The Effect of Education and School Quality on Female Crime

Javier Cano-Urbina
Florida State University

Lance Lochner
University of Western Ontario

This paper estimates the effects of educational attainment and school quality on crime among American women. Using changes in compulsory schooling laws as instruments and census data, we estimate significant effects of schooling attainment on the probability of incarceration. Using Uniform Crime Reports data, we estimate that increases in average state schooling levels reduce arrest rates for violent and property crime but not white collar crime. We find small and mixed direct effects of school quality on incarceration and arrests. We show that the effects of education on female crime are mostly related to changes in marital opportunities and family formation.

I. Introduction

Historically, men have committed crime at much higher rates than women. As a result, most research on the determinants of and trends in crime has focused on men. Yet the share of female arrests has increased significantly in the United States over the past few decades, with women now accounting for more than one-third of all arrests for both property and white collar offenses and roughly one-fifth of arrests for violent offenses.¹

¹ In 1980, the final year for much of our analysis, women accounted for 36 percent of arrests for white collar crime, 21 percent of arrests for property crime, and 10 percent of arrests for violent crime. Violent crimes refer to murder and nonnegligent manslaughter, robbery, and aggravated assault; property offenses include burglary, larceny-theft, motor vehicle theft, and arson; white collar crimes include forgery and counterfeiting, fraud, and embezzlement. Statistics from 1980 are from Schwartz and Steffensmeier (2007), while more recent statistics are from the Federal Bureau of Investigation (FBI) Uniform Crime Reports (UCRs).

For valuable comments, we thank Isaac Ehrlich, Rodrigo Soares, Steve Machin, participants at the CESifo Area Conference on Economics of Education, and seminar participants from the University of Pennsylvania Criminology Department and the Institute of Education Sciences. We also thank Jeffrey Lingwall and Mel Stephens for providing us with measures of school quality for an extended history.
Given these trends, it is becoming increasingly important to understand the determinants of crime among women as well as men, especially factors that may be influenced by policy. This paper studies the extent to which education policies and schooling attainment discourage criminal activity among women. Most sociological theories of crime (e.g., strain, conflict, labeling, and control theories), as well as economic theories based on human capital and rational choice (Becker 1968; Ehrlich 1975; Freeman 1996; Lochner 2004), suggest that human capital investments should reduce (most types of) crime, and there is growing evidence from the United States and other developed countries that this is the case. However, nearly all of this evidence is based on studies of men. While Hjalmarsson, Holmlund, and Lindquist (2015) and Machin, Marie, and Vujić (2011) attempt to estimate the causal effects of educational attainment on crime for women as well as for men, the estimated effects for women in both studies are very imprecise.

There are many reasons to think that the impacts of education on crime may differ between men and women. To begin, the nature of many criminal offenses differs by gender: crime tends to be of a more personal nature for women. For example, female homicides are often perpetrated against their husbands or partners (Steffensmeier and Streifel 1992; Schwartz and Steffensmeier 2007). This suggests that the extent to which schooling influences family structure may be particularly important for women. In addition, women participate much less in the labor market and are more involved in household production than men, so their opportunity costs of crime likely differ. On the one hand, the lower employment rates for women suggest that the wage returns to education may be less relevant to their decisions to engage in crime. On the other hand, women typically have higher labor supply elasticities than men (Blundell and MaCurdy 1999). Women’s traditional role as secondary earners in families suggests that education’s impact on their marital prospects may be important if family resources are an important determinant of crime. Similarly, women’s traditional role as primary child caregivers (especially in single-parent homes) means that any effects of schooling on fertility may also be important if the presence of children factors into decisions to engage in criminal ac-

---

3 See Lochner (2010, 2011) and Hjalmarsson and Lochner (2012) for recent surveys.
4 Both studies estimate statistically insignificant effects of education on female crime, with large standard errors relative to the impacts one might expect, given rates of female offending. In the case of Hjalmarsson et al. (2015), the Swedish schooling reforms they study had much weaker effects on female education levels, so their instrumental variable is not as powerful for studying female crime. This is not the case for the increase in the minimum schooling age in the United Kingdom studied by Machin et al. (2011). In that study, standard errors are quite large relative to baseline crime rates among women but not men.
5 Lochner and Moretti (2004) argue that the increase in wages associated with education can explain most of the impacts of education on crime for men.
tivity (e.g., stronger incentives to avoid incarceration). We consider some of these possible channels through which education may affect female crime.

Anyone familiar with Gary Becker’s seminal contributions on human capital (Becker 1964), crime (Becker 1968), and the family (Becker 1991) will immediately see the fingerprints of his work throughout our analysis. To both guide and interpret our empirical approach, we develop a simple econometric framework based on many of the insights of his research and the research that has followed. In particular, we consider the possibility that schooling affects female crime through higher wages, as women compare the trade-off between spending time in legitimate work versus criminal activity (including potential time incarcerated). Schooling may also affect crime by raising household income (through higher wages and their impacts on work), which may alter both the costs and benefits of crime. Importantly, household income depends not only on women’s own earnings but also on those of their husbands—more educated women are likely to marry more educated, and higher-earning, men as a result of positive assortative mating. Marriage itself may also indirectly affect crime through fertility choices, as well as directly through the incentives to avoid prison or through the efficient allocation of time within the household. Finally, we recognize that a change in education policies not only should affect a woman’s crime rate through changes in her own schooling but might also affect her decision to marry (and whom to marry) through equilibrium adjustments in marriage markets, since changes in policy affect the entire distributions of male and female schooling. Equilibrium changes in marriage matching functions can introduce challenges in using schooling-policy changes as instruments for educational attainment, as is common in the literature. We discuss the likely bias introduced by these equilibrium adjustments and develop strategies to both quantify and alleviate their impacts.

Estimating the causal effect of education on crime is difficult, because factors not observed by the researcher may determine both schooling choices and criminal behavior. For example, individuals with self-control problems or who discount the future heavily may perform poorly in school or place little value on the long-run returns to education, and they may also be more likely to engage in crime. Lochner and Moretti (2004) address these endogeneity problems by using changes in state-level compulsory schooling laws over time as instrumental variables (IVs) to estimate the causal effect of educational attainment on the probability of incarceration and arrest rates for American men. Their estimates reveal that an additional year of schooling reduces the probability of incarceration by slightly more than 0.1 percentage points for white men and 0.4 percentage points for black men. These reflect 10–15 percent reductions relative to baseline incarceration rates for high school dropouts. An additional year of average schooling levels in a state reduces arrest rates by 11 percent or more. Other recent studies taking a similar estimation approach reach
similar conclusions for men in Sweden (Hjalmarsson et al. 2015) and the United Kingdom (Machin et al. 2011).6

A few studies suggest that improvements in school quality may lead to reductions in criminal activity during early adulthood. For example, using randomized school admission lotteries, Cullen, Jacob, and Levitt (2006) and Deming (2011) find that students who “win” the opportunity to attend better-performing public schools commit less crime during school and the first few years after leaving school. Weiner, Lutz, and Ludwig (2009) show that desegregation initiatives in some US states led to substantial improvements in school quality for blacks. Among blacks experiencing desegregation, high school graduation rates increased by a few percentage points and homicide arrest rates declined by one-third at ages 15–19. Little is known about the longer-run impacts of school quality on crime, and there are no studies that examine the effects of more direct measures of quality.7

Our empirical analysis begins by estimating the effects of state-level compulsory schooling laws and direct measures of elementary and secondary school quality (pupil/teacher ratios, school term length, and teacher wage rates) on female incarceration and arrest rates throughout adulthood. These results suggest that education policies during childhood and adolescence can serve as criminal deterre nts later in life. To understand why, we examine the effects of these policies on educational attainment, family structure, work behavior, and family earnings. Consistent with prior research, we observe substantial impacts of mandatory schooling laws and school quality on educational attainment among women. Our estimates also suggest very small (mostly insignificant) impacts on a woman’s own work behavior but moderate impacts on marriage, spousal earnings, and fertility behavior. Thus, schooling policy and educational attainment are most likely to affect female crime rates through family structure rather than through the trade-off between work and crime that appears to be important for men.

Assuming that the impacts of schooling laws on female crime derive from changes in female education levels, we simultaneously estimate the effects of educational attainment and school quality on female incarceration and arrest rates, using changes in compulsory schooling laws as in-

---

6 Studying more recent American male cohorts, Bell, Costa, and Machin (2016) find weaker effects of compulsory schooling laws on educational attainment (especially for white men) but statistically significant impacts on arrests and incarceration.

7 Evidence on the effects of state-level school quality measures on earnings is mixed (Card and Krueger 1992a; Heckman, Layne-Farrar, and Todd 1996; Hanushek 2002). In their analysis of state-level school quality on earnings, Heckman et al. (1996) argue that interactions between region of birth and region of residence are important to account for selective migration and the possibility that skills acquired by attending school in one region may not be rewarded equally in other regions of the country. Although these forces are less likely to be important for our analysis of criminal behavior, we also consider specifications that account for these interaction effects.
struments for attainment. In examining the impacts of school quality, we consider both the direct effects, holding schooling attainment constant, and the indirect effects through increases in attainment. By simultaneously considering the impacts of attainment and quality, we address important concerns raised by Stephens and Yang (2014) that increases in compulsory schooling laws are correlated with improvements in school quality in the United States.

Based on 1960–80 US census data, our IV estimates suggest that an additional year of schooling reduces incarceration rates by 0.04–0.08 percentage points for white and black women. These estimates are largely unaffected by controls for school quality. Notably, we also estimate significant (though smaller) effects of schooling on incarceration when we control (and instrument) for marital status. The direct effects of quality improvements on incarceration are relatively small and mixed, while the indirect effects of quality through increased schooling attainment are mostly positive and modest in size.

A similar picture emerges when we estimate the effects of schooling attainment and quality on state-level arrest rates for women, using data from the 1960–90 FBI’s UCRs. Regardless of whether we control for school quality, our IV estimates suggest significant effects of educational attainment on arrest rates for violent and property crime but not white collar crime. By contrast, school quality improvements have mixed (direct) effects on state-level female arrest rates.

Like the rest of the literature, our analysis uses indirect measures of crime: arrests and incarceration. If human capital reduces the probability of arrest (conditional on crime) and the probability of incarceration or sentence length (conditional on arrest), our estimates will incorporate these effects and overstate the impact of education/school quality on crime itself. While there is little direct evidence on the effect of education on the probability of arrest, Mustard (2001) and Steffensmeier and Demuth (2000) estimate negligible effects of defendant education on the probability of incarceration and sentence lengths, conditional on conviction. Furthermore, Lochner (2004) and Lochner and Moretti (2004) estimate similar effects of educational attainment on self-reported crime, arrests, and incarceration (in percentage terms) among men, while Weiner et al. (2009) estimate significant effects of school desegregation on homicide arrest and victimization rates among young black men. Altogether,
these studies suggest that our findings for arrests and incarceration are likely to apply more broadly to underlying criminal behavior as well.

This paper proceeds as follows. Section II discusses the economics of schooling, marriage, and crime, developing a simple econometric framework that guides and aids in interpreting our empirical analysis. In particular, we discuss several channels through which education policy and schooling may affect criminal behavior. We also discuss the conditions under which IV estimates can identify the total effect of education on crime when the instruments may affect marriage markets and marital sorting. Section III describes the census and UCR data used in our empirical analysis, along with our state- and cohort-level measures of compulsory schooling laws and school quality. The main contribution of this paper is contained in Sections IV and V. Section IV empirically studies the effects of state-level schooling laws and quality on female incarceration and arrest rates. This section also shows how these education policies affect educational attainment, marriage and family structure, employment, and earnings. In Section V, we estimate the effects of educational attainment and school quality on female incarceration and arrest rates, using compulsory schooling laws as instruments for attainment. Section VI briefly discusses the channels through which schooling likely affects female crime. We summarize our findings and offer concluding thoughts in Section VII.

II. The Economics of Schooling, Marriage, and Crime—a Simple Econometric Framework

This section develops an econometric framework for estimating the effects of schooling policy and educational attainment on female crime. This framework incorporates several important channels by which policies and education may affect crime, with particular attention paid to the role of marriage. While our empirical analysis assumes linear relationships between key variables, we take a more general approach here.

Suppose a woman’s crime rate $c$ depends on whether she is married ($m = 1$) or single ($m = 0$), her wages $w$, total family income $Y$, schooling attainment $s$, school quality $Q$, and an idiosyncratic random shock $\epsilon$:

$$c = C^m(w, Y, s, Q) + \epsilon.$$  

Assume that women’s wages $w(s, Q)$ and earnings $y(s, Q)$ are strictly increasing in their schooling attainment and school quality.\textsuperscript{11} Educational attainment depends on schooling laws $L$, school quality $Q$, and an idiosyncratic shock $\eta$:

$$s = S(L, Q) + \eta,$$

where $S(L, Q)$ is strictly increasing in both $L$ and $Q$.

\textsuperscript{11} For simplicity, we abstract from shocks to wages and earnings; however, it is straightforward (though a bit cumbersome) to incorporate both.
To reflect the fact that education policies affect the entire distributions of educational attainment for men and women, and therefore marriage markets, let $\theta(L, Q)$ represent a statistic for the joint schooling distribution for men and women (e.g., relative average education levels) that determines sorting in marriage matching markets. This “matching statistic” $\theta$ can affect both the probability of marriage and the educational attainment of matched spouses. For expositional purposes, we assume that a single statistic defines all matches; however, it is straightforward to allow for an entire vector of statistics. Marriage decisions and spousal education $\tilde{s}$ depend on a woman’s own schooling as well as marriage markets:

$$m = 1(m^* < 0),$$
$$m^* = M(s, \theta(L, Q)) - \xi,$$
$$\tilde{s} = \tilde{S}(s, \theta(L, Q)).$$

Total household income includes the woman’s and her spouse’s income (if married):

$$Y = y(s, Q) + m \cdot \tilde{y}(\tilde{s}, Q),$$

where spousal income $\tilde{y}(\tilde{s}, Q)$ depends on school quality $Q$ and is strictly increasing in the spouse’s education $\tilde{s}$. We assume that all shocks are mean zero and independent of both policy variables, $(\varepsilon, \eta, \xi) \overset{\text{iid}}{\sim} (L, Q)$. In this sense, the policy variables $(L, Q)$ are exogenous.\(^{12}\)

While we do not explicitly model fertility behavior, which may be influenced by education policies and affect crime, it should enter the problem in a way qualitatively similar to that of wages or family income, since the number of children in the household is likely to be affected by schooling attainment, school quality, and marital status.\(^{13}\) Incorporating the number of children in the household would not alter our main points and discussion below, except to add an additional channel through which education and education policies may affect crime.

The marginal impact of additional schooling on crime for women with schooling $s$ under laws $L$ and quality $Q$ depends on their marital status $m \in \{0, 1\}$:

$$\beta^w(s, L, Q) = \frac{dc}{ds} = \frac{\partial C^w}{\partial w} \frac{\partial w}{\partial s} + \frac{\partial C^w}{\partial y} \frac{\partial y}{\partial s} + m \left( \frac{\partial C^w}{\partial Y} \frac{\partial Y}{\partial \tilde{s}} + \frac{\partial C^w}{\partial \tilde{s}} \right).$$

This includes “substitution effects” of schooling through higher wages, “income effects” through higher family income, and “direct effects” of

\(^{12}\) It is straightforward to condition the entire analysis on any additional exogenous characteristics; however, we refrain from doing so here to simplify the exposition.

\(^{13}\) This does not necessarily mean that an increase in the number of children in the household would have the same effects (or even effects of the same sign) as increases in wages or family income. Instead, we claim that the expressions related to wages and family income in the equations that follow could apply equally to the number of children in the household.
schooling on crime. For married women, it includes an additional income effect that derives from a different match in the marriage market. In the standard economic model of crime, in which committing crime or incarceration as punishment for crime requires time out of the labor market, higher wages reduce crime (Ehrlich 1975; Grogger 1998; Freeman 1999; Lochner 2004). Empirical studies confirm this relationship (Grogger 1998; Gould, Weinberg, and Mustard 2002; Machin and Meghir 2004). It is also commonly thought that higher family income leads to less crime; however, the evidence is largely inconclusive or mixed. The direct effects of schooling on crime may reflect any impacts of education on preferences (for risk, time discounting, self-control, or sociability) that may alter incentives to engage in crime.

A standard regression of crime on schooling attainment will produce inconsistent estimates of $\beta^w(s, L, Q)$ if $\varepsilon$ is not independent of $s$, conditional on $(L, Q)$. Among single women, schooling laws affect crime only indirectly through schooling attainment, suggesting that they may serve as valid instruments. This is not necessarily the case for married women, since schooling policies may also affect their crime directly through impacts on the distribution of schooling and marital matching functions if $\partial S/\partial \theta$ and $\partial \theta/\partial L$ are nonzero. To see this, note that the “reduced-form” effects of schooling laws on crime are given by

$$\frac{dc}{dL} = \beta^w(s, L, Q) \frac{\partial S}{\partial L} + m \left( \frac{\partial C^w}{\partial Y} \frac{\partial \varepsilon}{\partial S} \frac{\partial \theta}{\partial L} \right),$$

(1)

where $m \in \{0, 1\}$. Dividing this by $\partial S/\partial L$ yields

$$\frac{dc}{dL} = \frac{\partial c}{\partial S} \frac{\partial S}{\partial L} = \beta^w(s, L, Q) + m \left( \frac{\partial C^w}{\partial Y} \frac{\partial \varepsilon}{\partial S} \frac{\partial \theta}{\partial L} / \frac{\partial S}{\partial L} \right),$$

(2)

where $m \in \{0, 1\}$. If $E[\varepsilon|L, Q, m = 0] = 0$, an IV approach (using schooling laws as instruments for schooling attainment) should yield consistent estimates of the average total effect of education on crime for the sample of unmarried women. For married women, the second term in equation (2) reflects the impacts of changes in marital sorting (i.e., spousal education, conditional on own educational attainment) due to adjustments in the marriage market. These equilibrium effects can lead to inconsistent IV estimation of the causal effect of education on crime unless either (1) income effects on crime are zero (for married women), $\partial C^w/\partial Y = 0$, or (2) changes in schooling laws do not alter spousal schooling levels except

---

14 For single women, schooling laws affect crime only through schooling, so the marginal effect of additional schooling on their crime does not depend on $L$, i.e., $\beta^w(s, L, Q) = \beta^w(s, Q)$.

15 See Tittle, Villemez, and Smith (1978) for an influential early meta-analysis of the effects of social class on crime. More recently, Heller, Jacob, and Ludwig (2011) provide a survey of the (mostly economics) literature on the effects of family income on crime, focusing primarily on adolescents and young adults.

16 Appendix B presents analogous “reduced-form” effects of school quality on crime.
through changes in women’s own schooling, \( (\partial \delta / \partial \theta)(\partial \theta / \partial L) = 0 \). If either of these conditions holds and \( E[c|L, Q, m = 1] = 0 \), then an IV approach should yield consistent estimates of the average total effect of education on crime for married women (see app. B for additional details). It is important to note that our exogeneity assumption \( \varepsilon \perp (L, Q) \) does not necessarily imply that \( E[c|L, Q, m] = 0 \), in which case any selection introduced by conditioning on marital status would have to be addressed. Below, we consider a control function approach.

Finally, consider average crime among all women, regardless of their marital status. Letting \( P(s, L, Q) \) reflect the probability that a woman with schooling level \( s \) under laws \( L \) and quality \( Q \) is married, the total effect of an increase in own schooling on expected crime is

\[
\beta(s, L, Q) = \frac{dE[c|s, L, Q]}{ds} = (1 - P(s, L, Q))\beta^0(s, L, Q) + P(s, L, Q)\beta^1(s, L, Q) + \frac{\partial P}{\partial s} \Delta(w, Y, s, Q),
\]

where \( \Delta(w, Y, s, Q) = C^1(w, Y, s, Q) - C^0(w, Y, s, Q) \) is the effect of marriage on crime (see app. B for further details). In addition to a weighted average of the effects on single and married women, schooling also affects expected crime rates through its impact on the probability of marriage.

As described in appendix B, using schooling laws as instruments for educational attainment in the full sample of women has two potential sources of bias: (1) changes in the matching function can affect which type of man any given woman might marry, conditional on her educational attainment; and (2) changes in the marriage matching function might affect whether women decide to marry at all (conditional on their education). If family income and marriage both reduce crime and increased mandatory schooling raises marriage rates and improves the education distribution of spouses, then estimated (negative) effects of own schooling on crime are likely to be exaggerated when schooling laws are used as instruments.

It is worth noting that even large effects of schooling laws on male and female education levels need not affect marital matching functions. For example, if the ratio of male to female education (e.g., high school graduate rates) determines the likelihood of finding a spouse and the education of that spouse, then an increase in compulsory schooling laws that proportionally affected male and female education levels would have no effect on marital matching functions. In this case, women who increase their education would match with more educated men and, perhaps,

---

17 We have implicitly assumed that spousal education affects crime only through household income; however, it is possible that a more educated spouse could exert other positive influences on behavior. This would also lead to bias unless schooling laws had no effect on marriage matching functions.

18 If marriage shocks are independent of crime shocks, conditional on schooling laws and quality, \( \xi \perp \varepsilon|(L, Q) \), then \( E[\varepsilon|L, Q, m] = 0 \).
marry at higher rates as a result, but there would be no effect on marriage rates and matches for women who did not adjust their schooling. This would not create any bias for IV estimation of $\beta(s, L, Q)$, since the impacts of schooling laws would come entirely through adjustments in women’s own schooling attainment.

Appendix B presents a special case in which marriage has no direct effect on crime. In this special case, if crime is nonincreasing in wages, household income, and schooling, then a negative IV estimate implies that $\tilde{\beta}(s, L, Q) < 0$, since negative effects from higher spousal income must be accompanied by negative effects of higher own income. In this case, we can bound the extent to which any marital matching effects bias our estimates if there is positive assortative mating.

Altogether, this simple framework suggests that when marriage matching functions are affected by the schooling law instruments, IV estimates of the effects of crime are likely to be biased toward finding too strong an effect. In some cases, it is possible to bound the extent of the bias. Better still, one can estimate the effects of schooling (and school quality) separately by marital status, while addressing concerns about selection into marriage. Alternatively, one could simply control (and instrument) for marital status along with schooling and school quality. It is useful to remember, however, that these solutions will produce estimated effects of education that omit any impacts that come through changes in marital status.

III. Data

This section provides a brief description of the data and samples used in our empirical analysis (see app. A for further details). Similar data on incarceration, arrests, educational attainment, and compulsory schooling laws (for men) are used in Lochner and Moretti (2004). Data on school quality from Card and Krueger (1992a; extended by Stephens and Yang 2014) are also incorporated.

A. Census Data on Incarceration, Education, Family, Work, and Earnings

We use individual-level data from the 1960, 1970, and 1980 US censuses to study the link between education policy and female incarceration rates. Table A1 presents descriptive statistics for key variables in our sample of 20–60-year-old women from the US censuses. Over the 1960–80 period, about 0.02 percent of white women and 0.1–0.15 percent of black women were in prison at the time of the censuses. Average education increased by 1.6 years for whites and 2.8 years for blacks.

Table 1 presents the unconditional relationship between schooling and female incarceration in the census data. Female incarceration rates are typically more than twice as high for high school dropouts as for those who finished high school. Incarceration rates are lowest for college graduates. Figure 1 indicates that the relationship between schooling attain-
ment and incarceration, conditional on individual characteristics (age, state of birth, state of residence, cohort of birth, and year), is negative over most grades, with particularly strong drops in incarceration associated with high school completion.

We also use a number of other variables available in the censuses to study key channels through which education policy and education may affect crime. To measure impacts of education and education policy on family structure, we use women’s marital status at the time of the survey, as well as their husband’s educational attainment. For women aged 20–40, we use the total number of their own children in the household as a measure of fertility.\footnote{We limit our analysis of this variable to ages 20–40 in an effort to best capture total fertility to date, since very few women have children after age 40 and most children should still be living with their parents up to that point. Less than 1 percent of women report 9 or more children; they are topcoded as having 9.} We also create an indicator for teen motherhood by using the oldest child’s year of birth less the mother’s year of birth. Since we know this only for children residing in the household, we limit our analysis of teen motherhood to women aged 20–35. To measure effects on work decisions, we use weeks worked last year and create an indicator variable for whether women were employed in the previous year (i.e., positive weeks worked).\footnote{For 1960 and 1970, weeks worked was reported only in intervals. We use the midpoint of these categories.} The census data also contain measures of pretax earnings in the previous year for both respondents and their spouses.

### B. Compulsory Schooling Laws and School Quality Measures

Both compulsory schooling attendance laws (Acemoglu and Angrist 2001) and school quality (Card and Krueger 1992a) have been shown to affect educational attainment and subsequent earnings. We use state-year-level data on these education policy variables to calculate the laws and quality

\begin{table}[h]
\centering
\caption{Census Incarceration Rates for Women (Percent)}
\begin{tabular}{lcccc}
\hline
\multicolumn{5}{c}{All Years} \\
\hline
\multicolumn{1}{c}{} & 1960 & 1970 & 1980 \\
\hline
White women: \\
High school dropouts & .04 & .03 & .05 & .05 \\
High school graduates & .02 & .01 & .01 & .02 \\
Some college & .02 & .01 & .01 & .02 \\
College+ & .00 & .00 & .00 & .01 \\
Black women: \\
High school dropouts & .20 & .17 & .15 & .22 \\
High school graduates & .09 & .04 & .05 & .10 \\
Some college & .11 & .04 & .04 & .12 \\
College+ & .06 & .00 & .00 & .07 \\
\hline
\end{tabular}
\end{table}

Note.—”High school dropouts” completed less than 12 years of schooling, “high school graduates” completed exactly 12 years of schooling, “some college” completed 13–15 years of schooling, and “College+” completed at least 16 years of schooling.
Figure 1.—Probability of incarceration by years of schooling, conditional on age, state of birth, state of residence, cohort of birth, and year for white (A) and black (B) females. Regression-adjusted probability of incarceration is obtained from a regression of an indicator for incarceration on indicators for state of residence, state of birth (excluding Alaska and Hawaii), age (20–22, 23–25, …, 56–58, and 59–60), decade of birth (1914–23, 1924–33, …, 1964–74), and year. Results are based on a sample of women aged 20–60 in the 1960, 1970, and 1980 US censuses. The sample size for white females is 3,613,313, and that for black females is 480,709.
measures that applied during the relevant ages for women in our census samples. We briefly describe these measures here and refer the reader to appendix A for further details.

Compulsory schooling laws typically require that youth attend school for a given number of years or specify the ages at which youth must start and can end their schooling. Following Acemoglu and Angrist (2001) and Lochner and Moretti (2004), we combine these laws to create three indicator variables reflecting the minimum number of required years of schooling: 9 years, 10 years, and 11 or more years. These indicators are created for individuals on the basis of the laws that applied (in their state of birth) when they were 14 years old. Table 2 reports the fraction of women in our sample who experienced different compulsory schooling laws. As demonstrated in the table, years of compulsory schooling generally increased over time; however, Lochner and Moretti (2004) show that there is considerable cross-state variation in the time patterns for these laws, with some states even relaxing compulsory schooling laws during some periods.

Our analysis considers three measures of school quality from Card and Krueger (1992a), extended by Stephens and Yang (2014): (1) pupil/teacher ratios, (2) school term lengths, and (3) average teacher salaries.21 In calculating each school quality measure for an individual, we use the average value in their state of birth over ages 6–17. Since state-level quality measures are not very reflective of the quality of schools attended by blacks from most of the cohorts we study (Card and Krueger 1992b), we limit our attention to white women whenever we consider school quality measures. For expositional purposes, we have scaled these measures so that pupil/teacher ratios reflect tens of pupils per teacher, term lengths are in hundreds of days, and relative teacher salary reflects state average teacher salary divided by a measure of national average teacher salary. The evolution

---

21 We are grateful to Melvin Stephens Jr. and Jeff Lingwall for sharing these data.
of these measures over time for our sample of white women is reported in table 3.

Stephens and Yang (2014) raise concerns about previous studies that have used compulsory schooling laws as instruments for education without accounting for accompanying changes in school quality. A strong correlation between these policy variables over time would likely be problematic. To explore this issue in our context, we examine the correlation between schooling laws and school quality after conditioning on other regressors in our empirical analyses. Specifically, table 4 reports the correlation between residuals obtained from regressions of years of compulsory schooling and our school quality measures on the main covariates in our empirical analyses below: state of residence, state of birth, age, cohort of birth, year, state-of-residence-specific year effects, and state-of-residence-specific age effects. The first column shows quite small correlations (−0.10 to 0.14) between the minimum required years of schooling for an individual and all three school quality measures.

Table 4 also documents the correlations between our three school quality measures. These range from −0.32 (for term length and pupil/teacher ratio) to 0.37 (for relative teacher wage and term length).
ratio) to 0.37 (term length and relative teacher wage). Interestingly, the correlation between teacher wages and pupil/teacher ratios of 0.05 suggests that class sizes grow slightly when teacher wages increase. Quality does not necessarily improve in all dimensions at the same time. In fact, there is considerable independent variation in all three quality measures.

C. UCR Data on State-Level Arrests

The census data do not allow us to distinguish between different types of criminal offenses. We therefore turn to the FBI’s 1960, 1970, 1980, and 1990 UCRs for data on female arrests by age, state, year, and criminal offense. We consider violent (murder and nonnegligent manslaughter, robbery, and aggravated assault), property (burglary—breaking or entering, larceny-theft, motor vehicle theft, and arson), and white collar (forgery and counterfeiting, fraud, and embezzlement) offenses. Arrest counts for women aged 20–59, broken into 5-year age groups, are merged with census data to obtain age-specific arrest rates by state, year, and offense. As discussed in appendix A, we also use census data to calculate the fraction of women under different compulsory schooling regimes, average school quality levels, average educational attainment, and the fraction of women who are black by corresponding age group, state, and year.

IV. The Effects of Education Policy on Crime and Various Determinants

We begin our empirical analysis by examining the effects of compulsory schooling laws and school quality on the probability of incarceration and state-level arrest rates. Our analysis of incarceration is based on census data and is at the individual level, while the latter is based on UCR arrest rates measured at the state-age-year level. We then return to the census data to examine several of the channels through which education policies may affect female crime, following Section II. We first examine the effects of schooling laws and quality on educational attainment. These specifications effectively serve as first-stage results in our IV analysis of the effects of schooling attainment and quality on crime reported in Section V. We also examine the effects of schooling policy on marriage and family structure as well as on work and earnings. Throughout our empirical analysis, we estimate linear specifications, which can be viewed as approximations to the more general functions employed in Section II.

Our estimating equations using 1960, 1970, and 1980 census data will all be of a similar form:

$$O_{it} = L_{it}'\alpha_L + Q_{it}'\alpha_Q + X_{it}'\alpha_X + \epsilon_{it},$$

(3)

where $O_{it}$ is the outcome of interest for individual $i$ observed in year $t$, $L_{it}$ is a vector of compulsory schooling law indicators, $Q_{it}$ is a vector of school quality measures, and $X_{it}$ is a vector of observed covariates that always in-
cludes indicator variables for state of residence, state of birth, age (20–22, 23–25, …, 56–58, and 59–60), decade of birth (1914–23, 1924–33, …, 1964–74), and census year. Importantly, most specifications control for state-of-residence-specific year effects, which account for differences across states over time in terms of their law enforcement and criminal-justice policies, as well as labor market conditions. Motivated by the analysis of Stephens and Yang (2014), we also consider a specification that controls for region-of-birth-specific cohort trends. An alternative set of specifications controls for state-of-residence-specific age patterns to account for any differences in policies toward younger versus older offenders. Unless otherwise noted, our sample includes women aged 20–60 at the time of the census. Given the differences in incarceration by race, we perform separate analyses for black and white women. As noted earlier, we limit our analysis to white women when we explore the role of school quality.

Our analysis of arrest rates is based on a similar specification; however, the UCR data contain only arrests by state, age group, and year for 10 offense types. We merge UCR data on female arrests from 1960, 1970, 1980, and 1990 with the corresponding US censuses to study the impacts of education policies on female arrest rates for property, violent, and white collar offenses (see Sec. III and app. A for greater detail). The basic relationship we estimate using these data is

\[
\ln A_{alt} = L_{alt}^{\prime} \beta_L + Q_{alt}^{\prime} \beta_Q + X_{alt}^{\prime} \beta_X + \epsilon_{alt},
\]

where \( \ln A_{alt} \) is the natural logarithm of the female arrest rate for offense \( c \) in 5-year age group \( a \), state \( l \), and year \( t \); \( L_{alt} \) and \( Q_{alt} \) reflect the fraction of women facing different compulsory schooling laws and average school quality measures based on age group \( a \) in state \( l \) for year \( t \) (based on census data). Covariates \( X_{alt} \) include the proportion of women who are black in age group \( a \) in state \( l \) in year \( t \), obtained from the census, as well as several indicator variables to control for unobserved heterogeneity across states, age groups, criminal offenses, and years. Most notably, we include state \( \times \) year indicators (and state \( \times \) year \( \times \) offense indicators) to account for variation in enforcement policies across states and over time (by offense type). Offense-specific age indicators account for well-documented differences in age profiles by offense type, while age-specific year and state indicators allow for systematic variation in age-crime profiles over time and across states.

An important distinction between our UCR-based arrest and census-based incarceration analyses is the unit of observation. Our UCR analysis uses state-level averages (rather than individual-level measures) for arrests and schooling policies. Since our individual-based analysis of incar-

---

22 See Sec. III for a detailed description of the schooling laws and quality measures for each individual. For black females, the covariates also include state-of-birth dummies interacted with a dummy for black women born in the South who turn age 14 in 1958 or later, to account for the impact of Brown v. Board of Education.
eration enables us to distinguish between state of birth and state of current residence, we can freely control for age- and year-specific effects by state of residence while still exploiting variation in compulsory schooling across cohorts and states of birth. This is not possible with our aggregated analysis using the UCR data. Instead, this analysis computes measures of compulsory schooling and school quality levels that applied to residents in each state $l$ from age group $a$ in year $t$ on the basis of those residents’ state and year of birth. Thus, our schooling law measures $L_{alt}$ now represent the fractions of individuals in age group $a$ living in state $l$ in year $t$ who were born in states that had compulsory schooling of 9, 10, and 11 or more years when they were age 14. School quality measures are calculated in an analogous way (see app. A for details). Because the policies vary only at the state-cohort level, it is not possible to simultaneously control for unrestricted state-age and state-year effects because of multicollinearity. To flexibly account for different enforcement policies across states over time, we control for state-year effects; however, we are then able to control only for broad-age-group (i.e., 20–34, 35–49, 50–60) effects by state.

A. Incarceration and Arrests

We begin by estimating equation (3), using an indicator for imprisonment at the time of the census as the dependent variable, reporting estimated effects in percentage terms (i.e., coefficients multiplied by 100). Table D-2 (tables D-1–D-10 are available online) reports the estimated effects of compulsory schooling laws (when school quality measures are omitted) on the probability of incarceration separately for white and black women. Unfortunately, the estimates for black women are imprecise because of their smaller sample size, so we focus our discussion on results for white women. Unexpectedly, the point estimates for white women suggest that requiring at least 9 years of schooling (insignificantly) increases the probability of incarceration by 0.002–0.004 percentage points, relative to requiring 8 or fewer years; however, requiring at least 11 years of schooling reduces the incarceration probability by about 0.01–0.013 percentage points, relative to a 9-year requirement. Among white women, simultaneously controlling for both compulsory schooling laws and school quality produces very similar effects of the schooling laws, as reported in table 5. Notably, none of the school quality measures are statistically significant (individually or collectively) in any specification.

---

23 This approach improves on that of Lochner and Moretti (2004), who use compulsory schooling laws that applied in state $l$ when the midpoint of age group $a$ in year $t$ was age 14. The approach taken in this paper accounts for cross-state migration patterns and yields more powerful instruments.

24 All standard errors account for state of birth–year of birth clustering.

25 The latter reflects the difference between the coefficients on “compulsory attendance: $\geq 11$” and “compulsory attendance: 9.”
Turning to the UCR data on arrests, table 6 reports estimates of equation (4). Columns 1–3 report results for all arrests, using different sets of covariates. Unlike our census results for incarceration, school quality, rather than compulsory schooling laws, appears to have greater effects on arrest rates. While compulsory schooling of at least 11 years significantly reduces arrest rates (by around 20 percent) in columns 1 and 2, we cannot reject that all minimum-schooling laws together have no effect. All school quality measures (individually and collectively) have statistically significant impacts on arrest rates; however, not all suggest that quality improvements are crime reducing. Adding 10 days to the school year reduces subsequent female arrest rates by 8–14 percent, and increasing relative teacher pay by 10 percent reduces arrest rates by 4–7 percent. Unexpectedly, increasing pupil/teacher ratios (i.e., class size) by one student appears to reduce subsequent female arrest rates by 3–4 percent. Columns 4–6 of table 6 reveal that the effects of schooling policies are generally similar in sign across all three broad categories of crime—typically, weakest for white collar crime and strongest for property crime.

### TABLE 5
**Effects of Compulsory Schooling Laws (CSLs) and School Quality on Imprisonment for White Women (Percentage)**

<table>
<thead>
<tr>
<th></th>
<th>(1)</th>
<th>(2)</th>
<th>(3)</th>
<th>(4)</th>
<th>(5)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Compulsory attendance: 9 years</td>
<td>.003</td>
<td>.003</td>
<td>.008**</td>
<td>.005</td>
<td>.005</td>
</tr>
<tr>
<td></td>
<td>(.003)</td>
<td>(.003)</td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.003)</td>
</tr>
<tr>
<td>Compulsory attendance: 10 years</td>
<td>−.004</td>
<td>−.004</td>
<td>−.001</td>
<td>−.003</td>
<td>−.001</td>
</tr>
<tr>
<td></td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.004)</td>
</tr>
<tr>
<td>Compulsory attendance: ≥11 years</td>
<td>−.010**</td>
<td>−.009**</td>
<td>−.004</td>
<td>−.005</td>
<td>−.005</td>
</tr>
<tr>
<td></td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.004)</td>
<td>(.004)</td>
</tr>
<tr>
<td>Pupil/teacher ratio (tens of students)</td>
<td>.008</td>
<td>.011</td>
<td>.010</td>
<td>.010</td>
<td>.010</td>
</tr>
<tr>
<td></td>
<td>(.006)</td>
<td>(.006)</td>
<td>(.007)</td>
<td>(.007)</td>
<td>(.008)</td>
</tr>
<tr>
<td>Term length (hundreds of days)</td>
<td>−.016</td>
<td>−.012</td>
<td>−.030</td>
<td>−.030</td>
<td>−.032</td>
</tr>
<tr>
<td></td>
<td>(.19)</td>
<td>(.20)</td>
<td>(.025)</td>
<td>(.024)</td>
<td>(.024)</td>
</tr>
<tr>
<td>Relative teacher wage</td>
<td>.007</td>
<td>.006</td>
<td>.005</td>
<td>.007</td>
<td>.000</td>
</tr>
<tr>
<td></td>
<td>(.007)</td>
<td>(.007)</td>
<td>(.008)</td>
<td>(.008)</td>
<td>(.008)</td>
</tr>
<tr>
<td>F-statistic for no CSL effects</td>
<td>5.54</td>
<td>4.45</td>
<td>3.71</td>
<td>2.88</td>
<td>2.87</td>
</tr>
<tr>
<td>(p-value)</td>
<td>(.00)</td>
<td>(.00)</td>
<td>(.01)</td>
<td>(.03)</td>
<td>(.03)</td>
</tr>
<tr>
<td>F-statistic for no school quality effects</td>
<td>1.55</td>
<td>1.76</td>
<td>1.50</td>
<td>1.71</td>
<td>.94</td>
</tr>
<tr>
<td>(p-value)</td>
<td>(.20)</td>
<td>(.15)</td>
<td>(.21)</td>
<td>(.16)</td>
<td>(.42)</td>
</tr>
<tr>
<td>Additional controls:</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>State of residence × year effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td></td>
</tr>
<tr>
<td>State of residence × age</td>
<td>Yes</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>State of residence × broad age group</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Region of birth × cohort trend</td>
<td>Yes</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Note.—All regressions include dummies for state of residence, dummies for state of birth (excluding Alaska and Hawaii), dummies for age groups (20–22, 23–25, …, 56–58, and 59–60), dummies for decade of birth (1914–23, 1924–33, …, 1964–74), and dummies for census year. “Broad age group” reflects three dummies, for the following age groups: 20–34, 35–49, and 50–64. F-statistics are reported separately for tests of zero effects of all three compulsory attendance measures and for zero effects for all three school quality measures. The sample size for is 3,495,789. Except as noted, standard errors corrected for state of birth–year of birth clustering are in parentheses.

* *p < .10.

** *p < .05.
<table>
<thead>
<tr>
<th></th>
<th>All Offenses</th>
<th>Property</th>
<th>Violent</th>
<th>White Collar</th>
</tr>
</thead>
<tbody>
<tr>
<td>Compulsory attendance: 9 years</td>
<td>-0.126**</td>
<td>-0.116*</td>
<td>-0.063</td>
<td>-0.274**</td>
</tr>
<tr>
<td></td>
<td>(0.064)</td>
<td>(0.065)</td>
<td>(0.058)</td>
<td>(0.099)</td>
</tr>
<tr>
<td>Compulsory attendance: 10 years</td>
<td>-0.102</td>
<td>-0.096</td>
<td>-0.080</td>
<td>-0.185</td>
</tr>
<tr>
<td></td>
<td>(0.084)</td>
<td>(0.085)</td>
<td>(0.074)</td>
<td>(0.117)</td>
</tr>
<tr>
<td>Compulsory attendance: ≥11 years</td>
<td>-0.219***</td>
<td>-0.187*</td>
<td>-0.011</td>
<td>-0.327***</td>
</tr>
<tr>
<td></td>
<td>(0.095)</td>
<td>(0.098)</td>
<td>(0.085)</td>
<td>(0.161)</td>
</tr>
<tr>
<td>Pupil/teacher ratio (tens of students)</td>
<td>-0.437**</td>
<td>-0.388**</td>
<td>-0.271**</td>
<td>-0.558*</td>
</tr>
<tr>
<td></td>
<td>(0.112)</td>
<td>(0.114)</td>
<td>(0.135)</td>
<td>(0.171)</td>
</tr>
<tr>
<td>Term length (hundreds of days)</td>
<td>-1.411**</td>
<td>-1.345**</td>
<td>-0.825**</td>
<td>-1.541**</td>
</tr>
<tr>
<td></td>
<td>(0.330)</td>
<td>(0.335)</td>
<td>(0.351)</td>
<td>(0.518)</td>
</tr>
<tr>
<td>Relative teacher wage</td>
<td>-0.666**</td>
<td>-0.644**</td>
<td>-0.360**</td>
<td>-0.950**</td>
</tr>
<tr>
<td></td>
<td>(0.167)</td>
<td>(0.175)</td>
<td>(0.160)</td>
<td>(0.203)</td>
</tr>
<tr>
<td>F statistic for CSL measures</td>
<td>1.986</td>
<td>1.427</td>
<td>0.584</td>
<td>2.999</td>
</tr>
<tr>
<td>(p-value)</td>
<td>(0.114)</td>
<td>(0.233)</td>
<td>(0.625)</td>
<td>(0.030)</td>
</tr>
<tr>
<td>Controls:</td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
<td>(4)</td>
</tr>
<tr>
<td>-----------------------------------</td>
<td>------</td>
<td>------</td>
<td>------</td>
<td>------</td>
</tr>
<tr>
<td><strong>F-statistic for school quality measures</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>28.57</td>
<td>24.54</td>
<td>6.386</td>
<td>27.23</td>
</tr>
<tr>
<td><em>(p-value)</em></td>
<td>(.000)</td>
<td>(.000)</td>
<td>(.000)</td>
<td>(.000)</td>
</tr>
<tr>
<td><strong>Controls:</strong></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Age × offense effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>Offense × year effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>Age × year effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>State × year</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>State × offense effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>State × offense × year effects</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>State × broad age group</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Observations</td>
<td>9,067</td>
<td>9,067</td>
<td>9,067</td>
<td>3,519</td>
</tr>
<tr>
<td><em>R</em>²</td>
<td>.9420</td>
<td>.9617</td>
<td>.9639</td>
<td>.9716</td>
</tr>
</tbody>
</table>

**Note.**—The dependent variable is the logarithm of the arrest rate by age, type of offense, state, and year. Average schooling is by age group, state, and year. All models control for the percentage of black women. There are eight age groups: 20–24, 25–29, 30–34, 35–39, 40–44, 45–49, 50–54, and 55–59. There are 50 states, plus the District of Columbia, and four years: 1960, 1970, 1980, and 1990. All models are weighted by cell size, calculated as the number of women in each cell from the census. *F*-statistics are reported separately for tests of zero effects of all three compulsory attendance measures and for zero effects for all three school quality measures. Except as noted, standard errors for state-year-age clustering are in parentheses.

* *p* < .10.

** *p* < .05.
B. Educational Attainment

While the main impacts of compulsory schooling laws on crime are likely to come through increased educational attainment, improvements in school quality may have both direct and indirect (i.e., through increases in completed schooling) effects, as discussed in Section II. Returning to the census data, we estimate the effects of both types of education policies on years of completed schooling for white women. Table D-3 shows that stronger compulsory schooling laws and improvements in school quality lead to significantly higher levels of educational attainment. Controlling for state-specific year and age effects (col. 3), we find that increasing compulsory schooling from less than 9 to 11 or more years increases completed schooling by nearly 0.1 years. A similar impact could be achieved by reducing pupil/teacher ratios by three students, increasing term length by 50 days, or increasing relative teacher wages by 25 percent.

C. Other Channels: Family, Work, and Earnings

School policies and educational attainment likely affect female crime rates via several channels. Using census data, table 7 shows how minimum-schooling-attendance laws and school quality affect family structure for white women. Specifically, we estimate the extent to which these policies affect marriage rates, spousal education, and fertility behavior, using the same covariates as in column 3 of table 5. The probabilities of marriage and of marriage to a high school graduate are both generally increasing in the minimum required years of schooling, pupil/teacher ratios, school term length, and teacher pay. For the sample of all white women (cols. 1 and 4), increasing mandatory schooling from 8 or less to 11 or more years raised marriage rates by 0.8 percentage points and marriage rates to high school graduates by 2.3 percentage points.

As discussed in Section II, compulsory schooling laws may affect marital decisions by increasing a woman’s own education or through changes in the education distribution and marital matching functions. If marital matching is based primarily on educational attainment, then we can study the effects of schooling policies on marital matching functions by looking at the effects separately by female education. Columns 2 and 3 of table 7 show that marriage rates, conditional on the woman’s own education, increased with compulsory schooling nearly as much as they did unconditionally, suggesting that marriage matching functions were affected. Columns 5 and 6 show that the probability of marrying more educated men also increased, conditional on female schooling levels;

---

26 The dependent variable in cols. 4–6 is an indicator variable that is zero for women who are unmarried or married to high school dropouts.

27 This is also true of school quality; however, we focus on the effects of compulsory schooling laws here, because we use these laws as instruments for educational attainment below.
<table>
<thead>
<tr>
<th>TABLE 7</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Effects of Compulsory Schooling Laws (CSLs) and School Quality on Family Structure for White Women</strong></td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th></th>
<th>Married</th>
<th>Spouse Is High School Graduate</th>
<th>No. of Own Children in Household</th>
<th>Teenage Mom</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>All</td>
<td>HS Drop</td>
<td>HS Grad</td>
<td>All</td>
</tr>
<tr>
<td>Compulsory attendance: 9 years</td>
<td>-0.000</td>
<td>-0.006**</td>
<td>0.001</td>
<td>0.004</td>
</tr>
<tr>
<td></td>
<td>(.002)</td>
<td>(.002)</td>
<td>(.002)</td>
<td>(.003)</td>
</tr>
<tr>
<td>Compulsory attendance: 10 years</td>
<td>0.001</td>
<td>-0.003</td>
<td>0.001</td>
<td>0.005</td>
</tr>
<tr>
<td></td>
<td>(.003)</td>
<td>(.003)</td>
<td>(.004)</td>
<td>(.004)</td>
</tr>
<tr>
<td>Compulsory attendance: ≥11 years</td>
<td>0.008**</td>
<td>0.001</td>
<td>0.009**</td>
<td>0.023***</td>
</tr>
<tr>
<td></td>
<td>(.003)</td>
<td>(.003)</td>
<td>(.003)</td>
<td>(.004)</td>
</tr>
<tr>
<td>Pupil/teacher ratio (tens of students)</td>
<td>0.193**</td>
<td>0.009*</td>
<td>0.173**</td>
<td>0.003</td>
</tr>
<tr>
<td></td>
<td>(.005)</td>
<td>(.005)</td>
<td>(.006)</td>
<td>(.005)</td>
</tr>
<tr>
<td>Term length (hundreds of days)</td>
<td>0.44**</td>
<td>0.009</td>
<td>0.53**</td>
<td>0.68***</td>
</tr>
<tr>
<td></td>
<td>(.016)</td>
<td>(.015)</td>
<td>(.019)</td>
<td>(.022)</td>
</tr>
<tr>
<td>Relative teacher wage</td>
<td>0.028**</td>
<td>0.054**</td>
<td>0.014*</td>
<td>0.084***</td>
</tr>
<tr>
<td></td>
<td>(.007)</td>
<td>(.007)</td>
<td>(.008)</td>
<td>(.009)</td>
</tr>
<tr>
<td>F-statistic for CSL measures (p-value)</td>
<td>5.184</td>
<td>4.130</td>
<td>3.490</td>
<td>14.560</td>
</tr>
<tr>
<td></td>
<td>(.001)</td>
<td>(.006)</td>
<td>(.015)</td>
<td>(.001)</td>
</tr>
<tr>
<td>F-statistic for school quality measures (p-value)</td>
<td>16.070</td>
<td>28.340</td>
<td>7.605</td>
<td>46.380</td>
</tr>
<tr>
<td></td>
<td>(.000)</td>
<td>(.000)</td>
<td>(.000)</td>
<td>(.000)</td>
</tr>
<tr>
<td>Mean of dependent variable</td>
<td>0.745</td>
<td>0.763</td>
<td>0.738</td>
<td>0.519</td>
</tr>
<tr>
<td>Observations</td>
<td>3,495,789</td>
<td>897,189</td>
<td>2,598,600</td>
<td>3,457,124</td>
</tr>
</tbody>
</table>

Note.—All regressions include dummies for state of residence, dummies for state of birth (excluding Alaska and Hawaii), dummies for age groups (20–22, 23–25,…, 56–58, and 59–60), dummies for decade of birth (1914–23, 1924–33,…, 1964–74), dummies for census year, state-of-residence × year effects, and state-of-residence × age. F-statistics are reported separately for tests of zero effects of all three compulsory attendance measures and for zero effects for all three school quality measures. For cols. 1–3, the dependent variable is a dummy equal to one if the respondent is married and zero if not. For cols. 4–6, the dependent variable is a dummy variable equal to one if the respondent’s spouse is a high school graduate and zero if not. Within cols. 1–6, “All” includes all women, “HS Drop” includes only women with less than 12 years of education, and “HS Grad” includes only women with 12 or more years of education. The regressions in col. 7 include only females aged 20–40. For col. 8, the dependent variable is a dummy equal to one if the respondent was less than 20 years of age at the time of her first child and includes only women aged 20–35. Except as noted, standard errors corrected for state of birth–year of birth clustering are in parentheses.

* p < .10.

** p < .05.
however, these effects are much smaller than the unconditional results for all women. Moreover, much of this effect comes from the increases in marriage rates reported in columns 2 and 3.

The presence of children in the household requires attention from mothers at home and likely raises the personal costs associated with incarceration. Children may also alter women’s social networks and build stronger family bonds. The last two columns of table 7 suggest that schooling laws and improvements in all measures of school quality led to significant increases in the number of own children in the household but had little impact on teen motherhood.28

Finally, we examine the effects of schooling policies on labor market outcomes and family earnings in table D-4. These results suggest little systematic impact of compulsory schooling laws on female employment, weeks worked, and earnings. An increase in school term length led to modest increases in weeks worked and earnings, while increases in teacher wages and reductions in class size led to small reductions in work and earnings. We also examine the effects of schooling laws and quality on spousal earnings (set to zero for single women). Our estimates suggest that moving from less than 9 to 11 or more years of required schooling produces a $568 increase in spousal earnings. A 20 percent increase in relative teacher wages raises spousal earnings by a similar amount, while changes in other quality measures had statistically and economically insignificant effects.

Altogether, these results suggest that raising compulsory schooling to 11 or more years would lead to moderate increases in marriage rates, spousal education and earnings, and childbearing. Effects on a woman’s own work and earnings, as well as teen motherhood, are small in magnitude and mostly statistically insignificant. Results are qualitatively similar when the length of the school year or teacher pay are increased, although extending the school year has more substantial effects on female earnings. Reductions in class size (as measured by pupil/teacher ratios) also increase childbearing as well as teen motherhood; however, they appear to reduce marriage rates and spousal education.

V. The Effect of Educational Attainment and School Quality on Female Crime

In this section, we estimate the effects of educational attainment and school quality on incarceration and arrests, using compulsory schooling laws as instruments for attainment. This analysis assumes that within-state changes in both compulsory schooling laws and school quality measures are exogenous. Given the impacts of the laws on marriage and concerns that mar-

---

28 The specification for “number of own children” is estimated on a sample restricted to women aged 20–40, with the idea that most children should still be living at home. The specification for “teenage mom” is based on the sample of women aged 20–35 to ensure that children born when the mother was a teenager would still be in the household.
riage rates (and, to a lesser extent, spousal education) may have been affected by changes in the education distributions for men and women (altering marriage matching functions), we also use our census data to explore specifications separately by marital status and specifications that control for marital status along with schooling attainment and quality, instrumenting for both education and marriage.

A. Incarceration

Using census data, we now estimate the effects of educational attainment and school quality on the probability of incarceration:

\[ I_i = s_i \gamma_i + Q_i \gamma_Q + X_i \gamma_X + \epsilon_i, \tag{5} \]

where \( I_i \) is an indicator variable equal to one if individual \( i \) observed in year \( t \) is incarcerated and zero otherwise, \( s_i \) reflects years of completed schooling for this individual, \( Q_i \) is the vector of school quality measures, and \( X_i \) is a vector of other observed covariates. (We control for the same set of \( X_i \) covariates as when estimating eq. \( [3] \) above.) As a reminder, controls for state-of-residence-specific time effects account for differences across states over time in terms of their law enforcement and criminal-justice policies as well as labor market conditions. Controls for region-of-birth-specific cohort trends help address concerns raised in Stephens and Yang (2014).

We begin by studying the effects of schooling attainment alone, omitting school quality measures. This serves two purposes. First, it allows us to see how adding controls for school quality measures affects estimated impacts of educational attainment on crime. Second, it allows us to estimate effects for black women as well as white women. Table 8 reports both ordinary least squares (OLS) and IV estimates of \( \gamma_s \) (in percentage terms), the effect of one year of school on the probability of incarceration. Panel A reports estimates for white women and panel B those for black women. OLS estimates indicate that an additional year of school, on average, lowers incarceration rates by about 0.006 percentage points for white women and 0.024 percentage points for black women. We account for the endogeneity of schooling by using compulsory attendance laws as instruments for educational attainment. The second row in both panels of table 8 presents these IV estimates, which indicate that an additional year of school, on average, reduces incarceration rates by 0.04–0.06 percentage points among white women and 0.07–0.08 percentage points among black women. While the estimated effects for white women are statistically significant

29 Lochner and Moretti (2004) also show that changes in schooling laws were not associated with contemporaneous changes in enforcement expenditures or the number of police.

30 First-stage estimates on the excluded instruments are statistically significant, with F-statistics well above 10, the level below which concerns about weak instruments arise (Staiger and Stock 1997). Consistent with Sec. IV.B, the estimates indicate that increases in years of compulsory schooling lead to increases in educational attainment.
(at the .05 level), they are not for black women, because of the smaller sample sizes and resulting reduction in precision. The lack of precision for black women also means that we cannot reject equality of effects across races (on the basis of the IV estimates). The estimates are quite robust across specifications and represent sizeable impacts relative to baseline incarceration rates for uneducated women.

<table>
<thead>
<tr>
<th>TABLE 8</th>
<th>EFFECT OF YEARS OF EDUCATION ON IMPRISONMENT (Percentage)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
</tr>
<tr>
<td>A. White Females</td>
<td></td>
</tr>
<tr>
<td>OLS estimates</td>
<td>−.006**</td>
</tr>
<tr>
<td>(0.000)</td>
<td>(0.000)</td>
</tr>
<tr>
<td>IV estimates</td>
<td>−.035**</td>
</tr>
<tr>
<td>(0.010)</td>
<td>(0.011)</td>
</tr>
<tr>
<td>First stage:</td>
<td></td>
</tr>
<tr>
<td>Compulsory attendance: 9 years</td>
<td>.146**</td>
</tr>
<tr>
<td>(0.019)</td>
<td>(0.017)</td>
</tr>
<tr>
<td>Compulsory attendance: 10 years</td>
<td>.220**</td>
</tr>
<tr>
<td>(0.027)</td>
<td>(0.024)</td>
</tr>
<tr>
<td>Compulsory attendance: ≥11 years</td>
<td>.324**</td>
</tr>
<tr>
<td>(0.025)</td>
<td>(0.022)</td>
</tr>
<tr>
<td>F-statistic for excluded instruments</td>
<td>55.49</td>
</tr>
<tr>
<td>B. Black Females</td>
<td></td>
</tr>
<tr>
<td>OLS estimates</td>
<td>−.024**</td>
</tr>
<tr>
<td>(0.002)</td>
<td>(0.002)</td>
</tr>
<tr>
<td>IV estimates</td>
<td>−.078*</td>
</tr>
<tr>
<td>(0.044)</td>
<td>(0.047)</td>
</tr>
<tr>
<td>First stage:</td>
<td></td>
</tr>
<tr>
<td>Compulsory attendance: 9 years</td>
<td>.384**</td>
</tr>
<tr>
<td>(0.037)</td>
<td>(0.056)</td>
</tr>
<tr>
<td>Compulsory attendance: 10 years</td>
<td>.431**</td>
</tr>
<tr>
<td>(0.063)</td>
<td>(0.062)</td>
</tr>
<tr>
<td>Compulsory attendance: ≥11 years</td>
<td>.452**</td>
</tr>
<tr>
<td>(0.056)</td>
<td>(0.055)</td>
</tr>
<tr>
<td>F-statistic for excluded instruments</td>
<td>39.22</td>
</tr>
<tr>
<td>Additional Controls</td>
<td></td>
</tr>
<tr>
<td>State of residence × year effects</td>
<td>Yes</td>
</tr>
<tr>
<td>State of residence × age</td>
<td>Yes</td>
</tr>
<tr>
<td>State of residence × broad age group</td>
<td></td>
</tr>
<tr>
<td>Region of birth × cohort trend</td>
<td></td>
</tr>
</tbody>
</table>

Note.—All regressions include dummies for state of residence, dummies for state of birth (excluding Alaska and Hawaii), dummies for age groups (20–22, 23–25, . . . , 56–58, and 59–60), dummies for decade of birth (1914–23, 1924–33, . . . , 1964–74), and dummies for census year. The regressions for black females also include state-of-birth dummies interacted with a dummy for black women born in the South who turned age 14 in 1958 or later, to account for the impact of Brown v. Board of Education. “Broad age group” reflects three dummies, for the following age groups: 20–34, 35–49, and 50–64. The F-test for excluded instruments for white females is distributed F(3, 2,985) and for black females is distributed F(3, 2,568). The sample size for white females is 3,613,313, and that for black females is 480,709. Standard errors corrected for state of birth–year of birth clustering are in parentheses.

* p < .10.
** p < .05.
The fact that IV estimates are significantly larger (in absolute value) than OLS estimates for white women is consistent with the findings of Lochner and Moretti (2004) and Machin et al. (2011) for men. This may suggest that unmeasured factors that lead to higher levels of schooling also lead to higher rates of incarceration, contrary to most theories of crime. More likely, the larger IV estimates are due to heterogeneity in the impacts of additional schooling across individuals and across grade margins. With both types of heterogeneity, IV estimates will reflect average impacts of an additional year of school for those women (and grades) affected by the changing schooling laws, while OLS estimates reflect average effects in the population (along with any endogeneity bias). For example, IV estimates would be greater than OLS estimates (in the absence of endogeneity) if the effects of schooling on crime are greatest among young women who are most responsive to compulsory schooling laws.\footnote{See Imbens and Angrist (1994) for a discussion of local average treatment effects and IVs.} It may also be the case that additional schooling at the grade margins affected by the instrument (i.e., grades 9–12) has particularly strong effects on incarceration, as suggested by figure 1. This, too, can lead to larger IV estimates (Lochner and Moretti 2015).\footnote{Applying the exogeneity test of Lochner and Moretti (2015), which is robust to heterogeneous grade-specific effects, we reject exogeneity of schooling for white women but not for black women (e.g., $p$-values of .041 and .564, respectively, for specification 3 in table 8). This suggests that the difference between OLS and IV estimates for white women is not fully explained by greater impacts of education at some grade margins than at others.}

As discussed in Stephens and Yang (2014), failure to account for changes in school quality, which are correlated with changes in years of compulsory schooling (see table 4), may lead to standard omitted-variable bias (for both OLS and IV estimates). We next incorporate our three measures of quality, focusing on white women for reasons discussed above. Table 9 reports IV estimates of the effects of educational attainment, along with estimated effects of school quality. The estimated impacts of educational attainment are slightly greater in magnitude than those in table 8. Even though the first-stage effects of schooling laws are weaker than when we omit quality measures, they are still significant (with $F$-statistics exceeding 10) and suggest that tougher compulsory schooling laws are associated with more years of education.\footnote{These results alleviate concerns raised by Stephens and Yang (2014) regarding the ability to instrument for schooling by using compulsory schooling laws due to contemporaneous changes in school quality—for white women, at least. The first-stage effects of compulsory schooling laws on completed schooling are much weaker for white men, with $F$-statistics of around 10 for specifications reported in cols. 1 and 2 of table 9 and much lower for specifications reported in cols. 3–5 of the table.}

Table 9 suggests little direct effect of school quality on the likelihood of incarceration. Only coefficients on relative teacher wages are statistically significant across most specifications; however, they suggest that higher teacher wages increase the probability of incarceration (holding school-
Table D-3 shows that improvements in all three quality measures (i.e., lower pupil/teacher ratios, longer school terms, and higher teacher wages) lead to significantly higher levels of educational attainment among white women. These indirect effects are stronger than the direct effects for pupil/teacher ratios.

Adding interactions for region of residence \times region of birth to specification 2, as suggested in Heckman et al. (1996), produces very similar results. Results are available upon request.

The estimated effect of term length in col. 1 is the sole exception.
and term length, while they are very similar in magnitude (and of opposite sign) for teacher wages. On the basis of estimates reported in columns 3 or 4 of tables D-3 and 9, the total effect of a one-student reduction per teacher or a 10 percent increase in relative teacher pay would be to lower the probability of incarceration by 0.001 percentage points, while an extra 10 days added to the school year would result in a reduction of slightly more than twice that size.\(^{36}\)

The greatest concern with our IV estimation strategy is the potential effects of schooling laws on marriage matching functions. We address this issue in table 10, focusing on specifications that omit the school quality measures (analogous to col. 3 in table 8), since our attention is on the impacts of schooling attainment (and its estimated effect is not very sensitive to controls for school quality).\(^{37}\) The first two columns report the effects of schooling obtained from estimating the model separately by marital status. The estimated effects are both negative, with larger (and statistically significant) effects for single women.

The next two columns of table 10 also estimate our model separately by marital status but use a control function approach to account for endogenous selection. This approach relies on exogenous variation in the probability of marriage, which we estimate as a function of our exogenous \(X_t\) regressors, schooling laws \(L_{it}\), and two additional sets of variables: quarter-of-birth indicators and years of compulsory schooling when women were age 10. The first of these additional variable sets is assumed to affect both marriage and educational attainment, while the second is assumed to affect marriage only.\(^{38}\) Marriage laws when women were age 10 should not affect their schooling, conditional on the laws when they were age 14, \(L_{it}\); however, they are likely to affect potential spousal education and marriage decisions, since most women marry men who are a few years older. The estimates that correct for selection into marriage are similar to those that do not (compare the first two columns with the next two in table 10). An extra year of schooling reduces the probability of incarceration by about 0.026 percentage points for married women and 0.043 percentage points for single women, where the former is statistically significant and the latter is not. The point estimates are quite similar, and one cannot reject that they are the same, given their standard errors.

\(^{36}\) Total effects are calculated by summing the direct and indirect effects, where the latter are obtained by taking the estimated effects of schooling attainment on incarceration from table 9 and multiplying them by the estimated effects of quality on years of schooling reported in table D-3.

\(^{37}\) Estimated effects of schooling attainment are slightly larger when we control for school quality measures. See table D-5.

\(^{38}\) Our control function approach assumes that marriage is based on a single index model with \(m_i^*=X_i^\prime\mu+Z_i^\prime\mu_2-\xi_\nu\), where marriage is given by the indicator \(m_i^*=1\) (\(m_i^*>0\)), \(\xi_\nu\) is \((X_i, Z_i)\), and \(Z_i\) are exogenous instruments affecting marriage. In practice, we first estimate the probability of marriage, conditional on \((X, Z)\), \(P(X, Z)\), assuming \(\xi_\nu\sim N(0, \sigma)\). We then include \(P_i^*\) and \(P_i^2\) in our incarceration-estimating equation as additional regressors and perform two-stage least squares (2SLS). See app. C for details.
Finally, we simultaneously control for both marriage and educational attainment (for the full sample of women) in the final two columns of table 10. Here, we treat both schooling and marriage as endogenous, using our compulsory schooling laws and quarter-of-birth indicators as instruments. The table reports first-stage estimates for both endogenous variables, along with $F$-statistics for the excluded instruments. The instruments

<table>
<thead>
<tr>
<th></th>
<th>No Selection Correction</th>
<th>Selection Correction</th>
<th>Control for Marriage and Education</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Married</td>
<td>Single</td>
<td>Married</td>
</tr>
<tr>
<td>Years of education</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>-0.23</td>
<td>-0.094*</td>
<td></td>
<td>-0.26*</td>
</tr>
<tr>
<td>(.014)</td>
<td>(.056)</td>
<td></td>
<td>(.014)</td>
</tr>
<tr>
<td>Married</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>-0.059</td>
<td></td>
<td></td>
<td>-0.043</td>
</tr>
<tr>
<td>(.181)</td>
<td></td>
<td></td>
<td>(.181)</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Compulsory attendance:</th>
<th>Education</th>
<th>Married</th>
</tr>
</thead>
<tbody>
<tr>
<td>9 years</td>
<td></td>
<td></td>
</tr>
<tr>
<td>.066**</td>
<td>.052*</td>
<td>.054**</td>
</tr>
<tr>
<td>(.016)</td>
<td>(.050)</td>
<td>(.016)</td>
</tr>
<tr>
<td>Compulsory attendance:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>10 years</td>
<td></td>
<td></td>
</tr>
<tr>
<td>.102**</td>
<td>.156**</td>
<td>.084**</td>
</tr>
<tr>
<td>(.023)</td>
<td>(.042)</td>
<td>(.022)</td>
</tr>
<tr>
<td>Compulsory attendance:</td>
<td></td>
<td></td>
</tr>
<tr>
<td>≥11 years</td>
<td></td>
<td></td>
</tr>
<tr>
<td>.172**</td>
<td>.212**</td>
<td>.098**</td>
</tr>
<tr>
<td>(.022)</td>
<td>(.033)</td>
<td>(.023)</td>
</tr>
<tr>
<td>Quarter of birth 2</td>
<td></td>
<td></td>
</tr>
<tr>
<td>-0.043**</td>
<td>.021</td>
<td>.016**</td>
</tr>
<tr>
<td>(.008)</td>
<td>(.016)</td>
<td>(.005)</td>
</tr>
<tr>
<td>Quarter of birth 3</td>
<td></td>
<td></td>
</tr>
<tr>
<td>-0.000</td>
<td>.043**</td>
<td>.055**</td>
</tr>
<tr>
<td>(.008)</td>
<td>(.015)</td>
<td>(.004)</td>
</tr>
<tr>
<td>Quarter of birth 4</td>
<td></td>
<td></td>
</tr>
<tr>
<td>.045**</td>
<td>.062**</td>
<td>.069**</td>
</tr>
<tr>
<td>(.006)</td>
<td>(.011)</td>
<td>(.004)</td>
</tr>
<tr>
<td>$F$-statistic for excluded instruments</td>
<td>20.66</td>
<td>15.40</td>
</tr>
<tr>
<td>Observations</td>
<td>2,650,427</td>
<td>962,886</td>
</tr>
</tbody>
</table>

Note.—All regressions include dummies for state of residence, dummies for state of birth (excluding Alaska and Hawaii), dummies for age groups (20–22, 23–25, …, 56–58, and 59–60), dummies for decade of birth (1914–23, 1924–33, …, 1964–74), dummies for census year, state of residence × year effects, and state of residence × age. The specifications with “No Selection Correction” split the sample into married and single women and estimate the effect of schooling on incarceration by 2SLS. The specifications with “Selection Correction” split the sample into married and single women and estimate the effect of schooling on incarceration by 2SLS and a control function, as described in app. C. Standard errors corrected for state of birth–year of birth clustering are in parentheses.

* $p < .10$.

** $p < .05$. 

TABLE 10
Effects of Education and Marriage on Incarceration for White Women (Percentage)
are reasonably strong for both endogenous variables; however, we obtain precise estimates only of the effect of schooling. The estimated effect of an extra year of school is \(-0.035\) percentage points, roughly halfway between the selection-corrected estimates for married and single women. This estimate is about 30 percent smaller than the corresponding estimate in column 3 of table 8, for two reasons. First, with marital status controlled for, the estimated effect of education in table 10 does not incorporate any effects of education on crime resulting from changes in marital status. Second, the IV estimate in table 8 may be biased toward finding too large an effect if changes in schooling laws altered marriage matching functions so that women were more likely to marry regardless of their schooling (as suggested by table 7). The similarity in estimates whether we control for marital status or not suggests that any bias from this is unlikely to be very large.

**B. Arrest Rates**

Next, we use our merged UCR and census data to study the impacts of educational attainment and school quality on female arrest rates for property, violent, and white collar offenses. The basic relationship we estimate is

\[
\ln A_{\text{alt}} = s_{\text{alt}} \delta_s + Q_{\text{alt}} \delta_Q + X_{\text{alt}} \delta_X + \varepsilon_{\text{alt}},
\]

where \(\ln A_{\text{alt}}\) is the natural logarithm of the female arrest rate as defined above, \(s_{\text{alt}}\) and \(Q_{\text{alt}}\) are average years of schooling and school quality, respectively, for women in age group \(a\) living in state \(l\) in year \(t\), and \(X_{\text{alt}}\) is the same vector of covariates used in estimating equation (4) above. These covariates include the proportion of black females in age group \(a\) in state \(l\) in year \(t\) as well as indicator variables to control for unobserved heterogeneity across states, age groups, criminal offenses, and years. Most notably, the many fixed effects effectively account for variation in enforcement policies and labor markets across states and over time (by offense type), differences in age profiles by offense type, and systematic variation in age-crime profiles over time and across states.

Recall that because our arrest measures (by offense) are available only as aggregates at the age, state, and year level, we cannot distinguish between state of birth and state of residence. By construction, our instruments and quality measures vary only at the state-cohort level, so it is not possible to control for unrestricted state-age and state-year effects, because of multicollinearity. To flexibly account for different enforcement policies across states over time, we control for state-year effects. We also explore including controls for broad age group (i.e., 20–34, 35–49, 50–60) effects by state; however, this proves too demanding in most cases.

We begin by considering specifications that do not control for school quality measures, reporting these results in table 11. The first three columns of the table present OLS estimates of the effects of education on log arrest rates for all crimes (panel A) and separately for violent, prop-
The estimates in panel A indicate that a one-year increase in average years of schooling among women is associated with a 12–15 percent decline in female arrest rates. Panel B shows that a one-year increase in average education reduces arrest rates by about 30 percent for violent crimes (murder, robbery, assault) and roughly 10 percent for property crimes (burglary, larceny, motor vehicle.

Note.—The dependent variable is the logarithm of the arrest rate by age, type of offense, state, and year. Average schooling is by age group, state, and year. All models control for the percentage of black women. There are eight age groups: 20–24, 25–29, 30–34, 35–39, 40–44, 45–49, 50–54, and 55–59. There are 50 states, plus the District of Columbia, and four years: 1960, 1970, 1980, and 1990. All models are weighted by cell size, calculated as the number of women in each cell from the census. The F-test for excluded instruments is distributed $F(3, 1,403)$. Standard errors for state-year-age clustering are in parentheses.

* $p < .10$.

** $p < .05$.

Estimates using the high school completion rates rather than years of education as the main variable of interest yield qualitatively similar results and are available upon request.
theft, arson). Estimated effects of education on arrests for white collar offenses (forgery, fraud, embezzlement) are negligible and statistically insignificant. Table D-7 examines arrests by more detailed offense types, estimating separate models (using OLS) for violent offenses, property offenses, and white collar offenses. These estimates reveal strong effects of education on murder, assault, motor vehicle theft, and embezzlement, all decreasing more than 30 percent in response to a one-year increase in average schooling levels. It is also noteworthy that education appears to increase forgery, with estimates statistically significant in the first two specifications.

Columns 4–6 of table 11 report estimates using the changes in compulsory schooling laws as instruments for educational attainment. The weaker first-stage effects of compulsory attendance laws on average education (compared to the effects reported in table 8 for our individual-level analysis of incarceration) are not surprising, since our aggregated data do not allow us to exploit variation in the laws across states of birth within current state of residence. Still, in columns 4 and 5, which do not include state-specific age-group fixed effects, the first-stage $F$-statistics for the excluded instruments satisfy conventional criteria for “strong” instruments (Staiger and Stock 1997) and yield IV estimates that are precise enough to rule out small effects for all but white collar crime. For example, column 5 suggests that a one-year increase in average years of schooling reduces arrests for violent crime by about 50 percent and those for property crime by 67 percent, both statistically significant. Controlling for state-specific age group effects (col. 6) produces much less precise estimates. Simultaneously controlling for state-specific year effects and state-specific age effects leaves little available within-state variation across cohorts, even when the state-age effects are based on broad age groups of 10–15 years.

We now include our three measures of state- and cohort-specific school quality in estimating equation (6). Table 12 reports OLS and IV estimates, where we estimate the effects of average education on all types of offenses. Except for columns 3 and 6, which include state-specific age effects, both OLS and IV estimates of the impact of average educational attainment are statistically significant and very similar to their counterparts that do not control for school quality (table 11).

The effects of school quality on arrest rates are also statistically significant for all three measures of quality; however, the estimated effects of pupil/teacher ratios are the opposite of what one might expect. This should not be surprising, given our findings in table 6. Holding average years of schooling constant, increases in the pupil/teacher ratio, term length, and teacher salary all lead to subsequent reductions in female arrest rates. Columns 4 and 5 indicate that a one-student increase per teacher reduces

40  See app. A for details on our treatment of these data.
41  Once we control for state-specific age effects (cols. 3 and 6), compulsory schooling laws become weak instruments, as evidenced by the low $F$-statistic.
female arrest rates by 8–9 percent, a 10-day increase in term length reduces female arrest rates by about 12 percent, and a 10 percent increase in teacher wages above the national average reduces female arrest rates by about 5 percent.\footnote{The indirect effects of improvements in quality through increased schooling attainment are all positive but smaller (in absolute value) than the direct effects. Therefore, the total effect of the pupil/teacher ratio is still of unexpected sign.}

Table D-8 reports separate IV estimates for each broad type of offense. The results show that increases in average education significantly reduce female arrest rates for violent and property offenses but have no signifi-
cant effect on arrests for white collar offenses. Increases in term length significantly reduce violent crime arrests, increases in teacher wages significantly reduce property crime arrests, and increases in the pupil/teacher ratio significantly reduce arrests for all types of crime.

VI. Why Does Education Reduce Female Crime?

As discussed in Section II, education and school quality affect many aspects of life that may lead to reductions in crime. By raising skill levels, they can improve labor market opportunities. They may also affect family structure via marriage opportunities and childbearing decisions. The results in Section IV.C suggest that impacts on family structure are likely to be particularly strong for women.

Using our census data, we estimate the effects of school quality and attainment on these different intermediate outcomes for white women on the basis of IV specifications analogous to those reported in column 3 of table 9. Compulsory schooling laws serve as instruments for educational attainment, while school quality measures are assumed to be exogenous. By examining the effects of both quality and attainment simultaneously, our effects of the former now reflect direct impacts holding attainment constant.

We begin with a discussion of female labor supply decisions and earnings. Table 13 shows modest (but statistically significant) negative effects of schooling attainment on labor supply and statistically insignificant negative effects on earnings. Changes in school quality have no direct effects on employment decisions, while a 10-day increase in school term length would lead to a modest (but statistically significant) increase in weeks worked and earnings. During our sample period (1960–80), it appears unlikely that education reduced crime among women by encouraging them to participate more in the labor market.

As a result of assortative mating in marriage markets (Becker 1991), education should improve women’s marital prospects. Evidence from twin studies suggests that an additional year of schooling raises that of a woman’s spouse by 0.2–0.4 years (Behrman and Rosenzweig 2002; Oreopoulos and Salvanes 2011). Using quarter of birth as an instrument for own schooling attainment, Lefgren and McIntyre (2006) estimate negligible effects of women’s schooling on the likelihood of marriage but significantly positive effects on husband’s earnings. An extra year of education results in an additional $4,000 in spousal earnings. These additional resources and the family stability that likely comes with them may help explain the significant reductions in crime associated with educational attainment among women. The effects of education on spousal quality may also

43 Schooling may also alter preferences for risk, self-control, or time discounting. See Oreopoulos and Salvanes (2011) for a recent survey of evidence on the broad-ranging impacts of education on individuals.
TABLE 13

IV Effects of Education on Family Structure, Work, and Earnings for White Women

<table>
<thead>
<tr>
<th></th>
<th>Married</th>
<th>Spouse HS Grad</th>
<th>No. of Own Children in Household</th>
<th>Teenage Mom Employment</th>
<th>Weeks Worked</th>
<th>Earnings</th>
<th>Spousal Earnings</th>
</tr>
</thead>
<tbody>
<tr>
<td>A. IV Estimates</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Years of education</td>
<td>.075**</td>
<td>.165**</td>
<td>.419**</td>
<td>-.008</td>
<td>-.056**</td>
<td>-2.406**</td>
<td>-1,130.255</td>
</tr>
<tr>
<td></td>
<td>(.027)</td>
<td>(.031)</td>
<td>(.199)</td>
<td>(.042)</td>
<td>(.026)</td>
<td>(1.275)</td>
<td>(809.321)</td>
</tr>
<tr>
<td>Pupil/teacher ratio</td>
<td>.042**</td>
<td>.054**</td>
<td>-.383**</td>
<td>-.045**</td>
<td>-.011</td>
<td>-.476</td>
<td>60.349</td>
</tr>
<tr>
<td>(tens of students)</td>
<td>(.011)</td>
<td>(.012)</td>
<td>(.055)</td>
<td>(.021)</td>
<td>(.010)</td>
<td>(.515)</td>
<td>(330.766)</td>
</tr>
<tr>
<td>Term length (hundreds</td>
<td>.030**</td>
<td>.042**</td>
<td>.032</td>
<td>-.055</td>
<td>.023</td>
<td>2.516**</td>
<td>1,973.534**</td>
</tr>
<tr>
<td>of days)</td>
<td>(.015)</td>
<td>(.017)</td>
<td>(.233)</td>
<td>(.074)</td>
<td>(.016)</td>
<td>(.780)</td>
<td>(473.258)</td>
</tr>
<tr>
<td>Relative teacher wage</td>
<td>.000</td>
<td>.025</td>
<td>.124</td>
<td>-.010</td>
<td>.006</td>
<td>.232</td>
<td>38.568</td>
</tr>
<tr>
<td></td>
<td>(.014)</td>
<td>(.017)</td>
<td>(.104)</td>
<td>(.019)</td>
<td>(.014)</td>
<td>(.657)</td>
<td>(417.918)</td>
</tr>
<tr>
<td>B. First-Stage Estimates</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Compulsory attendance:</td>
<td>.001</td>
<td>-.000</td>
<td>-.015</td>
<td>-.006</td>
<td>.001</td>
<td>.001</td>
<td>.001</td>
</tr>
<tr>
<td>9 years</td>
<td>(.017)</td>
<td>(.017)</td>
<td>(.022)</td>
<td>(.032)</td>
<td>(.017)</td>
<td>(.017)</td>
<td>(.017)</td>
</tr>
<tr>
<td>Compulsory attendance:</td>
<td>.070** (.022)</td>
<td>.069** (.022)</td>
<td>.059** (.030)</td>
<td>.053 (.040)</td>
<td>.070** (.022)</td>
<td>.070** (.022)</td>
<td>.070** (.022)</td>
</tr>
<tr>
<td>-----------------------</td>
<td>----------------</td>
<td>----------------</td>
<td>----------------</td>
<td>-------------</td>
<td>----------------</td>
<td>----------------</td>
<td>----------------</td>
</tr>
<tr>
<td>≥11 years</td>
<td>.092** (.021)</td>
<td>.092** (.021)</td>
<td>.097** (.027)</td>
<td>.131** (.035)</td>
<td>.092** (.021)</td>
<td>.092** (.021)</td>
<td>.092** (.021)</td>
</tr>
</tbody>
</table>

F-statistic for excluded instruments

<table>
<thead>
<tr>
<th>Observations</th>
<th>10.10</th>
<th>10.23</th>
<th>8.17</th>
<th>7.15</th>
<th>10.10</th>
<th>10.10</th>
<th>10.10</th>
<th>10.23</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>3,495,789</td>
<td>3,457,124</td>
<td>2,035,214</td>
<td>980,046</td>
<td>3,495,789</td>
<td>3,495,789</td>
<td>3,495,789</td>
<td>3,457,124</td>
</tr>
</tbody>
</table>

Note.—All regressions include dummies for state of residence, dummies for state of birth (excluding Alaska and Hawaii), dummies for age groups (20–22, 23–25, …, 56–58, and 59–60), dummies for decade of birth (1914–23, 1924–33, …, 1964–74), dummies for census year, state-of-residence × year effects, and state-of-residence × age. For the “Married” specification, the dependent variable is a dummy equal to one if the respondent is married and zero if not. For the “Spouse HS Grad” specification, the dependent variable is a dummy variable equal to one if the respondent’s spouse is a high school graduate and zero if not. The “No. of Own Children in Household” regressions include only females aged 20–40. For the “Teenage Mom” specification, the dependent variable is a dummy variable equal to one if the respondent was less than 20 years of age at the time of her first child and includes only women aged 20–35. For “Employment” specifications, the dependent variable is a dummy equal to one if the respondent worked more than zero weeks last year and zero if not. For the “Weeks Worked” specification, the dependent variable is the number of weeks worked over the year, including respondents with zero weeks worked. For the “Earnings” and “Spousal Earnings” specifications, the dependent variable is the respondent’s total pretax wage and salary income for the previous year, expressed in 1999 US dollars. Standard errors corrected for state of birth–year of birth clustering are in parentheses.

* p < .10.
** p < .05.
be important because of changes in social networks, creation of social bonds, and/or exercise of informal social control (Sampson and Laub 1990; Laub, Nagin, and Sampson 1998; Warr 1998; Sampson, Laub, and Wimer 2006).

Table 13 reports estimated effects of women’s schooling and school quality on the probability of marriage, whether they are married to a high school graduate, and spousal earnings (set to zero if a woman is single), using compulsory schooling laws as instruments for attainment. The estimated effects of attainment are quite large, suggesting that an additional year of schooling increases the probability of marriage by 7.5 percentage points, the probability of marrying a high school graduate by 16.5 percentage points, and spousal earnings by over $6,500 per year; however, they should be read as upper bounds on the true effects. Because changes in the schooling laws affected marriage matching functions (see Sec. IV.C), especially the probability of marriage, the estimated effects on these measures are likely to be biased upward. On the basis of the findings reported in table 7, the bias for marriage is likely to be sizeable; however, the bias for spousal education should be more modest, given the small effects of schooling laws on spousal earnings, conditional on a woman’s own schooling. Comparing our estimated effect on spousal earnings with that of Lefgren and McIntyre (2006) also suggests an upward bias. School quality measures have mixed effects on marriage outcomes, with reductions in pupil/teacher ratios lowering marriage rates and the probability of marrying a high school graduate, while increasing term length has the opposite effects.

Finally, we explore the effects of schooling attainment and quality on fertility behavior. The IV results in table 13 indicate that an additional year of schooling significantly increases the number of own children in the household by 0.42 for white women. Reductions in class size also increase the number of children in the household. We find no effect of educational attainment on the likelihood of becoming a teenage mother; however, reductions in pupil/teacher ratios appears to increase the probability.44

VII. Conclusions

This paper provides some of the first evidence that increases in compulsory schooling laws, school quality (as measured by pupil/teacher ratios, term length, and teacher wage rates), and educational attainment can lead to significant reductions in female crime. Using compulsory schooling laws as instruments for education, we show that an additional year of schooling reduces the probability of incarceration by 0.05–0.09 percentage points among white women. We also estimate that a one-year increase in average schooling levels reduces female arrest rates for both violent

44 Estimates for the number of children in the household are based on women aged 20–40 to measure cumulative fertility while ensuring that the vast majority of children should still be living at home. Estimates for teen motherhood are based on women aged 20–35 to ensure that children born when mothers were teenagers would still be living at home.
and property crime by more than 50 percent, while there is little impact on white collar crime. The estimated direct effects of school quality measures are more mixed, depending on the measure of quality and whether we look at arrests or incarceration. The indirect effects of quality improvements through increased schooling are positive for all quality measures but are generally modest in size.

Our IV estimates of the impacts of educational attainment are quite large, much larger than analogous OLS estimates. This is somewhat surprising, since most theories of crime suggest that OLS estimates should be biased toward finding too large an effect. One important concern is the possibility that changes in schooling laws were contemporaneous with other major changes in the education system, which could bias our IV estimates (Stephens and Yang 2014). Fortunately, our main IV estimates are very similar whether or not we control for state- and cohort-specific school quality levels, as measured by pupil/teacher ratios, term length, and teacher pay. Furthermore, we account for any differences in enforcement policies and labor market conditions across states over time by controlling for state-specific year effects. While our IV estimates are likely inflated as a result of effects of minimum-schooling laws on marriage markets (via increases in aggregate education levels among both men and women), our estimates that control for direct impacts of marriage on incarceration suggest that any bias from this is likely to be quite modest. Instead, the much stronger effects of education on crime obtained with IV rather than OLS estimation are most likely due to heterogeneity in effects of schooling across individuals and grade levels. Our results are consistent with particularly strong impacts of schooling on crime among women who are most responsive to changes in schooling laws, especially those who would otherwise drop out of high school.45

It is interesting to compare our results with the estimated impacts of education on incarceration and arrests among men. Analogous IV estimates of the impact of an additional year of schooling on the probability of incarceration are about four times higher for men than women, while baseline incarceration rates are roughly 20 times higher for low-educated men than for women. Thus, the impact of education on imprisonment is much stronger for women in percentage terms. This is also true for arrest rates, where analogous IV estimates for men suggest that a one-year increase in average education levels would reduce arrests by only 5–10 percent.46

45 It is also possible that education reduces the probability of arrest (conditional on crime). Our results would incorporate these additional effects, causing us to overstate the effects of education on crime itself. While previous studies find little difference between estimated effects of schooling on arrests and crime among men (Lochner and Moretti 2004; Weiner et al. 2009), it is possible that such discrepancies are greater for women because of their differing offending patterns.

46 See tables D-9 and D-10 for estimated effects of schooling on male incarceration and arrests, respectively, analogous to those reported in tables 8 and 11. Also see Lochner and Moretti (2004) for related results for men.
Given the low baseline crime rates among women, a policy aimed at raising male education levels would have a greater impact on aggregate crime rates than one targeting female education. However, the latter is likely to be more transformative for women as a group than the former would be for men.

Finally, we explore the channels through which education may affect female crime. Lochner and Moretti (2004) argue that, among men, most of the effect of education on crime can be explained by increases in wages and greater labor market participation. Our results suggest that this is not the case for women (at least from 1960 to 1980), since we find little effect of schooling on female labor supply behavior. Instead, education appears to improve the marital prospects of women. The accompanying increases in marriage likely reduce crime by strengthening family bonds, while increases in spousal education and family resources may limit the incentives for women to turn to crime in order to support the family. Still, we find that education reduces incarceration even when conditioning on marital status, so other channels are also important. We find that increased schooling causes women to have more children, which may discourage crime by raising the personal costs of time in prison and strengthening family/social bonds. Education may also reduce crime by changing women’s preferences for risk or self-control.

Of course, the channels through which education affects female crime may have changed in more recent decades as women have increasingly entered the labor market, reduced their time at home, and raised fewer children. This is an interesting avenue for future research.

Appendix A

Detailed Data Description

A1. Analysis of Education and Incarceration

For our analysis of incarceration, we use census data from the 1960, 1970, and 1980 US censuses. The census data were obtained from the Integrated Public Use Microdata Series (IPUMS): (1) 1 percent sample of the 1960 census, (2) 1 percent state samples of the 1970 census, Form 1 and Form 2, and (3) 5 percent state sample of the 1980 census.

The sample includes only black or white females aged 20–60 who were born in the 48 contiguous states (i.e., excluding Alaska and Hawaii). The indicator for incarceration is based on the variable for the group-quarters type, set to one if the respondent is in a correctional institution and zero otherwise. Years of schooling are based on the highest grade of schooling completed (nursery and kindergarten are considered as zero years of schooling).

IV estimates for men analogous to those reported in table 13 (without school quality controls) suggest that an additional year of schooling raises their employment rate by 3.6 percentage points, weeks worked by 3.1, and annual earnings by $4,811 (all statistically significant), while it has no significant effect on spousal earnings.
Table A1 presents descriptive statistics for key variables in our sample of 20–60-year-old women from the US censuses. Over the 1960–80 period, about 0.02 percent of white women and 0.1–0.15 percent of black women were in prison at the time of the census. Average education increased by 1.6 years for white women and 2.8 years for black women.

<table>
<thead>
<tr>
<th>Variable</th>
<th>White Females</th>
<th>Black Females</th>
</tr>
</thead>
<tbody>
<tr>
<td>Incarcerated (%)</td>
<td>.019</td>
<td>.015</td>
</tr>
<tr>
<td></td>
<td>(1.363)</td>
<td>(1.219)</td>
</tr>
<tr>
<td>Years of schooling</td>
<td>10.854</td>
<td>11.593</td>
</tr>
<tr>
<td></td>
<td>(2.893)</td>
<td>(2.737)</td>
</tr>
<tr>
<td>High school graduate</td>
<td>.547</td>
<td>.672</td>
</tr>
<tr>
<td></td>
<td>(.498)</td>
<td>(.469)</td>
</tr>
<tr>
<td>Age</td>
<td>38.953</td>
<td>38.685</td>
</tr>
<tr>
<td>Sample size</td>
<td>366,070</td>
<td>807,787</td>
</tr>
</tbody>
</table>

Note.—Table reports mean (standard deviation). Census data were obtained from the IPUMS, using the US censuses of 1960 (1 percent sample), 1970 (Form 1 and Form 2 state 1 percent samples), and 1980 (5 percent sample).

The analysis includes dummies for 14 age groups: 20–22, 23–25, … , 56–58, and 59–60. When we control for state-specific broad age categories, these are based on ages 20–34, 35–49, and 50–60. We also include six birth cohort dummies for women born in 1914–23, 1924–33, 1934–43, 1944–53, 1954–63, and 1964–74.

These data are merged with data on compulsory attendance laws based on two variables: (1) the state of birth of the respondent and (2) the year in which the respondent was age 14. As in Acemoglu and Angrist (2001) and Lochner and Moretti (2004), we define compulsory attendance as the maximum between (1) the minimum number of years that a child is required to stay in school and (2) the difference between the earliest age at which she is required to be in school and the latest age at which she is required to enroll. We create three indicator variables, for states with compulsory schooling laws that require (1) 9 years of schooling, (2) 10 years of schooling, and (3) 11 or more years of schooling. The omitted category in the analysis is those states requiring 8 or less years of schooling. For further details about these data, see Acemoglu and Angrist (2001) and Lochner and Moretti (2004).

Finally, these data are merged with measures of school quality based on two variables: (1) the state of birth of the respondent and (2) the year of birth of the respondent. The measures of quality are (1) pupil/teacher ratios, (2) school term length, and (3) relative teacher salaries. Pupil/teacher ratios are rescaled to reflect the number of pupils per teacher divided by 10. School term length is scaled to reflect hundreds of days. Teacher salaries are relative to the national average teacher salary, which is obtained for each year by taking a simple average over all state average salaries. For each year of birth, these measures correspond to average quality for public schools in their state of birth over the years in which the respondent was aged 6–17 (elementary and secondary school). For further details on these data, see Card and Krueger (1992a) and Stephens and Yang (2014).
A2. Data for Analysis of Education and Arrest Rates

The data on female arrests were obtained from the FBI UCRs for years 1960, 1970, 1980, and 1990. We compute the arrest counts by state, year, offense, and age group for females. The offenses considered in the analysis are those for violent, property, and white collar crimes. The violent crime offenses considered in the analysis include murder and nonnegligent manslaughter, robbery, and aggravated assault. The property crime offenses considered include burglary—breaking or entering, larceny-theft (except motor vehicle), motor vehicle theft, and arson. The white collar crime offenses considered include forgery and counterfeiting, fraud, and embezzlement. We use arrest counts for women aged 20–59, grouped as follows: 20–24, 25–29, …, 55–59. Since the UCR data contain only population counts by state and year (not separately by age group), we must merge these data with census data to determine age-specific arrest rates.

The data on arrest counts are merged with census data for years 1960, 1970, 1980, and 1990. The census data for 1960–80 correspond to the same samples explained in Section A1, while we use the 5 percent sample (with sample weights) for 1990. From the censuses, we can compute the age distribution among the relevant female population, which can then be multiplied by the population covered by state-year in the UCRs to calculate population counts by age, state, and year. We then divide the UCR arrest counts (by offense, age, state, and year) by the population counts (by age, state, and year) to create the arrest rate measures used in our analysis.

From the census data, we obtain measures of average years of completed education, high school graduation rates, and the fraction black by year, state, and age group, where the age groups match those from the UCR data. These measures are unweighted for the years 1960, 1970, and 1980 and are weighted by the census sampling weights for 1990. Females from all races are included when computing these measures. Since schooling is reported only in intervals for grades 1–4 and 5–8 in the 1990 census, we use average years of schooling within these categories from the 1980 census to assign years of schooling for 1990 respondents in these two categories.

To incorporate compulsory attendance laws and school quality into the analysis of arrest rates, we merge the census data at the individual level with the compulsory attendance laws and with the school quality data, following exactly the same procedure as described in Section A1. That is, we assign compulsory attendance laws for each woman based on the year in which she was age 14 and her state of birth. Similarly, we assign school quality measures for each woman based on her year of birth and her state of birth. Once these measures are assigned to the female respondents in the census, we obtain averages of these measures by year, state of residence, and age group. Note that in this case, the compulsory attendance laws are no longer indicator variables. Instead, they reflect the probability that a woman from age group $a$ living in state $l$ in year $t$ was born in a state that had a specific schooling law when she was age 14. In this way, we account for interstate migration patterns and exploit the actual experiences of women in terms of their schooling laws and school quality.

Finally, the UCR arrest data are merged with the averaged census data (which contain the averaged compulsory attendance laws and school quality measures) by year, state, and age group. The census data also contain the number of females in each cell, which is used as a weight in all regressions.
Appendix B

Additional Model Details

This appendix provides additional details for the model described in Section II.

B1. Reduced-Form Effects of School Quality

The reduced-form effects of school quality on crime for women are given by

$$\frac{dc}{dQ} = \beta^w(s, L, Q) \frac{\partial S}{\partial Q} + m \left( \frac{\partial C^w}{\partial Y} \frac{\partial S}{\partial \theta} \frac{\partial \theta}{\partial Q} \right) + \frac{\partial C^w}{\partial w} \frac{\partial w}{\partial Q} + \frac{\partial C^w}{\partial y} \frac{\partial y}{\partial Q} + \frac{\partial C^w}{\partial Q},$$

where $m \in \{0, 1\}$. The effects of changes in school quality are similar to those of schooling laws, with the addition of more direct effects of quality on crime that do not come through schooling (i.e., the final three terms above).

B2. IV Estimation

For single women, if $E[\epsilon|L, Q, m = 0] = 0$, an IV approach should yield consistent estimates of the average total effect of education on crime for single women, since

$$Edc = \frac{[dc/dL]|L, Q, m = 0]}{Eds/dL]|L, Q, m = 0]} = E[\beta^0(s, L, Q)|L, Q, m = 0].$$

For married women, if either (1) the income effects on crime are zero, $\partial C^i/\partial Y = 0$, or (2) changes in schooling laws do not alter spousal schooling levels except through changes in women's own schooling, $(\partial S/\partial \theta)(\partial \theta/\partial L) = 0$, and if $E[\epsilon|L, Q, m = 1] = 0$, then

$$Edc = \frac{[dc/dL]|L, Q, m = 1]}{Eds/dL]|L, Q, m = 1]} = E[\beta^1(s, L, Q)|L, Q, m = 1],$$

and an IV approach should yield consistent estimates of the average total effect of education on crime.

Next, consider average crime among all women regardless of their marital status. For $\xi \sim F_\xi(\cdot)$ (probability density function given by $f_\xi(\cdot)$), the probability a woman with schooling level $s$ under laws $L$ and quality $Q$ is married is given by

$$P(s, L, Q) = F_\xi(M(s, \theta(L, Q))).$$

The total effect of a change in schooling laws on the marriage probability for someone is given by

$$\frac{dP}{dL} = f_\xi(M) \left( \frac{\partial M}{\partial s} \frac{\partial S}{\partial L} + \frac{\partial M}{\partial \theta} \frac{\partial \theta}{\partial L} \right) = \frac{\partial P}{\partial s} \frac{\partial S}{\partial L} + f_\xi(M) \frac{\partial M}{\partial \theta} \frac{\partial \theta}{\partial L},$$

where $\partial P/\partial s = f_\xi(M)(\partial M/\partial s)$ reflects the partial effect of changing a woman’s schooling on her probability of marriage. The difference between the total and partial effects captures the influence of schooling laws on the equilibrium match-
ing function through changes in the distributions of schooling among men and women.

The effect of a change in schooling laws on crime is given by

\[
\frac{dE[c|L, Q]}{dL} = E[\beta|L, Q] \frac{dS}{dL} + E\left[P(s, L, Q) \frac{\partial C}{\partial Y} \frac{\delta S}{\delta s} + f(Y) \frac{\partial M}{\partial \theta} \Delta(w, Y, s, Q)|L, Q\right] \frac{\partial \theta}{dL}.
\]

The last term reflects two potential sources of bias that can arise when schooling laws are used as an instrument for schooling in our context. Both derive from impacts of schooling laws on the distribution of education for men and women, which may alter the marriage market matching function. First, changes in the matching function can affect which type of man any given woman might marry, conditional on her educational attainment. Second, changes in the marriage matching function might affect whether women decide to marry at all (conditional on their education). If family income and marriage both reduce crime (\(\partial C^1/\partial Y < 0\) and \(\Delta < 0\)) and increased mandatory schooling raises marriage rates and improves the education distribution of spouses, then estimated (negative) effects of own schooling on crime are likely to be exaggerated when schooling laws are used as instruments.

The following assumptions eliminate bias due to schooling’s effect on marriage rates through changes in marriage markets.

**Assumption 1.** (a) \(\partial C^1/\partial Y = 0\) (no income effects on crime for married women), and/or (b) \((\delta S/\delta \theta)(\partial \theta/\partial L) = 0\) (no effect of schooling laws on marriage matching functions).

**Assumption 2.** (a) \(\Delta(w, Y, s, Q) = 0\) (no direct effects of marriage on crime), and/or (b) \((\partial M/\partial \theta)(\partial \theta/\partial L) = 0\) (no effect of schooling laws on marriage rates).

Assumption 1 is specific to the bias that arises from the subsample of married women, whereas assumption 2 is for the bias in the full sample of women. Together, assumptions 1 and 2 yield

\[
\frac{E[(dc/dL)|L, Q]}{E[(ds/dL)|L, Q]} = E[\beta|L, Q].
\]

IV estimation (using schooling laws as instruments) will produce consistent estimates of the average total effect of own schooling on crime if marital decisions are unaffected by changes in schooling distributions (i.e., \(\partial \theta/\partial L = 0\)) or if there are no income or marriage effects on crime.

**B3. Special Case: No Effects of Marriage on Crime**

The special case where marriage itself has no direct effects on crime (i.e., \(C^1(w, Y, s, Q) = C^0(w, Y, s, Q) = C(w, Y, s, Q)\)) allows for some additional simplifications and a useful bound expression for the IV bias. In this case,

\[
\beta^1(s, L, Q) = \beta^0(s, Q) + \frac{\partial C}{\partial Y} \frac{\delta S}{\delta s} \frac{\partial S}{\delta s}.
\]

---

48 As above, the effects of changes in school quality would be similar to those of schooling laws, with the addition of more direct effects of quality on crime that do not come through schooling.
assuming that crime is weakly decreasing in family income (\(\partial C/\partial Y \leq 0\)) and that spousal education is weakly increasing in own education (\(\partial S/\partial s \geq 0\)), we can order the total effects on crime as follows: \(\beta^t(s, L, Q) \leq \tilde{\beta}(s, L, Q) \leq \beta^o(s, Q)\). When marriage has no direct effect on crime, schooling should have stronger negative effects on married than on single women—the difference reflects the impact of higher family income from a more educated spouse.\(^{49}\)

The IV estimator (using schooling laws as instruments) now identifies

\[
E[(dc/dL)|L, Q]/E[(ds/dL)|L, Q] = E[\tilde{\beta}(s, L, Q)|L, Q] + E\left[ P(s, L, Q) \frac{\partial \tilde{C}}{\partial Y} \frac{\partial \tilde{S}}{\partial s} \right]|L, Q \frac{\partial \theta/\partial L}{\partial S/\partial L},
\]

which may still be biased because of changes in spousal income coming from impacts of schooling laws on marriage matching functions. The “income effect” on crime is inflated when the laws lead to higher spousal education, conditional on the woman’s own education. This bias should be small when marriage rates are low, changes in marital sorting patterns are modest, or the effects of schooling on male earnings are weak.

If \(\tilde{C}\) is nonincreasing in wages, household income, and schooling, then a negative IV estimate implies that \(\tilde{\beta}(s, L, Q) < 0\), since negative effects from higher spousal income must be accompanied by negative effects of higher own income. Indeed, we can bound the extent to which any marital matching effects bias our estimates if there is positive assortative mating (i.e., \(\partial S/\partial s \geq 0\)).

To see this, first assume that wages and education have no direct effects on crime (i.e., \(\partial \tilde{C}/\partial w = \partial \tilde{C}/\partial s = 0\)), so schooling affects female crime only through family income. Then, the total effect of schooling on expected crime reduces to

\[
\tilde{\beta}(s, L, Q) = \mathbf{E}[\tilde{\beta}(s, L, Q)|L, Q] + \mathbf{E}[P(s, L, Q) \frac{\partial \tilde{C}}{\partial Y} \frac{\partial \tilde{S}}{\partial s} (L, Q) \frac{\partial \theta/\partial L}{\partial S/\partial L}].
\]

Finally, if \(\partial \tilde{C}/\partial Y\) does not vary, conditional on \((L, Q)\), then

\[
E[(dc/dL)|L, Q]/E[(ds/dL)|L, Q] = \frac{1 + \mathbf{E}[P(s, L, Q) \frac{\partial \tilde{S}}{\partial s} (L, Q) \frac{\partial \theta/\partial L}{\partial S/\partial L}]}{\mathbf{E}[\frac{\partial \tilde{S}}{\partial s} (L, Q) \frac{\partial \theta/\partial L}{\partial S/\partial L}]} \leq 1 + \frac{dE[y|L, Q]/dL}{dE[y|L, Q]/dL}.
\]

The effect of schooling laws on expected spousal earnings (including zeros for single women) relative to own earnings can be used to bound the bias factor—

\(^{49}\) The result that \(\beta^t < \beta^o\) holds more generally as long as \(\Delta(v, Y, s, Q) = \Delta\) is a constant; however, \(\beta\) need not be a weighted average of \(\beta^o\) and \(\beta^t\) in this case.
the ratio of the IV estimator to the true total effect of education on crime.\textsuperscript{50} If wages and education reduce crime, including these additional terms would only increase $|\hat{\beta}(s, L, Q)|$, so this bound would continue to apply.

**Appendix C**

**Addressing Endogeneity and Sample Selection Using 2SLS and Control Functions**

In this appendix, we combine the use of IVs and a control function approach to address endogenous schooling and self-selection into marriage.\textsuperscript{51}

Consider the following system of equations:

$$
I_i = s_i \gamma_s + X' \gamma_X + \epsilon_i, \\
(\text{C1})
$$

$$
s_i = S(X_i, Z_u) + \eta_i, \\
(\text{C2})
$$

$$
m_i = 1(\xi_i < M(X_i, Z_i)), \\
(\text{C3})
$$

where $Z \subseteq Z$ and $(\epsilon, \eta, \xi) \mathbb{F}(X, Z)$. Denote the cumulative distribution function for $\xi_i$ by $F_i(\cdot)$.\textsuperscript{52}

We are mainly interested in estimating $\gamma$, where we want to do this for a sample conditional on $m_i = 1$. Consider the main equations for 2SLS:

$$
E[I|X, Z, m = 1] = X' \gamma_X + E[s|X, Z, m = 1] \gamma_s + E[\epsilon|X, Z, m = 1],
$$

$$
E[s|X, Z, m = 1] = S(X, Z) + E[\eta|X, Z, m = 1].
$$

Since $(\epsilon, \eta, \xi) \mathbb{F}(X, Z)$,

$$
E[\epsilon|X, Z, F_i(\xi) < F_i(M(X, Z))] = E[\epsilon|P(X, Z)] = K_i[P(X, Z)],
$$

$$
E[\eta|X, Z, F_i(\xi) < F_i(M(X, Z))] = E[\eta|P(X, Z)] = g_i[P(X, Z)],
$$

where $P(X, Z) = F_i(M(X, Z))$ is the propensity score. Defining $\hat{s}_i(X, Z) = E[s|X, Z, m = 1]$, we can further write

$$
E[I|X, Z, m = 1] = X' \gamma_X + \hat{s}_i(X, Z) \gamma_s + K_i[P(X, Z)],
$$

$$
\hat{s}_i(X, Z) = S(X, Z) + g_i[P(X, Z)].
$$

Identification of $\gamma$, requires $X' \gamma_X + \hat{s}_i(X, Z) \gamma_s \neq \lambda K_i[P(X, Z)]$ for any scalar $\lambda$. Substituting for $\hat{s}_i(X, Z)$, identification requires

$$
\{ X' \gamma_X + S(X, Z) \gamma_s \} + g_i[P(X, Z)] \gamma_s \neq \lambda K_i[P(X, Z)].
$$

\textsuperscript{50} The inequality follows from $\partial \hat{S}/\partial s \geq 0$ and

$$
dE[m \cdot \hat{S}|L, Q] = E \left[ \frac{\partial \hat{S}}{\partial s} \right] = \frac{\partial S}{\partial s} + E \left[ \frac{\partial S}{\partial s} \right],
$$

$$
dE[\gamma|L, Q] = E \left[ \frac{\partial \gamma}{\partial L} \right].
$$

\textsuperscript{51} See Heckman and Robb (1985, 1986) for a general treatment of control functions.

\textsuperscript{52} In our empirical analysis, we include quality $Q$ in $X$, along with all other covariates. Our schooling laws (when women were age 14) $L$, and quarter-of-birth indicators are included in both $Z$ and $Z$, while $Z$ also includes schooling laws when women were age 10.
This would be satisfied if we can independently vary the terms in braces by varying X and Z, while holding \( P(X, Z) \), and therefore \( g_i[P(X, Z)] \) and \( K_i[P(X, Z)] \), constant.\(^\text{53}\)

In practice, these assumptions allow us to estimate \( \gamma \), using a modified 2SLS approach, as follows.

1. Preliminary. Estimate \( \hat{P}(X, Z) \) on the basis of equation (C3) for the full sample. In practice, we specify this as a probit (i.e., \( \xi \sim N(0, \sigma_i^2) \)) with index \( M(X, Z) = X'\mu_x + Z'\mu_z \).

2. First stage. Using the sample with \( m = 1 \), obtain \( \hat{s}_i(X, Z) \) from a regression of \( s \) on \( (X, Z) \) and a polynomial in \( \hat{P}(X, Z) \). This is a simple linear regression if \( S(X, Z) = X'\psi_x + Z'\psi_z \), which we use in practice.

3. Second stage. Using the sample with \( m = 1 \), regress \( I \) on \( X, \hat{s}_i(X, Z) \), and a polynomial in \( \hat{P}(X, Z) \).

Thus, after obtaining estimates \( \hat{P}(X, Z) \) from the full sample, one can simply use a 2SLS approach on the selected sample where \( I \) is regressed on \( X, \hat{s}_i \), and a polynomial in \( \hat{P} \), using the instruments \( X, Z, \) and polynomial in \( \hat{P} \). Note that in estimating \( \hat{P} \), the full set of instruments \( (X, Z) \) are used, where \( Z \) ideally contains some excluded variables not in \( Z \).

References


\(^{53}\) In the special case where \( S(X, Z) = X'\psi_x + Z'\psi_z, M(X, Z) = X'\mu_x + Z'\mu_z \), and with a single \( X \) and single \( Z = Z \), this requires \( \mu_x(\gamma_x + \psi_x\gamma_x) \neq \mu_x\psi_x\gamma_x \).


