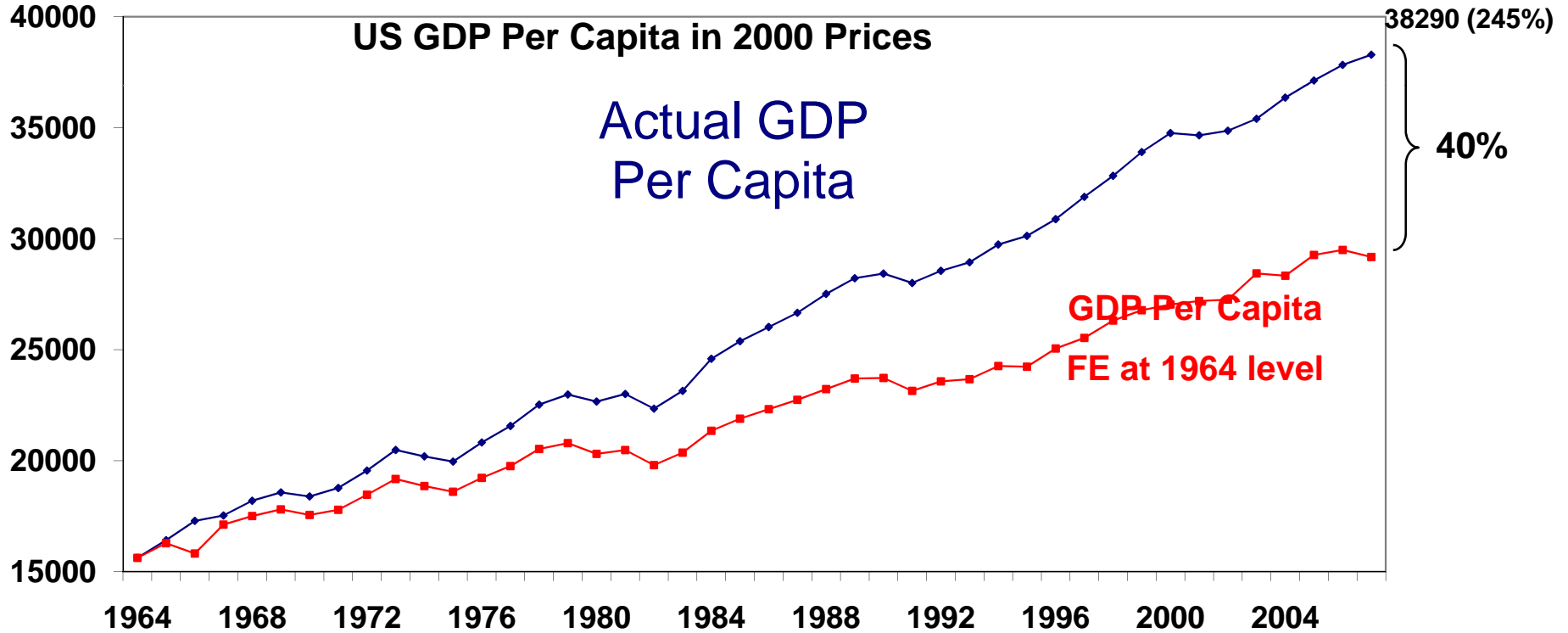
***Zvi Eckstein and Osnat Lifshitz***

The Walras-Bowley Lecture, Econometric Society Meeting, June 19-22, 2008  
Pittsburgh, USA



# Why Do We Study Female Employment (FE)?

# Because they contribute a lot to US GDP Per Capita...

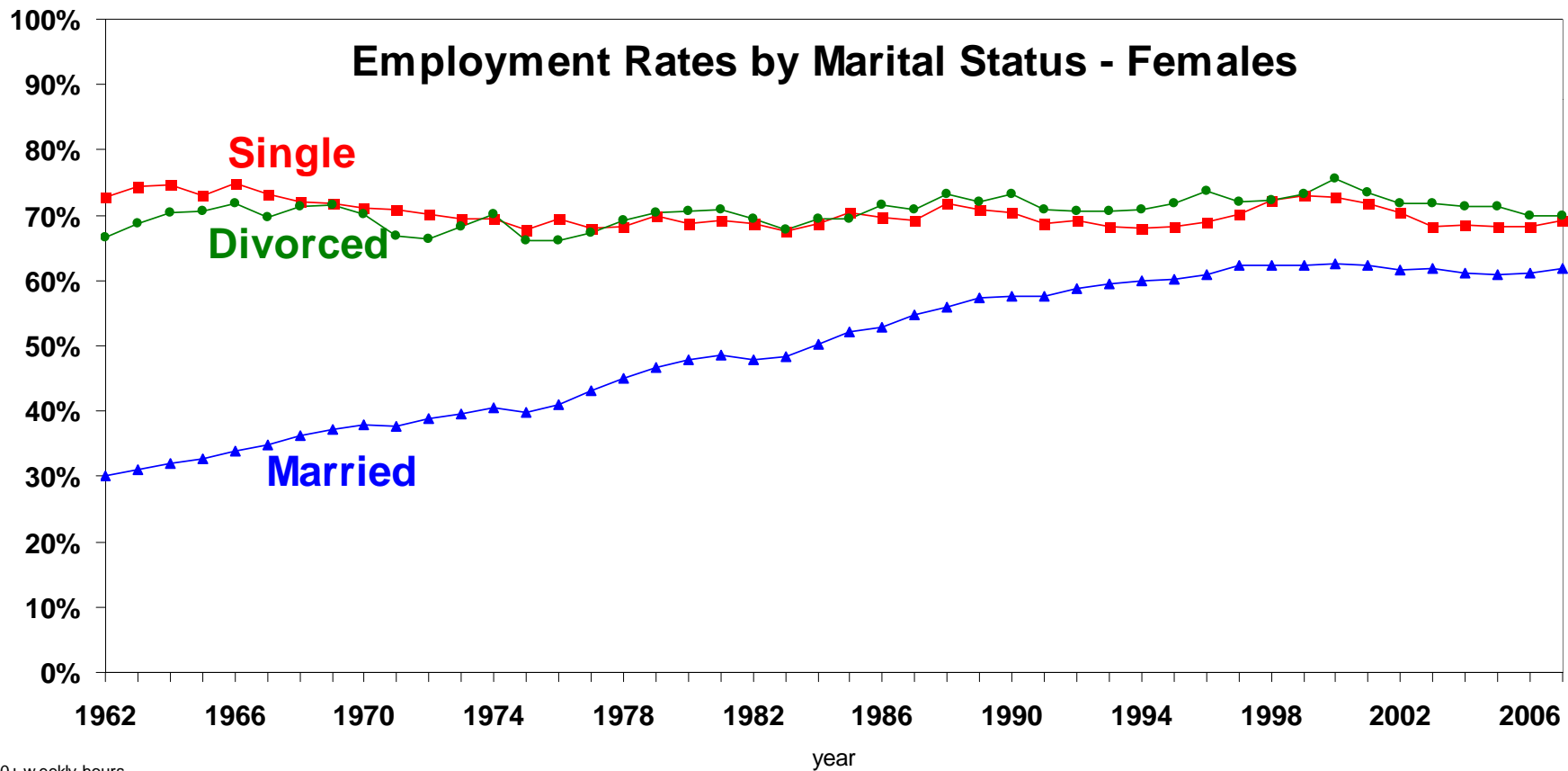




# Central Question

Why Did Female Employment (FE)  
Rise Dramatically?

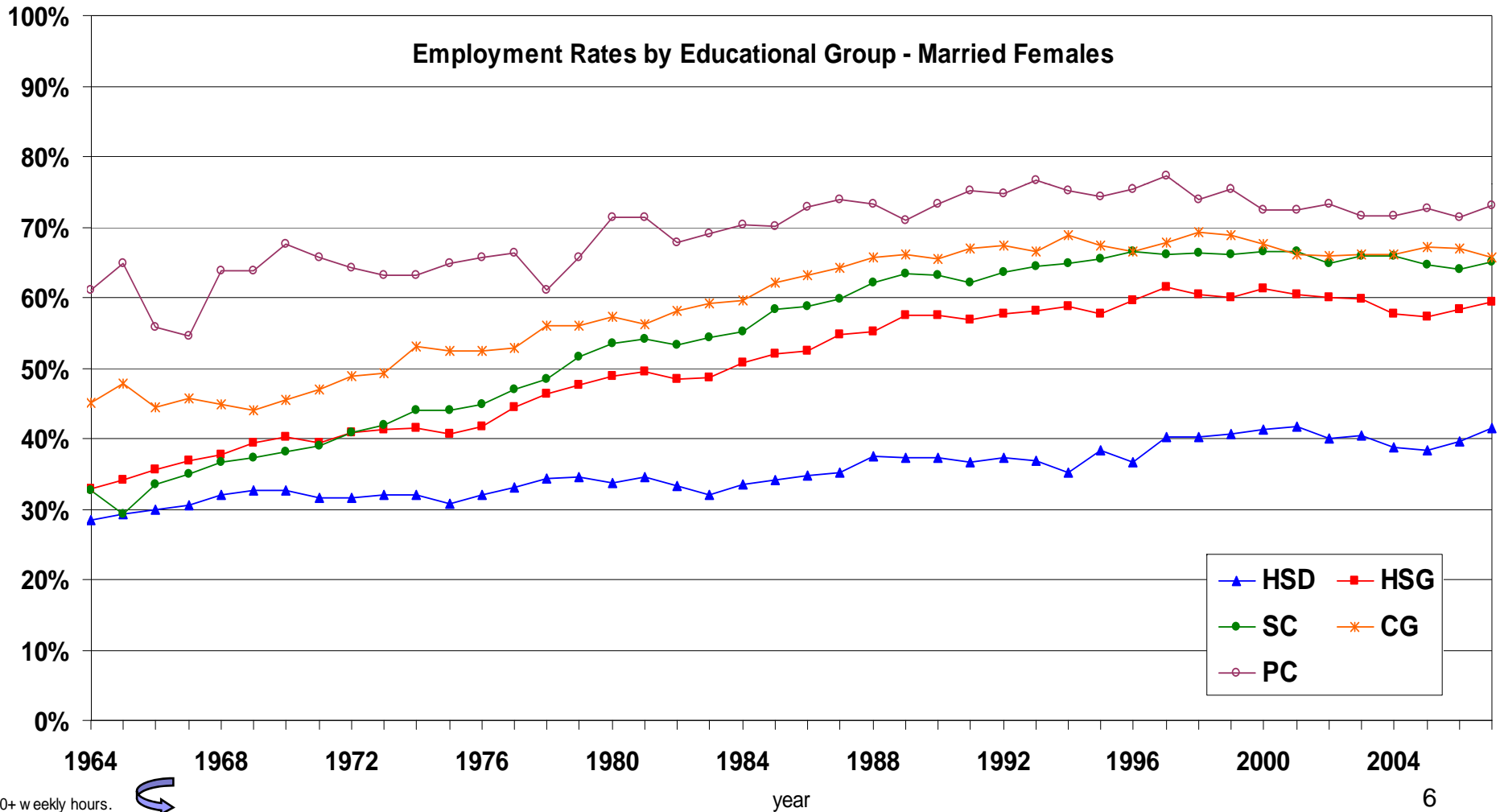
# Because Married FE Rose.....!



10+ weekly hours.



# Who among the Married? The Educated (HSG-CG) Females!





Why did *Married* Female  
Employment (FE)  
Rise Dramatically?



# Main Empirical Hypotheses

- **Education** increase (Becker)

- **Wage** increase/Gender Gap decline

Heckman and McCurdy(1980), Goldin(1990), Galor and Weil(1996), Blau and Kahn(2000), Jones, Manuelli and McGrattan(2003), Gayle and Golan(2007)

- **Fertility** decline

Gronau(1973), Heckman(1974), Rosensweig and Wolpin(1980), Heckman and Willis(1977), Albanesi and Olivetti(2007) Attanasio et.al.(2008)

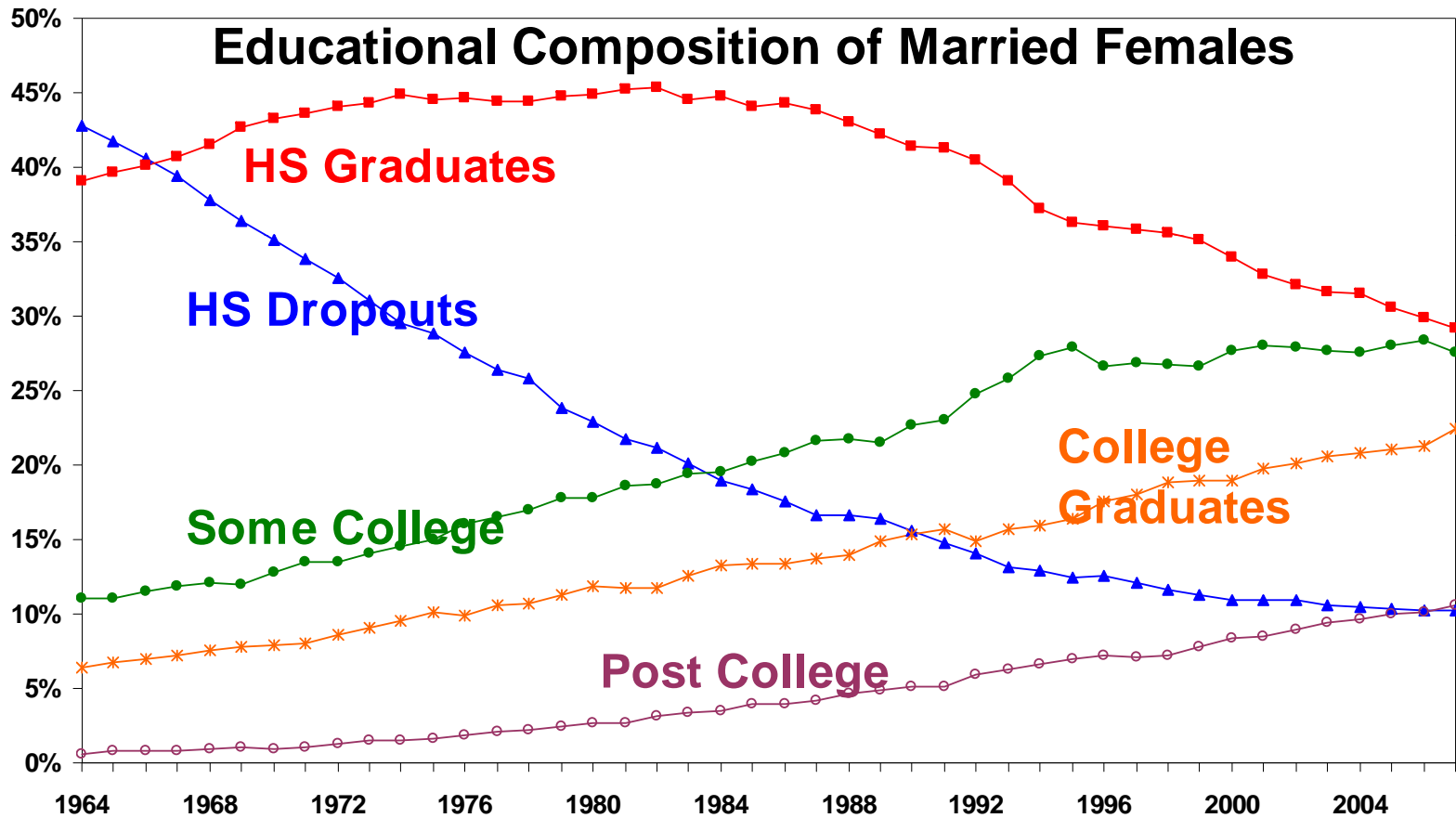
- **Marriage** decline/Divorce increase


Weiss and Willis(1985,1997), Weiss and Chiappori(2006)


- **Other**



# Education Increase

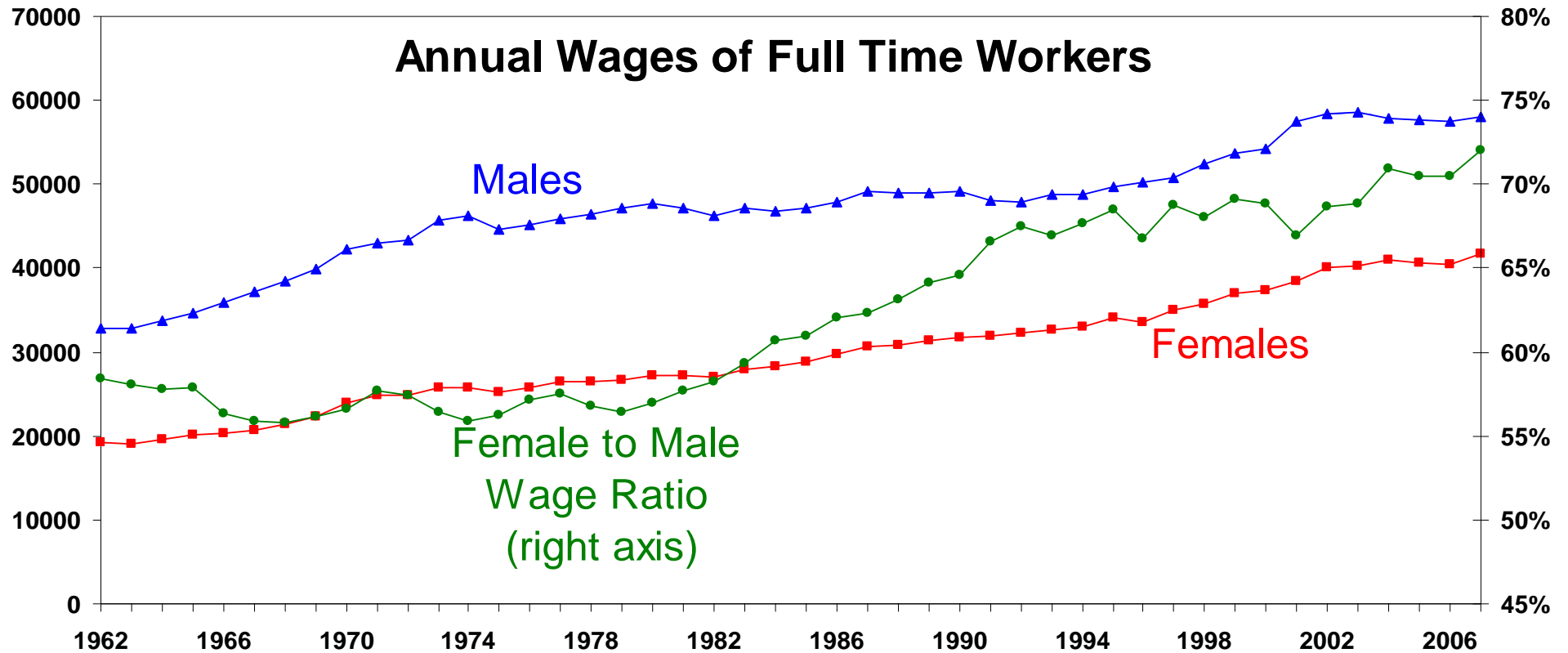


Women by cohort 

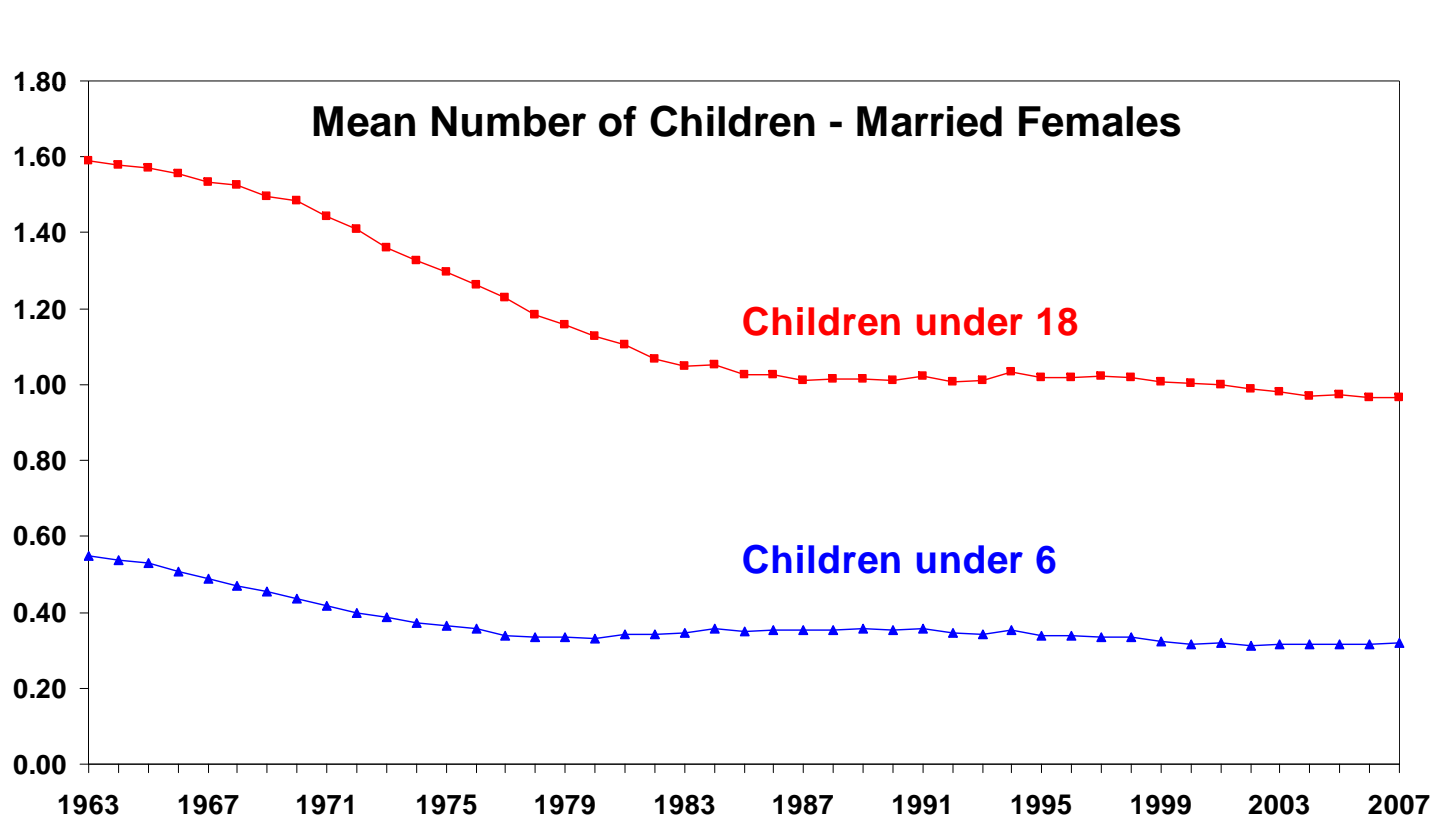
Men composition s.s. 

Men by cohort 

# Wage increase – Gender Gap decline



# Fertility Decline



Ref.

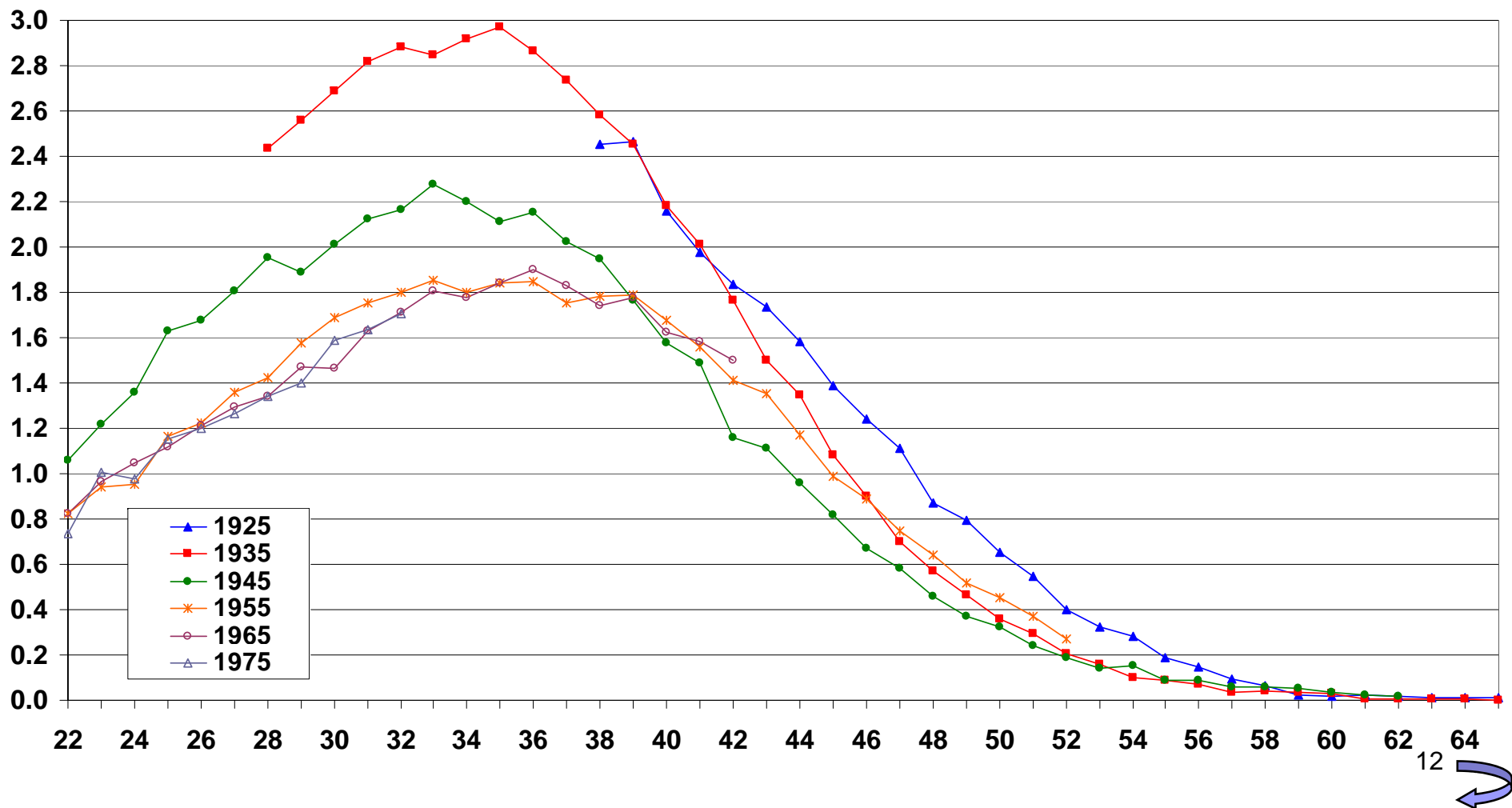


by cohort

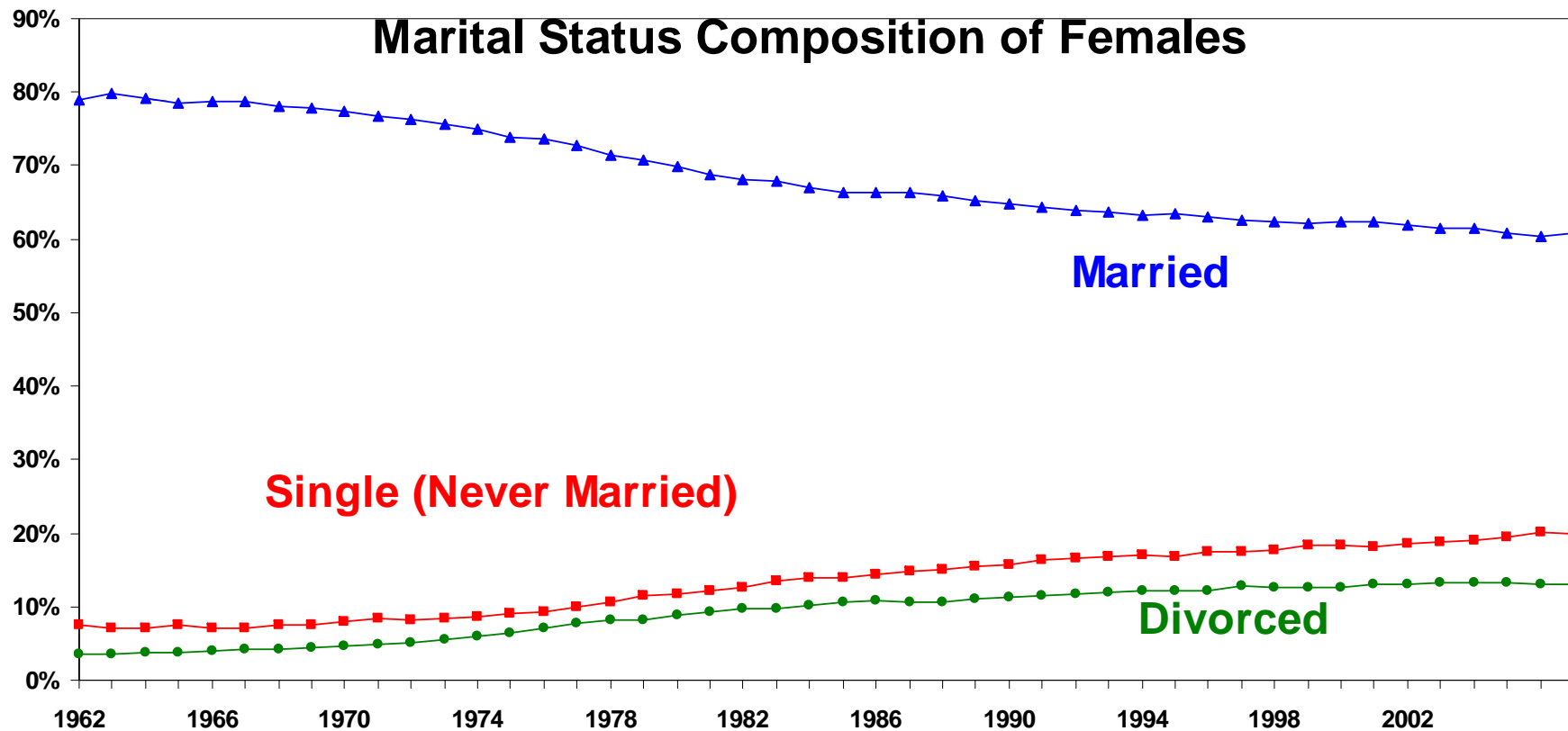


# Decrease in the Fertility of Married Women

Mean Number of Children Under 18 by Cohort - Married Females



# Marriage Declines – Divorce Increases





# What are the *Other* Empirical Hypotheses?

## ■ Social Norms

Fernandez, Fogli and Olivetti(2004), Mulligan and Rubinstein(2004), Fernandez (2007)

## ■ Cost of Children

Attanasio, Low and Sanchez-Marcos(2008) Albanesi and Olivetti(2007)

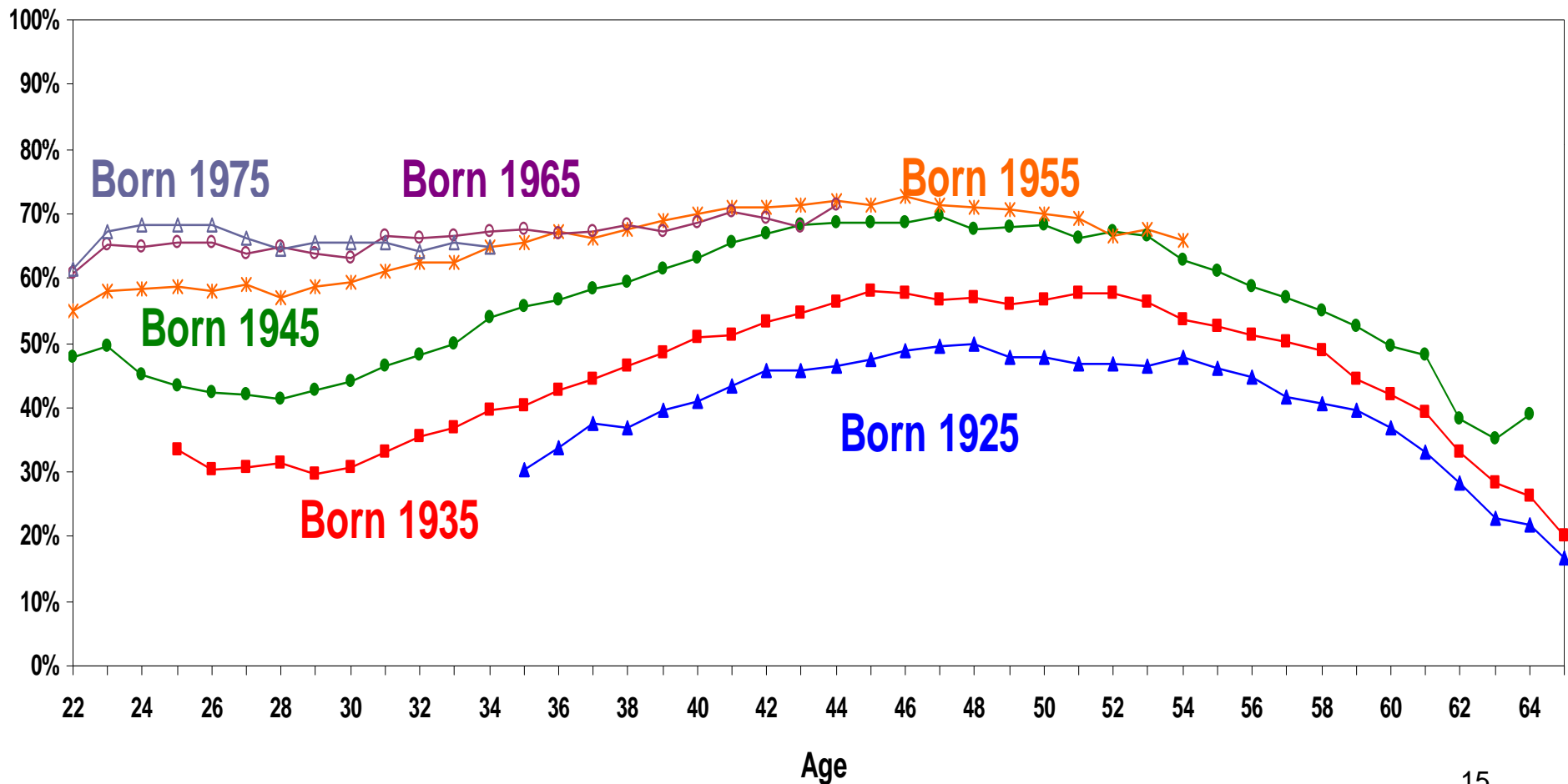
## ■ Technical Progress

Goldin(1991), Greenwood et. al.(2002),

Will show up as a *cohort* effects..

# Employment rates by Age

Post baby-boomers Cohort's FE stabilized





# An Accounting Exercise

- Measure female's employment due to:
  - **Education** increase
  - **Wage** increase/Gender Gap decrease
  - **Fertility** decline
  - **Marriage** decline/**Divorce** growth
  
- The “*unexplained*” is **Others**

Lee and Wolpin, 2008





## An Accounting Exercise

- Need an empirical model
- Use Standard *Dynamic* Female Labor Supply Model
  - Eckstein and Wolpin 1989 (EW): “old” model

Later extensions (among others..): van der Klauw, 1996, Altug and Miller, 1998, Keane and Wolpin, 2006 and Ge, 2007.



# Sketch of the Model

- Extension of Heckman (1974)
- Female maximizes PV utility
  - Chooses employment ( $p_t = 1$  or  $0$ )
  - Takes as given:
    - Education at age 22
    - Husband characteristics
    - Processes for wages, fertility, marital status
- Estimation using SMM and 1955 cohorts from CPS

Model

The woman chooses employment in order to maximize:

$$E_t \left[ \sum_{k=0}^{T-t} \delta^k U(p_{t+k}, x_{t+k}, K_{t+k-1}, N_{t+k,j} (j = 1..J), S, M_{t+k}) \right]$$

$p_t = 1$     Employed

$x_t$         Consumption

$K_{t-1}$      Experience

$N_{tj}$        Children age group  $j$

$S$           Schooling;

$M_t = 1$      Married

$$U_t = \alpha_1 p_t + x_t + \alpha_2 p_t x_t + \alpha_3 p_t K_{t-1} + \sum_{j=1}^J \alpha_{4j} N_{tj} p_t + \alpha_5 p_t S + f(N_{tj}).$$



The household's budget constraint:

$$((1 - \alpha)(1 - M_t) + \alpha)(y_t^w p_t + y_t^h M_t) = x_t + \sum_{j=1}^J c_j N_{tj} + b p_t$$

$y_t^h$  Husband's earnings

$y_t^w$  Wife's earnings

$c_j$  Goods cost per child of age  $j$ ;

$b$  Fixed cost if working;

$\alpha$  Fraction of income consumed by the wife.

## The Mincerian (Ben-Porat; Griliches) female's earning function

$$\ln y_t^w = \beta_1 + \beta_2 K_{t-1} + \beta_3 K_{t-1}^2 + \beta_4 S + \beta_5 t + \varepsilon_t.$$

Budget constraint and wage into utility imply:

Employment: 
$$U_t^1(K_{t-1}, \varepsilon_t, \Omega_t) = \alpha_1 + (1 + \alpha_2) \left( \exp\{\beta_1 + \beta_2 K_{t-1} + \beta_3 K_{t-1}^2 + \beta_4 S + \varepsilon_t\} + \bar{y}_t^h - \sum_{j=1}^J c_j N_{tj} - b \right) + \alpha_3 K_{t-1} + \sum_{j=1}^J \alpha_{4j} N_{tj} + \alpha_5 S + f(N_{tj})$$

Unemployment: 
$$U_t^0(K_{t-1}, \varepsilon_t, \Omega_t) = \bar{y}_t^h - \sum_{j=1}^J c_j N_{tj} + f(N_{tj}).$$



## Probabilities

Logistic form for: job offer probability, marriage and divorce probability and probability of having a new child



$V_t^1(\cdot)$  and  $V_t^0(\cdot)$  are the maximum expected discounted utility

if the woman at time  $t$  works ( $p_t = 1$ ) or does not work ( $p_t = 0$ ), respectively

$$v_t^1(\Omega_t, t) = U_t^1(K_{t-1}, \varepsilon_t, \Omega_t) + \beta \cdot E(V_{t+1}(K_t, \varepsilon_{t+1}, \Omega_{t+1}) | \Omega_t, p_t = 1)$$

$$v_t^0(\Omega_t, t) = U_t^0(K_{t-1}, \varepsilon_t, \Omega_t) + \beta \cdot E(V_{t+1}(K_t, \varepsilon_{t+1}, \Omega_{t+1}) | \Omega_t, p_t = 0)$$

$$V_t = \max(v_t^0, v_t^1)$$

### Solution:

Backward Solution following Eckstein and Wolpin (1989) and Keane and Wolpin (1997)

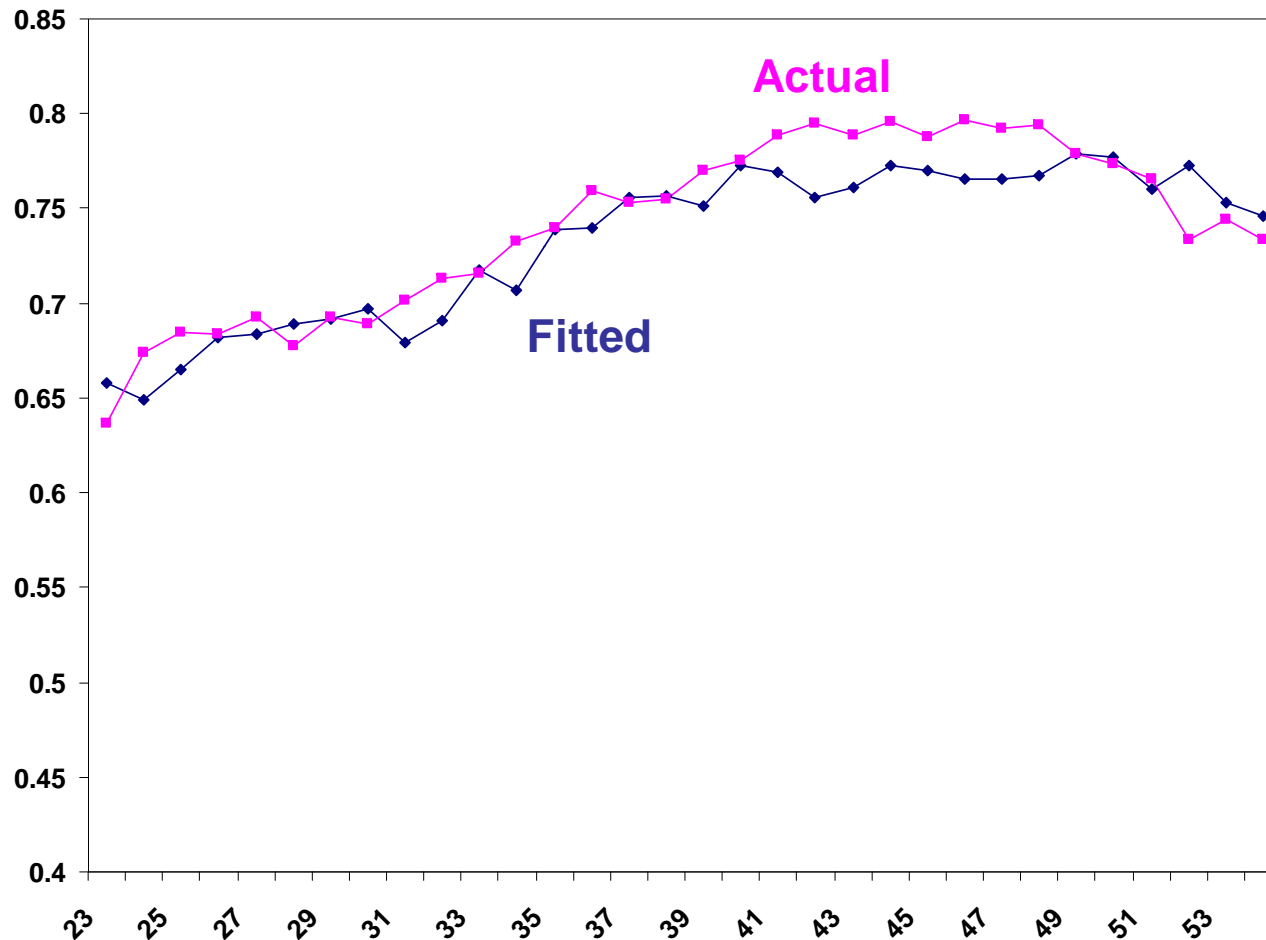


## Estimation: Structural DP model using CPS



- **Estimation EW:** SMM using 1955 cohort CPS data and choice of relevant cross-section moments. Joint estimation of the following equations :
  - **Female Employment dynamic discrete choice model with cross equation restrictions and rational expectations internal consistency** (Lucas, 1976, Sargent, 1983: Mix probit with logit FE offer rate)
  - Log wage with endogenous experience (not age).
  - MNL of Children, Marriage, Divorce
  - Random choice of husband conditional of characteristics;  
Female
- **Alternative:** MNL and Log Wage Alternative - Full Reduced form approximation. (KW, 2006, Del-Boca and Sauer 2008)

# Estimation Fit – 1955 cohort FE



HSD  
HSG  
SC  
CG  
PC

Parameters







# Back to Accounting Exercise

- For the 1955 cohort we estimated:

$$p^{55} = P^{55}(S, y^w, y^h, N, M) \text{ for each age}$$

- Contribution of *Education* of 1945 cohort ( $S^{45}$ ) for predicted FE of 1945 cohort is:

$$\text{predicted } p^{45} = P^{55}(S^{45}, y^{w55}, y^{h55}, N^{55}, M^{55})$$

- ....*Education and Wage*

$$\text{predicted } p^{45} = P^{55}(S^{45}, y^{w45}, y^{h45}, N^{55}, M^{55})$$

- ....*Etc*

# FE by Age per Cohort

0.9

How much of the differences between 1955 cohort and other cohorts accounted by changes in:

(1) **Education**

(1)+(2) **Wage**

(1)+(2)+(3) **Fertility**

(1)+(2)+(3)+(4) **Marital Status**

The unexplained = **Others** : cost\utility change at home

0.3

23 25 27 29 31 33 35 37 39 41 43 45 47 49 51 53 55 57 59 61 63 65



# Accounting for changes in FE: 1945 cohort

<b>Age Group: 28-32 1955: Actual: 69% Fitted: 69%</b>	
<b>Actual 1945</b>	<b>53%</b>
1 - Education	66%
1+ 2 Wage	65%
+ 3 Children	63%
+ 4 Martial Status	63%
<b>Other</b>	<b>10%</b>
<b>Age Group: 38-42 1955: Actual: 78% Fitted: 76%</b>	
<b>Actual 1945</b>	<b>73%</b>
1 - Education	73%
1+ 2 Wage	74%
+ 3 Children	73%
+ 4 Martial Status	73%
<b>Other</b>	<b>0%</b>


Early age total difference 16% - 10% is **Other**

# Decomposition of the change in FE

	cohort 35	cohort 45	cohort 65	cohort 75
Age Group: 23-27	55 Actual: 67%, fitted: 67%			
<b>Actual</b>		<b>50%</b>	<b>74%</b>	<b>74%</b>
1 - Education		61%	69%	72%
1+ 2 Wage		59%	69%	73%
+ 3 Children		57%	69%	73%
+ 4 Martial Status		57%	69%	74%
<b>unexplained Diff</b>		<b>7%</b>	<b>5%</b>	<b>0%</b>
Age Group: 28-32	55 Actual: 69%, fitted: 69%			
<b>Actual</b>	<b>38%</b>	<b>53%</b>	<b>74%</b>	<b>72%</b>
1 - Education	57%	66%	70%	73%
1+ 2 Wage	55%	65%	70%	73%
+ 3 Children	55%	63%	72%	73%
+ 4 Martial Status	55%	63%	72%	74%
<b>unexplained Diff</b>	<b>17%</b>	<b>10%</b>	<b>2%</b>	<b>-2%</b>
Age Group: 33-37	55 Actual: 74%, fitted: 73%			
<b>Actual</b>	<b>47%</b>	<b>63%</b>	<b>76%</b>	
1 - Education	65%	70%	73%	
1+ 2 Wage	64%	69%	73%	
+ 3 Children	64%	68%	75%	
+ 4 Martial Status	64%	68%	75%	
<b>unexplained Diff</b>	<b>17%</b>	<b>5%</b>	<b>1%</b>	

	cohort 25	cohort 35	cohort 45	cohort 65
Age Group: 38-42	55 Actual: 78%, fitted: 76%			
<b>Actual</b>	<b>53%</b>	<b>58%</b>	<b>73%</b>	<b>76%</b>
1 - Education	63%	69%	73%	74%
1+ 2 Wage	63%	68%	74%	76%
+ 3 Children	63%	69%	73%	76%
+ 4 Martial Status	63%	68%	73%	77%
<b>unexplained Diff</b>	<b>10%</b>	<b>10%</b>	<b>0%</b>	<b>-1%</b>
Age Group: 43-47	55 Actual: 79%, fitted: 77%			
<b>Actual</b>	<b>54%</b>	<b>64%</b>	<b>76%</b>	
1 - Education	67%	69%	75%	
1+ 2 Wage	65%	69%	76%	
+ 3 Children	65%	69%	75%	
+ 4 Martial Status	65%	69%	75%	
<b>unexplained Diff</b>	<b>11%</b>	<b>5%</b>	<b>1%</b>	





## Accounting for the change in FE: Cohorts of 1945, 65, 75 based on 1955

- **Education:** ~ **60%** of the change in FE
- **Wages:** ~ **10%**
- **Fertility:** ~ **10%**
- **Marriage:** ~ **0%**
- **Other:** ~ **20%**
  - **50%** at the early ages
  - **0%** for older ages



## Accounting for the change in FE: Cohorts of 1925, 35: based on 1955 Cohort

- **Education:** ~ 47% of the change in FE
- **Wages:** ~ 5%
- **Fertility:** ~ 3%
- **Marriage:** ~ 0%
- **Other:** ~ 45%

*What are the  
missing factors  
for “other”?*

- 55% at the early ages
- 35% for older ages



# What is missing factor for **early ages**?

- **Childcare cost if working**
- Change 1 parameter ( $\alpha_4$ ) – get perfect fit
  - 1945 cohort childcare cost: **\$5/hour higher**
  - 1965 cohort childcare cost: **\$0.23/hour lower**
  - 1975 cohort childcare cost: **\$0.34/hour lower**



# What is missing factor for **all ages**?

- **Childcare cost** if working
- Value of staying at home
- Change 2 parameters ( $\alpha_1, \alpha_4$ ) – get perfect fit
  - 1935, 1925 cohorts childcare cost: **\$5/hour higher**
  - 1935 cohort leisure value: **\$3.9/hour higher**
  - 1925 cohort leisure value: **\$3.5/hour higher**

*How can we explain results?*





# How can we explain results?

- Change in cost/utility interpreted as:
  - Technical progress in home production
  - Change in preferences or social norms

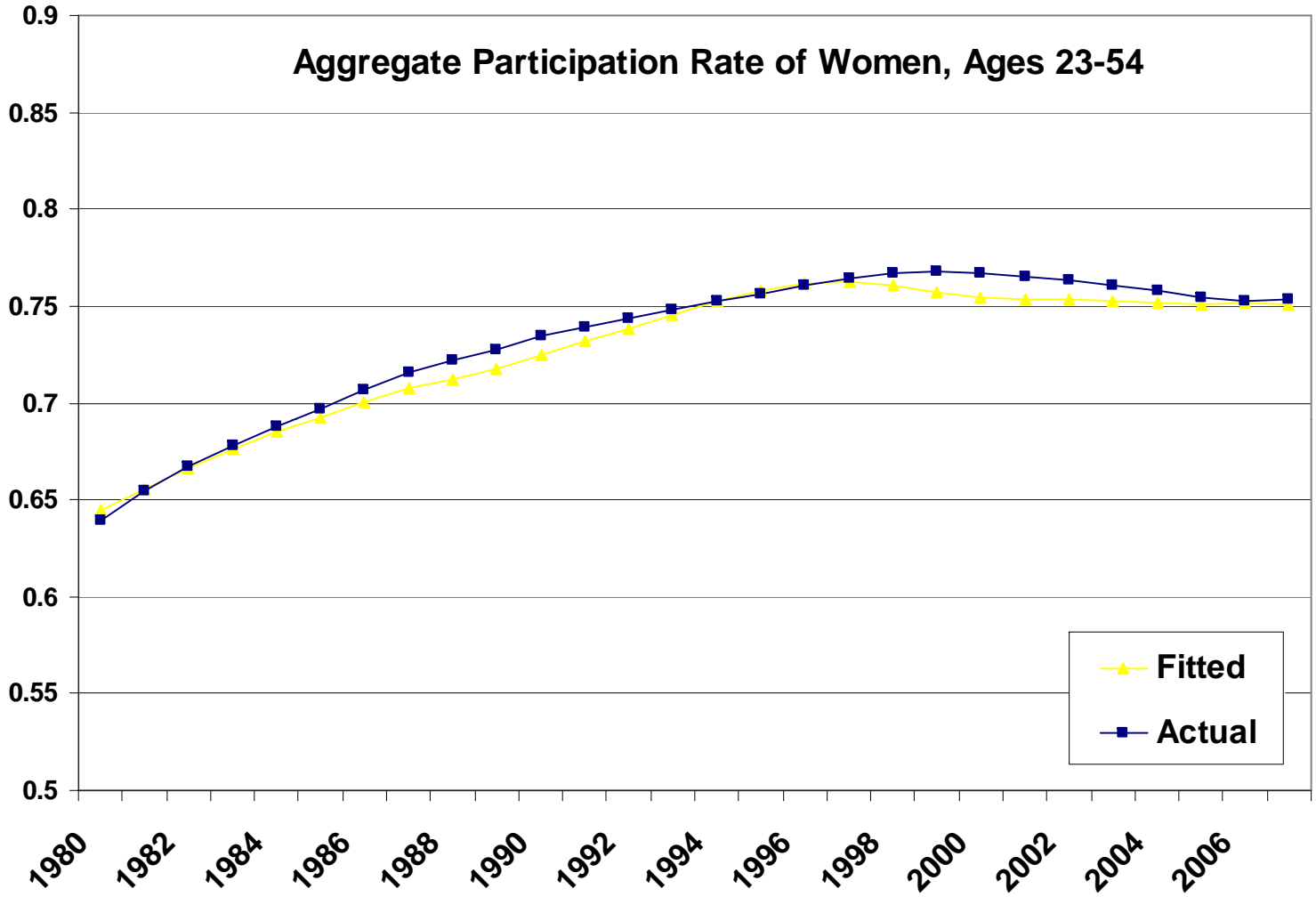


*How do we fit the aggregate  
employment/participation?*



# Aggregate fit Simulation

- Simulate the participation rate for all the cohorts: 1923-1978.
- Calculate the aggregate participation for each cohort at each year by the weight of the cohort in the population.
- Compare actual to simulated participation 1980-2007.





# Modeling change in cost/utility of leisure

- **Unobserved heterogeneity** regarding leisure/children
- **Bargaining** power of women changes
- **Household game**: a “new” empirical framework

# Labor Supply of Couples: Traditional and Modern Households – “new” Model

- Internal family game (McElroy, 1984, Chiappori, 1998)
- New empirical dynamic models of household labor supply: Lifshitz (2004), Flinn (2007), Tartari (2007)



# The Model: Household Dynamic Game

- Two types of household

- **Traditional (T):** Husband is **Stackelberg leader**.

- Every period after state is realized the husband makes the decision before the wife, and then she responds.

- **Modern (M):** Husband & Wife play **Nash**.

- Husband & wife are symmetric, act simultaneously after state is realized, taking the other person actions as given.

- Both games are solved as **sub-game perfect**.



## Sketch of Model: Choices

- Employment; Unemployment; Out of LF
  
- Initially UE or OLF - two sub-periods
  - Period 1: Search or OLF
  - Period 2: Accept a potential offer E or UE
  
- Initially E – one period
  - Quit to OLF
  - Fired to UE
  - Employment in a “new” wage.





## Sketch of Model: Dynamic program

- Max Expected PV as in EW
  - Utility functions are **identical** for both T and M
  - Characteristics of husband and wife **different**
- Game solved recursively backwards to wedding



# Utility functions:

$$U_{jt} = u(x_t) + \alpha_j \cdot l_{jt} + f(N_t) \quad l_{jt} = \text{leisure}$$

$$u(x_t) = \frac{(x_t)^{\gamma_j}}{\gamma_j} \quad f(N_t) = \gamma_0 \cdot N_t + \gamma_2 c_t + \frac{\gamma_1}{age_t} \left[ \frac{l_{Wt} + l_{Ht}}{N_t} \right]$$

$$U_{Wt}^1 = u\left((1-\alpha)(y_t^W + y_t^H \cdot d_{Ht}^1)\right) + f(N_t)$$

$$U_{Wt}^2 = u\left((1-\alpha)(y_t^H \cdot d_{Ht}^1)\right) + f(N_t) + \alpha_W \cdot (l_{Wt} - SC) + \varepsilon_{Wt}^2$$

$$U_{Wt}^3 = u\left((1-\alpha)(y_t^H \cdot d_{Ht}^1)\right) + f(N_t) + \alpha_W \cdot l_{Wt} + \varepsilon_{Wt}^3$$

$$U_{Ht}^1 = u\left((1-\alpha)(y_t^H + y_t^W \cdot d_{Wt}^1)\right) + f(N_t)$$

$$U_{Ht}^2 = u\left((1-\alpha)(y_t^W \cdot d_{Wt}^1)\right) + f(N_t) + \alpha_H \cdot (l_{Ht} - SC) + \varepsilon_{Ht}^2$$

$$U_{Ht}^3 = u\left((1-\alpha)(y_t^W \cdot d_{Wt}^1)\right) + f(N_t) + \alpha_H \cdot l_{Ht} + \varepsilon_{Ht}^3$$





## Sketch of model: Budget constraint

### The household budget constraint

$$y_t^W \cdot d_{Wt}^1 + y_t^H \cdot d_{Ht}^1 = x_t + c_t \cdot N_t$$

$y_t^W$  and  $y_t^H$  are the wife's and husband's earnings;

$d_{jt}^a$  equals one if individual  $j = H, W$  chooses alternative  $a$  at time  $t$ , and zero otherwise;

$x_t$  is the joint couple consumption during period  $t$ ;

$c_t$  is the goods cost per child,  $c_t = \alpha \cdot \left( \frac{y_t^W \cdot d_{Wt}^1 + y_t^H \cdot d_{Ht}^1}{N_t} \right)$

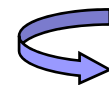
$N_t$  is the number of children in the household.

## Sketch of model: Wage and probabilities (EW)

- **Mincerian wage** functions for each  $j - H, W$

$$\ln y_t^j = \beta_1^j + \beta_2^j K_{jt-1} + \beta_3^j K_{jt-1}^2 + \beta_4^j S_j + \varepsilon_{jt}^1.$$

- **Endogenous experience**  $k_{jt} = k_{jt-1} + d_{jt}^1$
- Logistic form for job offer probability, divorce probability and probability of having a new child (like EW model).



## Logistics form for probability of employment, children and divorce:

$$\Pr(\phi(\Omega_t, P_t)) = \frac{\exp(\phi(\Omega_t, P_t))}{1 + \exp(\phi(\Omega_t, P_t))}$$

### Job Offer Probability

(function of: constant, schooling, experience and time trend):

$$(\phi(\Omega_t, P_t)) = \rho_0 + \rho_1 \cdot S + \rho_2 \cdot K_{t-1} + \rho_3 \cdot P_{t-1} + \rho_4 \cdot t$$

### Probability of Having a New Child

(function of: constant, age of couple, schooling of couple, number of children and age of youngest child):

$$(\phi(\Omega_t, P_t)) = c_0 + c_1 \cdot age_W + c_2 \cdot age_W^2 + c_3 \cdot age_H + c_4 \cdot S_W + c_5 \cdot S_H + c_6 \cdot N_{t-1} + c_7 \cdot Age\_of\_Youngest$$

### Divorce Probability

(function of: constant, years of marriage, number of children, husband and wife previous state):

$$(\phi(\Omega_t, P_t)) = d_0 + d_1 \cdot y\_marriage + d_2 \cdot N_{t-1} + d_3 \cdot P^H_{t-1} + d_4 \cdot P^W_{t-1}$$





## Sketch of Model: Main Result

- **Wives work more in M than T family** because:

- Husband earnings and offer rates are **larger**
- In **M family** she faces more uncertainty

(Husband employment and earnings are uncertain when she makes the decision independently)

# Estimation: SMM

## Data

- **PSID – Panel - 863 couples who got married between 83-84 - Cohort of 1960**
- 10 years (40 quarters) sample (at most)



2 sets of moments:

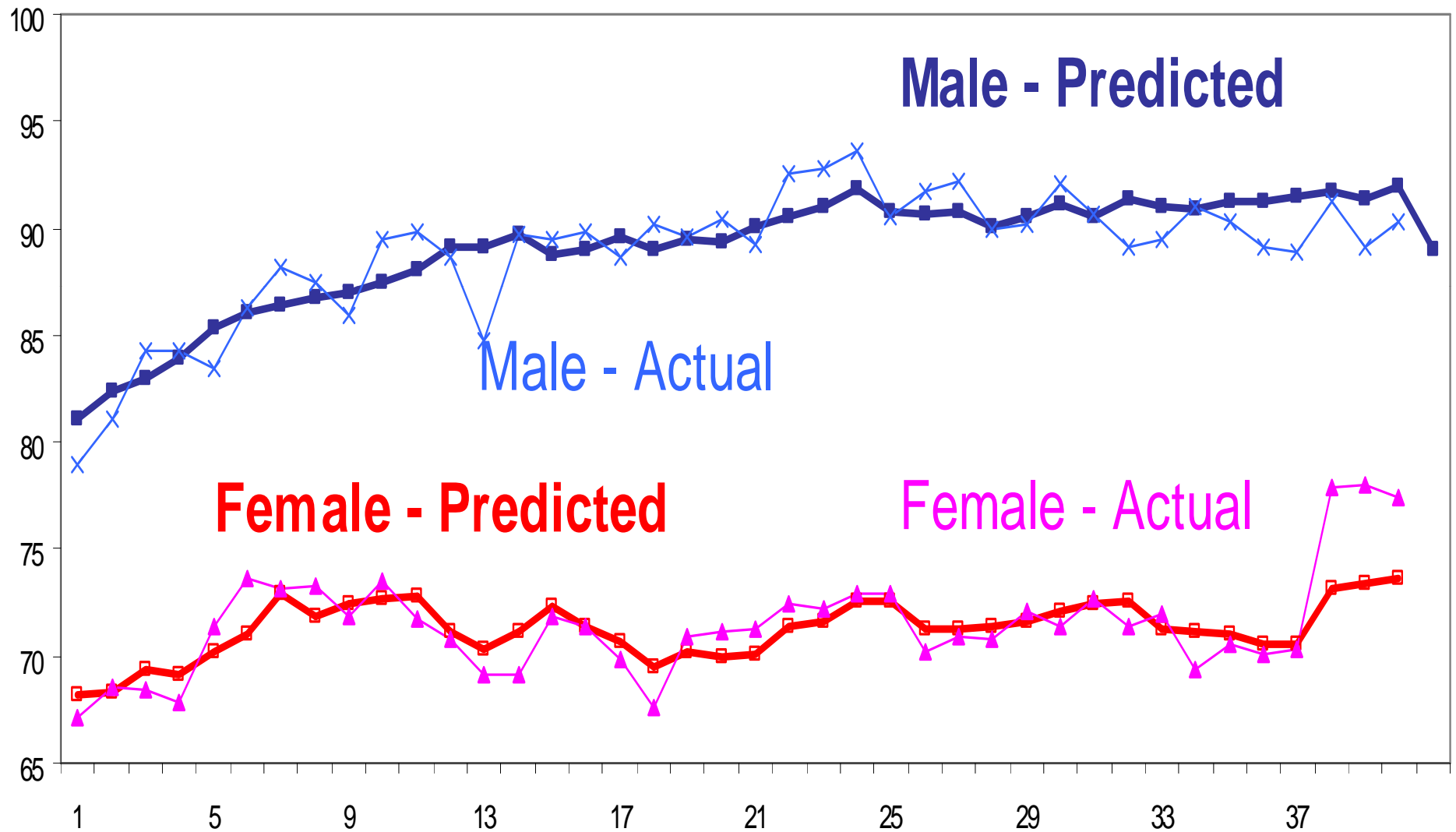
- Mean individual choice of (E; UE; OLF) by duration since marriage.
- Average predicted and actual wage for men and women by duration since marriage.



## Estimation Results

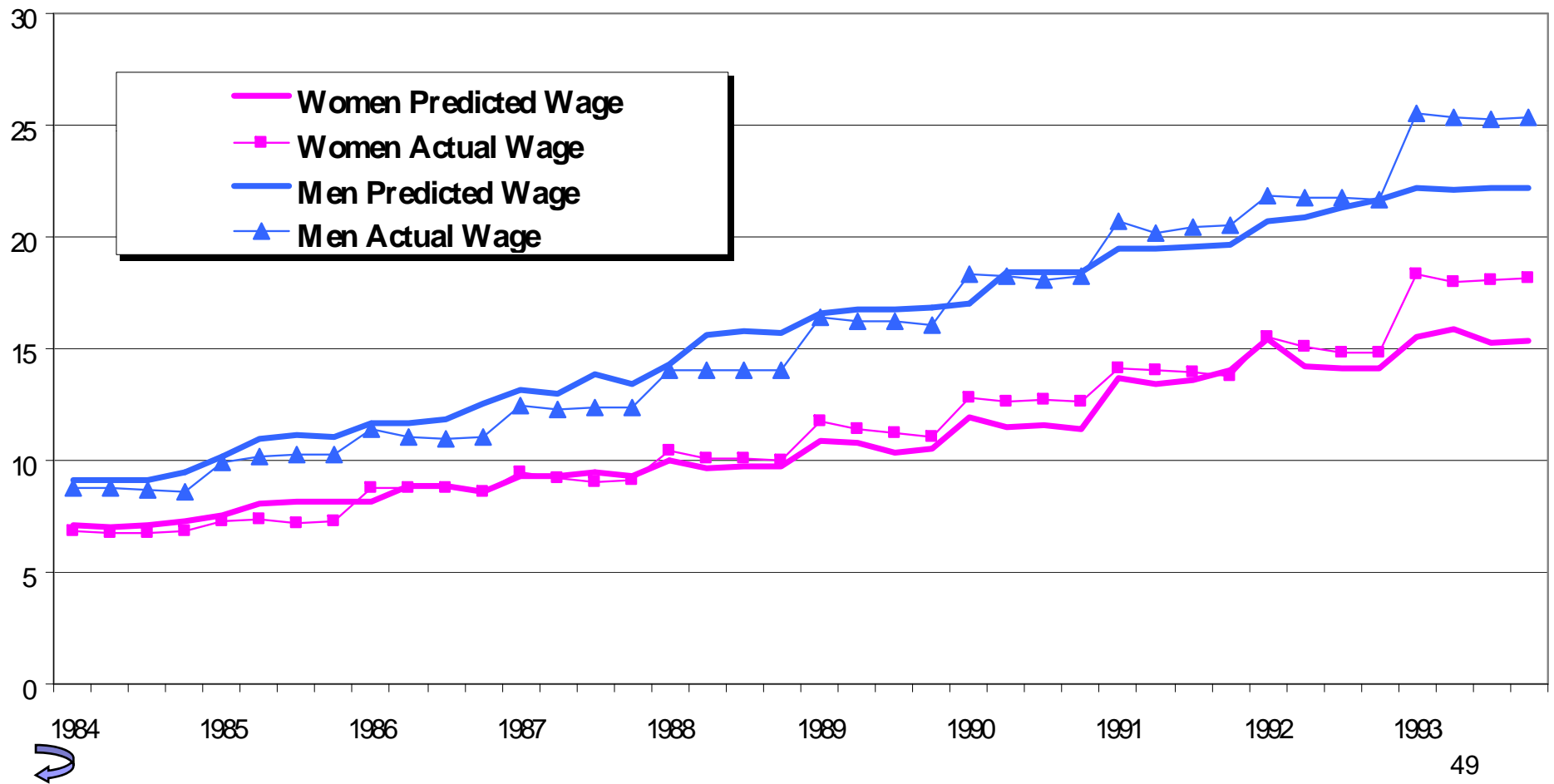
- **90%** of choices are correctly predicted
- **61%** is estimated proportion of T families
- Husbands in T & M have similar labor supply
- Wives participate **9%** more in M families

# Fit: Employment rate

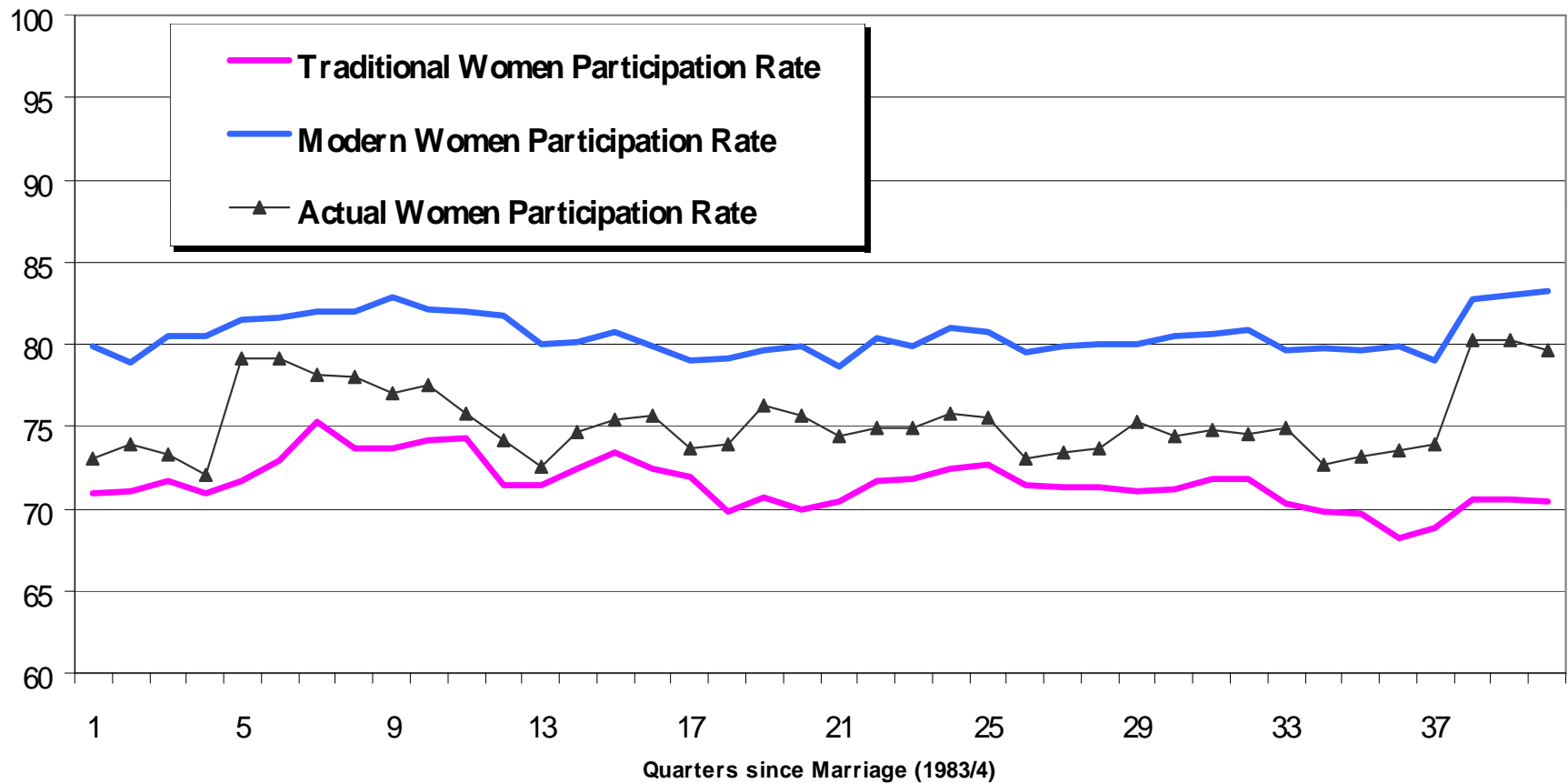




# Actual vs. Predicted Average Wage



# Predicted LFP: Traditional and Modern Women





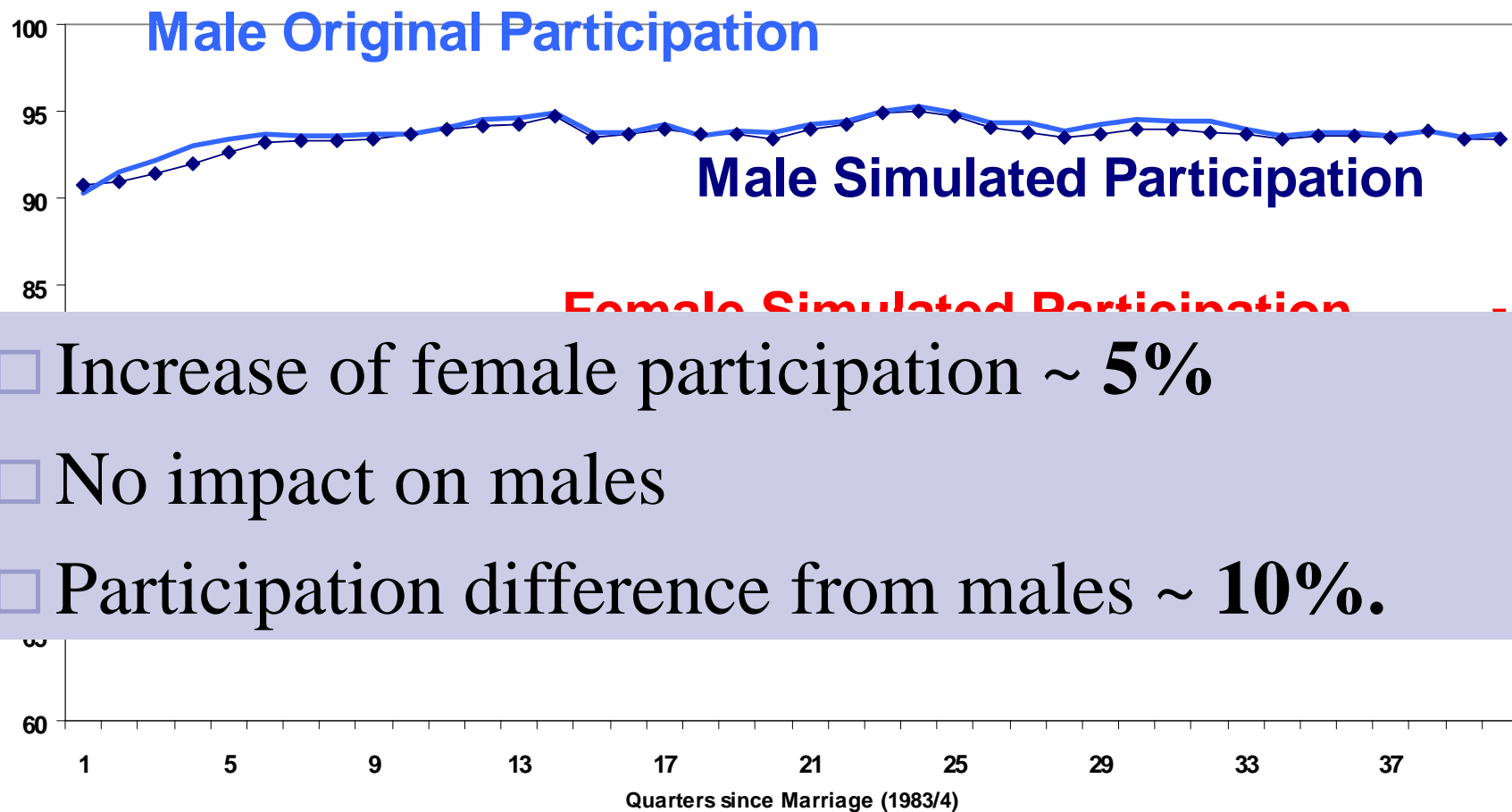
# Probability of Family type

- **Posterior probability** of **M** family is:

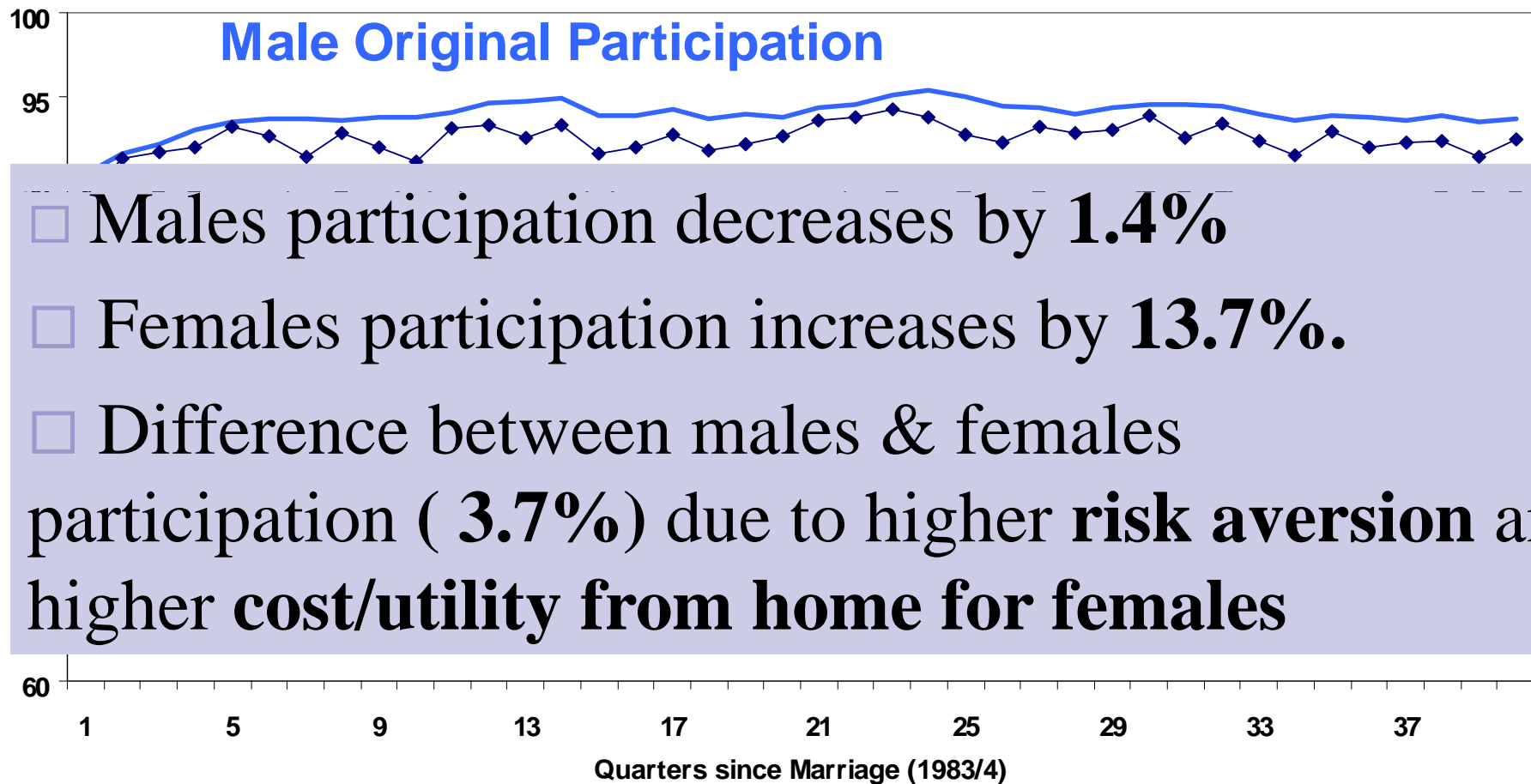
- **Negatively** correlated with: husband age at wedding, number of children, husband is black or Baptist.
- **Positively** correlated with: couples education, wife age at wedding; husband is white, Catholic; potential divorce.



# Counterfactual: 100% of Families are Modern



## Counterfactual: Full Equality - 100% of Families are Modern; Equal Wages & Job Offers for Males and Females





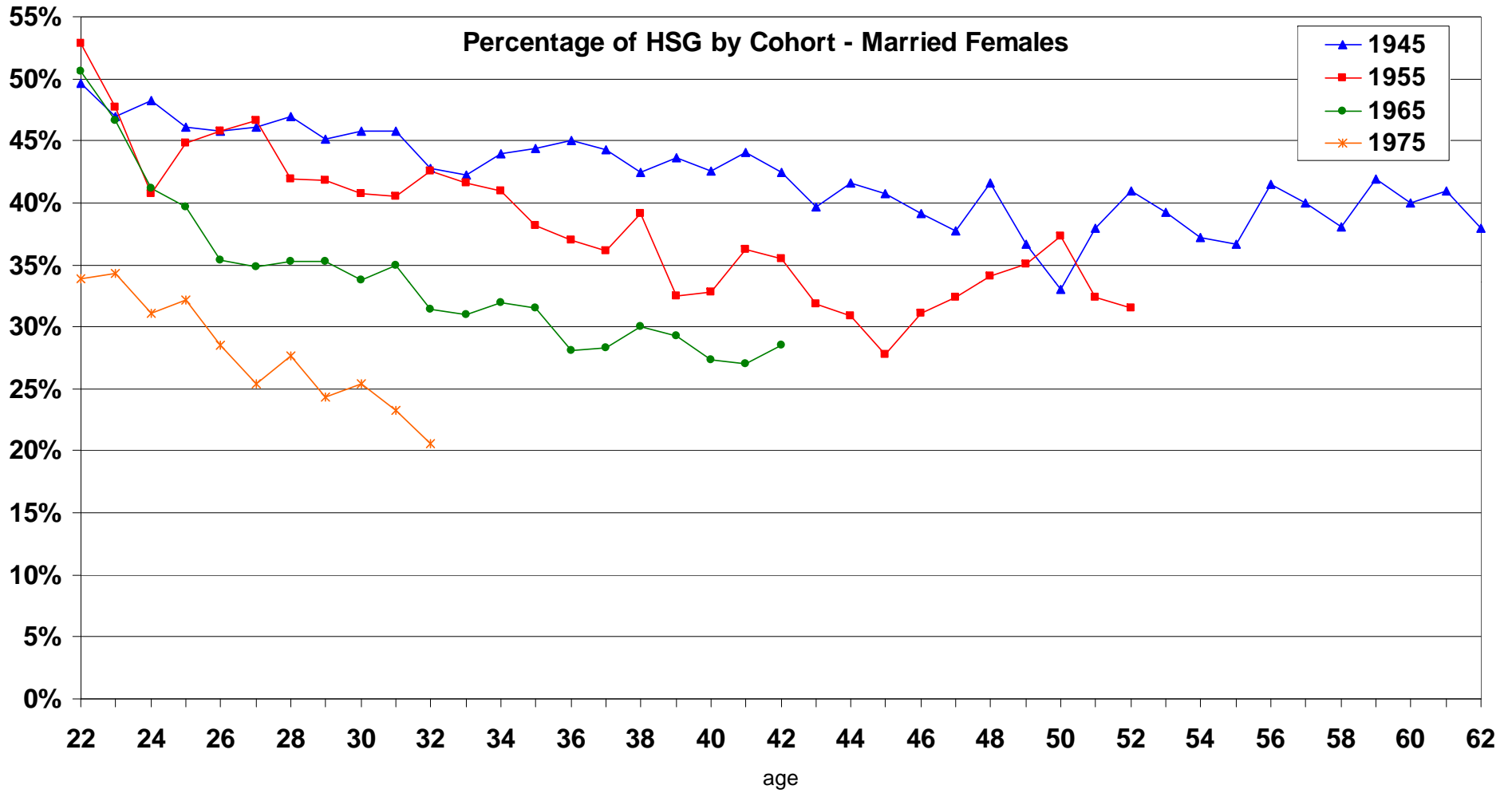
# Summary of results

- **Education** – **50%** of increase in Married FE
- **Other** – **25-35%** of increase in Married FE
- Household *game model* for change in **Social Norms (T and M families)** can account to large change in Married FE – **5% to 10%**

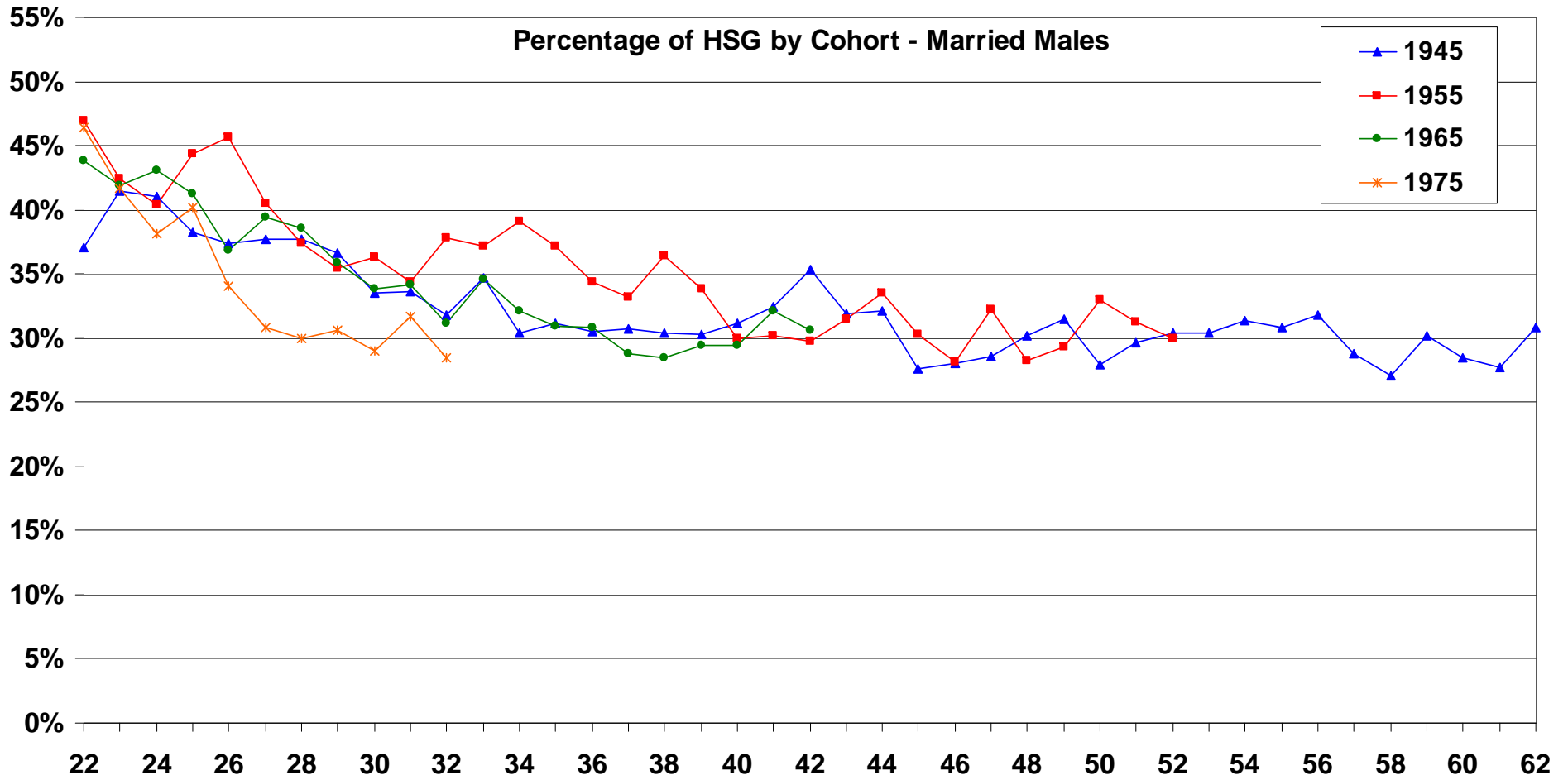


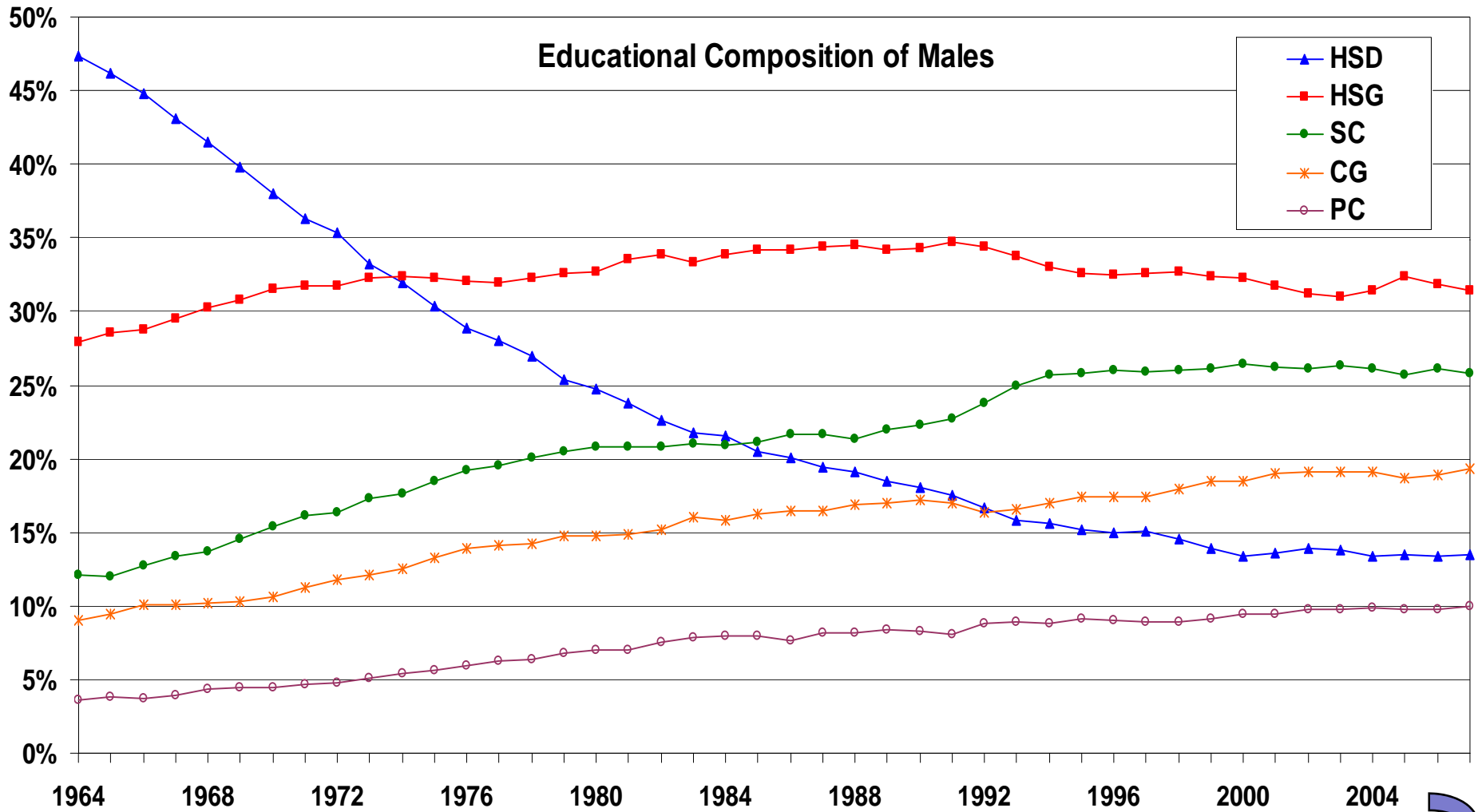
# Concluding remarks

- The two examples demonstrate the gains from using **Stochastic Dynamic Discrete models**:
  - *Dynamic selection method, rational expectations, and cross-equations restrictions are imposed*
  - *Accounting for alternative explanations for rise in US Female Employment*
- **Dynamic couples game models** are the framework for *future* empirical labor supply









# Appliances in U.S. Households, Selected Years, 1980-2001 (Percentage)

	Survey Year								
	1980	1981	1982	1984	1987	1990	1993	1997	2001
<b>Clothes Dryer</b>	<b>47</b>	<b>45</b>	<b>45</b>	<b>46</b>	<b>51</b>	<b>53</b>	<b>57</b>	<b>55</b>	<b>57</b>
<b>Clothes Washer</b>	<b>74</b>	<b>73</b>	<b>71</b>	<b>73</b>	<b>75</b>	<b>76</b>	<b>77</b>	<b>77</b>	<b>79</b>
<b>Microwave</b>	<b>14</b>	<b>17</b>	<b>21</b>	<b>34</b>	<b>61</b>	<b>79</b>	<b>84</b>	<b>83</b>	<b>86</b>
<b>Dishwasher</b>	<b>37</b>	<b>37</b>	<b>36</b>	<b>38</b>	<b>43</b>	<b>45</b>	<b>45</b>	<b>50</b>	<b>53</b>



## Logistics form for probability of employment, children, marriage and divorce:

$$\Pr(\phi(\Omega_t, P_t)) = \frac{\exp(\phi(\Omega_t, P_t))}{1 + \exp(\phi(\Omega_t, P_t))}$$

### Job Offer Probability

(function of: constant, schooling, experience and previous state):

$$(\phi(\Omega_t, P_t)) = \rho_0 + \rho_{11} \cdot HSG + \rho_{12} \cdot SC + \rho_{13} \cdot CG + \rho_{14} \cdot PC + \rho_2 \cdot K_{t-1} + \rho_2 \cdot K_{t-1}^2 + \rho_3 \cdot P_{t-1}$$

### Marriage Probability

(function of: constant, age, schooling, previously divorced):

$$(\phi(\Omega_t, P_t)) = m_0 + m_1 \cdot age + m_2 \cdot age^2 + m_3 \cdot S + m_4 \cdot D$$

### Probability of Having a New Child

(function of: constant, age, schooling, marital status, number of children and previous state):

$$(\phi(\Omega_t, P_t)) = c_0 + c_1 \cdot age + c_2 \cdot age^2 + c_3 \cdot S + c_4 \cdot M_{t-1} + c_5 \cdot N_{t-1} + c_6 \cdot N_{t-1}^2 + c_7 \cdot P_{t-1}$$

### Divorce Probability

(function of: constant, years of marriage, schooling, number of children, husband wage and previous state):

$$(\phi(\Omega_t, P_t)) = d_0 + d_1 \cdot y\_marriage + d_2 \cdot y\_marriage^2 + d_3 \cdot S + d_4 \cdot N_{t-1} + d_5 \cdot y^H_{t-1} + d_6 \cdot P_{t-1}$$



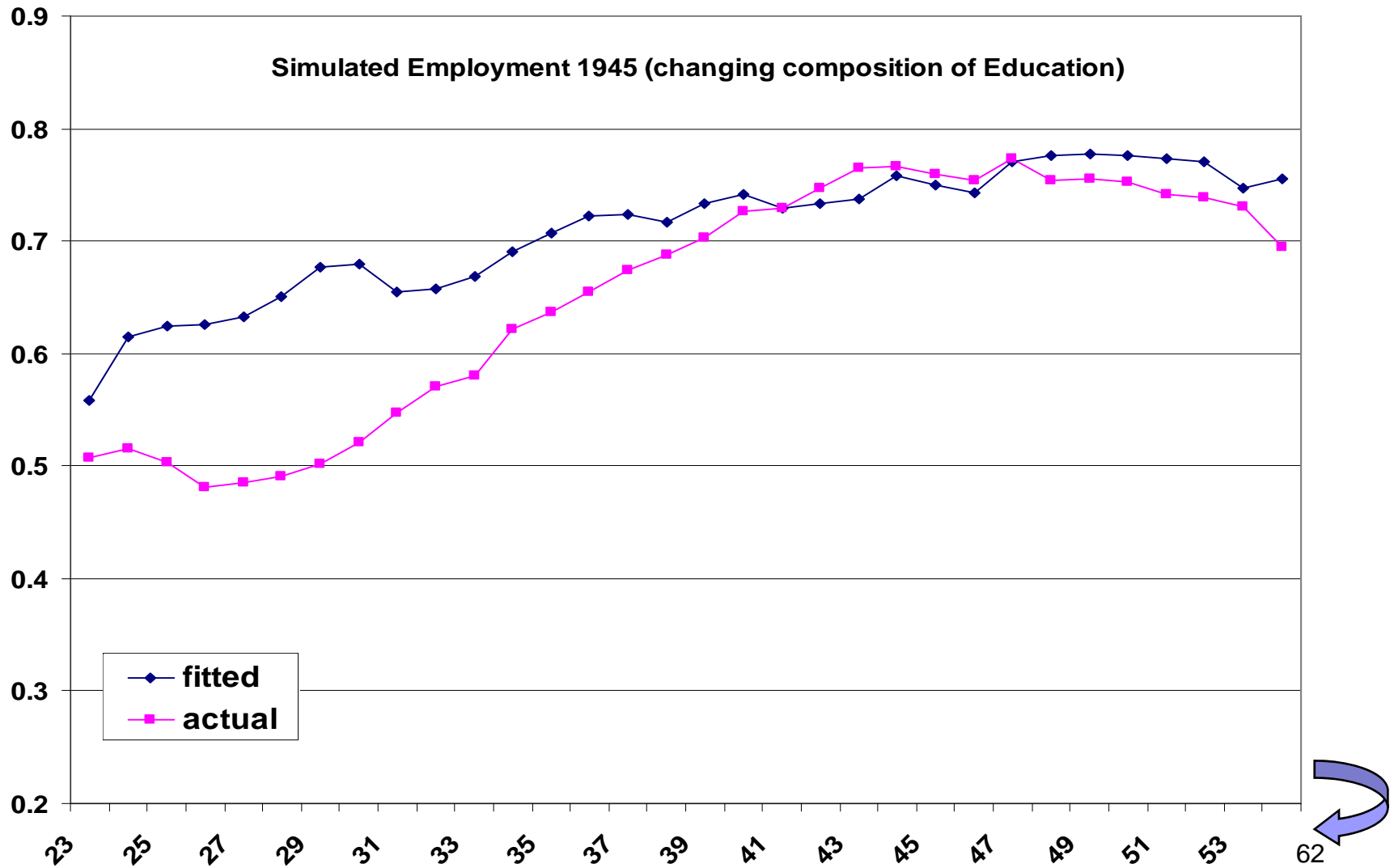
# Estimated Parameters

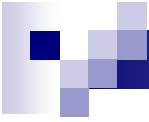
<b>Job offer probability Parameter</b>		<b>Marriage Parameter</b>		<b>Divoride Parameter</b>		<b>Children Parameter</b>	
Constant	2.412 (0.00)	Constant	2.412 (0.00)	Constant	2.412 (0.00)	Constant	2.412 (0.00)
Return to Experience	-0.001 (0.00)	Return to Age	-0.001 (0.00)	Years of marriage	-0.001 (0.00)	Return to Age	-0.001 (0.00)
Return to Experience^2	0.0007 (0.00)	Return to Age^2	0.0007 (0.00)	Years of marriage ^2	0.0007 (0.00)	Return to Age^2	0.0007 (0.00)
Previous State	0.0065	Divorce	0.0065	Number of children	0.0065	Number of children	0.0065
Return to HSG	0.007 (0.00)	Return to Schooling	0.007 (0.00)	Previous state	0.007 (0.00)	Number of children^2	0.007 (0.00)
Return to SC	0.223 (0.00)			Schooling	0.223 (0.00)	Previous State	0.223 (0.00)
Return to CG	0.486 (0.00)			Husband Wage	0.486 (0.00)	Marital Status	0.486 (0.00)
Return to PC	0.821 (0.00)					Schooling	0.821 (0.00)



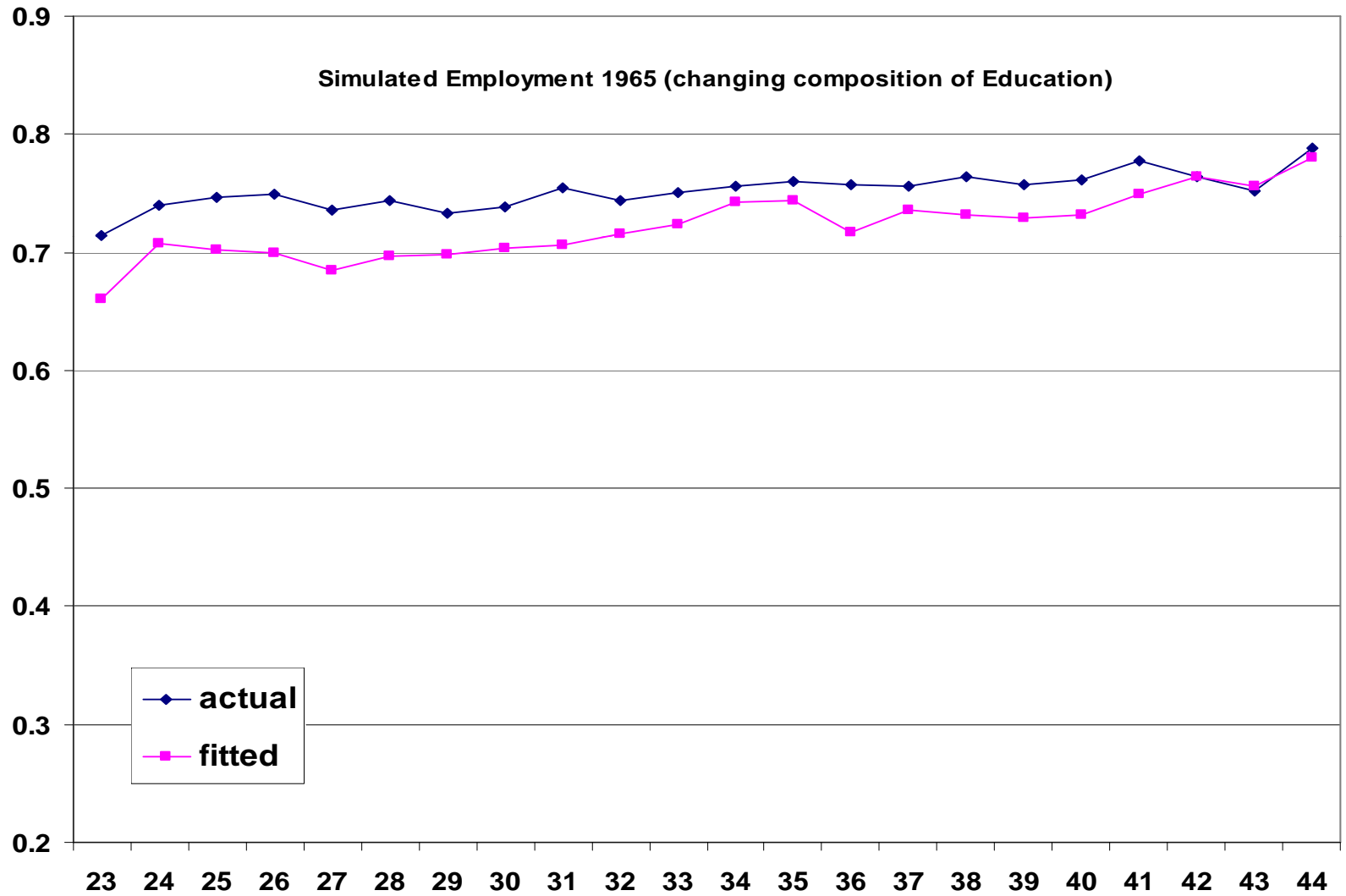


# Simulation 1945





# Simulation 1965





# Simulation 1975

